# Gravity or Dark Matter models as solutions to CMB-LSS tensions

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Gravity at the Largest scales, Heidelberg, 27.10.2015

#### CMB vs LSS tensions

 ΛCDM best-fit to Planck 2015: σ<sub>8</sub> given by extrapolation of perturbations amplitude to z=0 (for given A<sub>s</sub>, n<sub>s</sub>, H<sub>0</sub>, Ω<sub>m</sub>)

data	σ <sub>8</sub> Ω <sub>m</sub>		
TT + IowTEB	0.829 ± 0.014 0.315 ± 0.013		
+ BAO	$0.829 \pm 0.014$ $0.310 \pm 0.008$		
+ JLA	$0.829 \pm 0.014$ $0.312 \pm 0.012$		
+ H <sub>0</sub> (conservative)	$0.829 \pm 0.014$	0.312 ± 0.013	
TTTEEE + IowTEB	0.831 ± 0.013 0.316 ± 0.009		
+ BAO	0.831 ± 0.013 0.312 ± 0.006		
+ JLA	0.831 ± 0.013 0.314 ± 0.009		
+ H <sub>0</sub> (conservative)	0.831 ± 0.013	0.314 ± 0.009	

• several LSS experiments measure directly  $\sigma_8(z^*)$ , i.e.  $(\Omega_m)^{\alpha} \sigma_8(z=0)$ 

#### Weak lensing observations

• From review of Kilbinger 2014 (68% CL)



most conservative guess: systematics at highest k (which dominate)

#### Cluster count observations

• From Planck 2015 XXIV (Planck SZ clusters)



- most conservative guess: systematics in determination of mass bias
- tensions disappears when looking at recent constraints from X-ray cluster (Mantz et al. 2015), due to their new measurement of SZ-mass bias with weak lensing (WtG)
- without this, all other X-ray, optical or SZ cluster counts return low σ<sub>8</sub> (e.g. Böhringer et al. 2014)

#### CMB lensing observations

• From Planck 2015: in  $C_{I}^{\varphi\varphi}$ , mild tension near I~200, pushing for smaller  $\sigma_8$ 



 on the other hand the lensing effect is strong in C<sub>I</sub><sup>TT</sup>. Suggests that a P(k) suppressed only at small scales, not all scales, could be a slightly better fit.

#### Redshift space distorsions

• No significant tensions between f  $\sigma_8$  measurements and Planck ACDM best-fit



- still, 2σ tension with a few points from BOSS. Depends on analysis details...
- in summary, most noteworthy CMB-LSS tensions are with weak lensing data, and cluster data with "standard" assumption on mass bias

#### One non-LSS tension: direct H0 measurements

• H<sub>0</sub> not directly constrained by CMB, but indirectly by comparing  $\Omega_m h^2$  (matter density) and  $\Omega_\Lambda$  (late ISW, scale of the peak, lensing...), and even better with H<sub>0</sub> + BAO



• Situation unclear, conservative analyses (like Efstathiou 2014) get larger errors but always higher best-fit value

#### Can we find models reconciling the $\sigma_8$ tension?

- seems to be a trivial exercises
- expectations: many models should be able to do that (neutrino sector, dark matter sector, modified gravity, dark energy) and it will be difficult to discriminate

#### Attempts with neutrinos

- Increasing total neutrino mass cannot work:
  - -12% in  $\sigma_8$  requires  $M_v \sim 0.5 \text{ eV}$
  - effect on CMB lensing spectrum: OK
  - effect on shape of C<sub>I</sub><sup>TT</sup> (dip at 50 < I < 200 due to eISW and less "lensing smoothing"):</li>
     problematic
  - effect on peak scale compensated by shift of  $H_0$  by ~ 5 km/s/Mpc: problematic
- Decreasing N<sub>eff</sub> with same z<sub>eq</sub> cannot work either:
  - requires significantly smaller H<sub>0</sub> : problematic
- Complicated games with both, or with eV-mass sterile neutrinos... (e.g. Wyman et al. 2014; Battye & Moss 2014; Hamann & Hasenkamp 2013; Leistedt et al. 2014; Bergstroöm et al. 2014; MacCrann et al. 2014)

#### Attempts with neutrinos

• Complicated games with both, or with eV-mass sterile neutrinos...



• Planck 2015 XIII :  $\Delta \chi^2 \sim 3$  at most...

#### **Decaying Dark Matter**

- idea that  $[p_{DM} a^3]$  decreases between z~1000 and z~0 and reduces P(k,z) cannot work:
  - decay into SM particles: very strong cosmic ray bounds
  - decay into DR: allowed by particle physics bounds. P(k,z) changes on all scales due to combined background effect + modified perturbation growth rate at late times.
  - strong CMB constraints due to late ISW. No significant effect in P(k) remains. No significant improvement when fitting CMB+BAO+LSS



• true for any model changing linear growth rate on cluster scales.

#### Modified Gravity

- need to reduce dark matter growth rate on scales contributing to  $\sigma 8$
- (already challenging? many models tend to increase it, e.g. f(R), Einsteinaether, khronometric...)
- photon/baryon dynamics should not be affected till z~1000 (primary CMB)
- need to avoid significant enhancement of late ISW...
- similar challenge for dark energy models...

### Interacting Dark Matter

- Dark Matter can have interactions:
  - with baryons and photons (< electromagnetic for CMB, + accelerator / direct / indirect detection constraints)
  - possibly larger ones with neutrinos, DR, DE, or with itself
- rate of momentum transfer  $\Gamma_{DM} \sim T^n$ ; particle physics models motivate different values of n; rich phenomenology :
  - interaction can be important at early / intermediate / late time
  - many effects: (Silk) damping, drag, dark oscillation...



- similar to WDM (exponential cut-off at scale given by k=aH when  $H\sim\Gamma$ ). Models compatible with Lyman- $\alpha$  data are identical to  $\Lambda$ CDM on larger scales.
- constraints also from CMB (effects on recombination time, sound speed, collisional damping of photons, photon-neutrino gravitational interactions...)
- small differences when assuming  $\sigma \sim T$  still the story is similar... 14

#### Interacting Dark Matter



 $\sigma \sim v^n \sim T^{n/2}$ ,  $\Gamma_{DM} \sim T^{n/2+3}$ 

#### DM-DR (Cyr-Racine et al. 2013)

before *dark recombination*:  $\Gamma_{DM} \sim T^{2}$ 



- similar to WDM (exponential cut-off). Models compatible with Lyman-α data are identical to ΛCDM on larger scales.
- DM-baryons: weaker/stronger constraints from CMB, depending on n; DM-DR: dark oscillations impact CMB (*fast modes* in fast/slow decomposition)

### Interacting Dark Matter

- $H \sim T^2$  during RD,  $T^{3/2}$  during MD
- if  $\Gamma_{DM} = 1/t_c \sim T^2$ :
  - during RD: Г/H small and constant; no dark oscillations, but small DR drag effect on DM; small impact on all modes crossing during RD; slow mode: CMB unaffected
  - during MD:  $\Gamma/H \rightarrow 0$ , no impact on modes crossing during MD,  $\delta_{DM} \sim a$  for all scales: no extra late ISW
- such scaling not natural with photons (Compton-like), electrons (Coulomb-like) and neutrinos (Weaklike)
- many interesting non-SUSY-based Dark Matter models have dark gauge groups with:
  - dark photons (abelian),
  - dark gluons (non-abelian),
  - new charged fermions
- may behave as Dark Radiation coupled to Dark Matter with appropriate scaling

## Interacting DM-DR with $\Gamma \sim T^2$

$$\dot{\delta}_{\rm dm} = -\theta_{\rm dm} + 3\dot{\phi}$$
  

$$\dot{\theta}_{\rm dm} = -\frac{\dot{a}}{a}\theta_{\rm dm} + a\Gamma(\theta_{\rm dr} - \theta_{\rm dm}) + k^2\psi$$
  

$$\Gamma = \Gamma_0 \left(\frac{T}{T_0}\right)^2$$

- Buen-Abad, Marques-Tamares, Schmaltz 2015:
  - dark gauge groupe SU(N)
  - DM has weak and dark interactions
  - DR = dark gluons, self-interacting, tiny mean free path, no viscosity
  - DM relic density value imposes  $\Delta N_{eff}(N) = 0.21, ...$
- JL, Marques-Tamares, Schmaltz 2015:
  - dark gauge group U(1)
  - DM has weak and dark interactions
  - DR = dark photon + massless fermions with dark charge, also self-interacting

## Interacting DM-DR with $\Gamma \sim T^2$

- non-trivial effect of extra relativistic perfect fluid, mainly on CMB (see Audren et al. 2014, Planck 2015 XIII), small for P(k,z)
- extra effect of DM-DR interaction:
  - tiny for CMB (photon-DM forces irrelevant, photon-DR forces relevant but weakly affected)
  - ~10 to 15 times larger for P(k,z): slow-down of DM growth during Radiation Domination (Dark Radiation drag)

P(k,z) / P(k,z=0)\_CDM - 1



## Interacting DM-DR with T

w.r.t. ACDM : model is compatible with significant  $\sigma_8$ , with sam  $\Omega_1$  and equal or larger  $H_0$ 0.877 ACDM, CMB+BAO 0.835 DM-DR, CMB+BAO  $\stackrel{\infty}{b}$  0.792 DM-DR, CMB+LSS DM-DR, CMB+BAO+LSS 0.75 0.708 72.5 79.3 0.314 0.374 65.6 75.9 0.283 0.344 69 0.253  $\Omega_m$  $H_0$ 

CMB = Planck 2015 TT + lowTEB

BAO = same as in Planck 2015

LSS = Planck lensing + Planck SZ + CFHTLens



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## Interacting DM-DR with $\Gamma \sim T^2$

- 3-4 $\sigma$  evidence for DM-DR interaction
- $\Delta N_{eff}$  compatible with minimal value (unless H<sub>0</sub> from Riess et al. taken seriously)

Parameter	CMB+BAO	CMB+LSS	CMB+BAO
			+LSS
$\Delta N_{\mathrm{eff}}$	< 0.68	< 0.78	< 0.79
$10^{7}\Gamma_{0} \; [\mathrm{Mpc}^{-1}]$	< 1.45	$1.70\substack{+0.57\\-0.58}$	$1.60^{+0.43}_{-0.44}$
$\Omega_{\rm m}$	$0.3018\substack{+0.0081\\-0.0084}$	$0.308\substack{+0.020\\-0.019}$	$0.3026^{+0.0085}_{-0.0087}$
$\sigma_8$	$0.8153\substack{+0.024\\-0.020}$	$0.764_{-0.019}^{+0.017}$	$0.768^{+0.011}_{-0.011}$
$\Delta\chi^2$ / $\Lambda { m CDM}$	0	-9.6	-12.6

## Interacting DM-DR with $\Gamma \sim T^2$

- ongoing and future:
  - include P(k) from SDSS, full shape of CFHTLens, Lyman-α
  - ... but to be fair we should also include the new DLS and WtG ...
  - investigate small  $\Delta N_{eff}$  regime (drag of DM on DR more relevant)



• investigate case with free-streaming DR