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Higgs Couplings

10/11/2017

### Outline

- Introduction to Composite Higgs Models
  - Composite scalars in QCD
  - Composite Higgs Models
  - Lagrangían
  - Partial compositeness
- How can we test Composite Higgs Models at the LHC?
  - Híggs couplings
  - Resonances
  - Non-linearities

- Non-minimal Composite Higgs Models
  - Dark matter

### Composite Scalars in QCD



Spectrum of QCD: Scalars without hierarchy problem

The QCD scale cuts their quantum corrections naturally off

Píons as pseudo-Nambu Goldstone bosons, naturally much líghter than QCD scale

QCD scale is natural, can be largely separated from any high scale due to logarithmical running







Híggs mass generated by quantum corrections

Partial compositeness: top quark mass generated by linear interactions with strongly interacting sector

#### Requirements:

• the unbroken group H contains the SM gauge group G

 $G \rightarrow H \subset SU(2) \times U(1)$ 

- The coset space G/H contains at least 4 Goldstone bosons (corresponding to the Higgs doublet)
- Custodíal symmetry: to be conform with EWPTS

 $H \subset SU(2)_{R} \times SU(2)_{L}$ 

Minimal model:

[Agashe, Contíno, Pomarol '04]

 $SO(5) \times U(1)/SO(4) \times U(1)$ 

contains 4 Goldstone bosons (3 the usual Goldstones + Higgs boson)

Lagrangian from CCWZ construction: [callan, coleman, wess, Zumino'69]

Goldstone matrix (X denote the broken generators) Defining

$$iU^{-1}\partial_{\mu}U = d_{\mu,a}X^a + e_{\mu,a}T^a$$

the Lagrangian is

$$\mathcal{L} = \frac{f^2}{4} \operatorname{Tr}(d_{\mu}d^{\mu})$$

more details in [Panico, Wulzer '15]

 $U = e^{-i\frac{\sqrt{2}}{f}\pi^{\hat{a}}X^{a}}$ 

Mínímal model:

We take a  $\Sigma_0 = (0, 0, 0, 0, 1)^T$  to project on coset space.

Then

$$\mathcal{L} = \frac{f^2}{2} \left( D_\mu \Sigma \right)^{\dagger} D^\mu \Sigma, \quad \text{with } \Sigma = U \Sigma_0,$$
$$\mathcal{L} = \frac{1}{2} \partial_\mu h \partial^\mu h + \frac{g^2}{4} f^2 \sin^2 \left(\frac{h}{f}\right) W^+_\mu W^{\mu-} + \frac{g^2}{8c_W^2} f^2 \sin^2 \left(\frac{h}{f}\right) Z_\mu Z^\mu$$

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leads to non-linearities

 $\xi = \frac{v^2}{c^2} = \sin^2 \frac{\langle h \rangle}{c}$ 

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 $U = e^{-i\frac{\sqrt{2}}{f}\pi^{\hat{a}}X^{a}}$ 

### Partial compositeness

[Kaplan '91]

Elementary fermions mix with strong-interacting sector by linear couplings

 $\mathcal{L} = \lambda_L \overline{q}_L \mathcal{O}_R + \lambda_R \overline{t}_R \mathcal{O}_L$ 

Mixing with top partners generate the top Yukawas



If we are only interested in the non-linearities: Example: fermions transforming in the fundamental of SO(5)  $Q_L^{2/3} = \frac{1}{\sqrt{2}} \left( d_L, -id_L, u_L, iu_L, 0 \right)^T, \quad U_R = \frac{1}{\sqrt{2}} \left( 0, 0, 0, 0, \sqrt{2}u_R \right)^T$ 

$$\mathcal{L}_Y = f \left[ -y_u (\overline{U_R} \Sigma) (\Sigma^T Q_L^{2/3}) - y_d (\overline{D_R} \Sigma) (\Sigma^T Q_L^{-1/3}) \right] + \text{h.c.}$$

$$\longrightarrow \text{MCHM5:} \quad \frac{g_{hf\overline{f}}}{g_{hf\overline{f}}^{SM}} = \frac{1-2\xi}{\sqrt{1-\xi}} \qquad \text{MCHM10:} \quad \frac{g_{hf\overline{f}}}{g_{hf\overline{f}}^{SM}} = \frac{1-2\xi}{\sqrt{1-\xi}} \qquad \text{MCHM4:} \quad \frac{g_{hf\overline{f}}}{g_{hf\overline{f}}^{SM}} = \sqrt{1-\xi}$$

### Partial compositeness

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The couplings break the global symmetry explicitly

Connection between top partner masses and Higgs mass

$$\frac{m_h^2}{m_t^2} \simeq \frac{N_c}{\pi^2} \frac{m_\psi^2}{f^2}$$

Low tuning = light top partner masses

[Matsedonskyí, Paníco, Wulzer '12, Marzocca, Serone, Shu '12, Pomarol, Ríva '12, Paníco, Redí, Tesí, Wulzer '12, Pappadopulo, Thamm, Torre '13]

• Higgs coupling modifications

• more resonances from the strongly-interacting sector

• non-linearities in Higgs interactions



Higgs coupling modifications

In SO(5)/SO(4) models:

$$\frac{g_{hVV}}{g_{hVV}^{SM}} = \sqrt{1-\xi}$$

Holds true also in other models, e.g. SO(6)/SO(5) with dark matter candidate

Higgs self-couplings and couplings to fermion depend on fermion embedding

• more resonances from the strongly-interacting sector

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Light Higgs + low tuning = light top partners

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nSO(5)/SO(4) models: 
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• non-linearities in Higgs interactions

Probe couplings of n Higgs bosons

$$c_{tt} \neq \frac{3}{2}(c_t - 1)$$

$$c_g \neq c_{gg}$$

# Higgs couplings



MCHM4/5:

$$\kappa_V = \sqrt{1 - \xi}$$

# Higgs couplings

talk of M. Testa, HL-LHC workshop



### New resonances: Vector-like fermions

Paír production of VLQs: pure QCD process, model independent



#### Límits from pair production:







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# Higgs non-linearities

#### Needs to be probed in multi-Higgs interactions



#### Dí-Higgs production via Gluon fusion

#### New hhff coupling leads to large increase of cross section $\sigma/\sigma_{SM}$

IRG, Mühlleitner '10, Contino, Ghezzi, Morettí, Paníco, Piccinini, Wulzer '12]

# Higgs non-linearities



MCHM5 pp->hh cross section setting hhff coupling to zero

# Higgs non-linearities



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# Composite Di-Higgs production

Can the increase in the cross section even be so large that New Physics will be first observed in di-Higgs production?

More freedom necessary than just new parameter  $\boldsymbol{\xi}$  Take a model with top and bottom partners





# Composite Di-Higgs production

Can the increase in the cross section even be so large that New Physics will be first observed in di-Higgs production?



for  $b\bar{b}\gamma\gamma$  and  $bb\tau\bar{\tau}$  final state [Baglio, Djouadi, RG, Mühlleitner, Quevillon, Spira '12]

Projected sensitivities for Higgs couplings from

EWPTS from [Gillioz, RG, Kapuvari, Mühlleitner '14]

[Englert, Freitas, Mühlleitner, Plehn, Rauch, Spira, Walz '14]

Projected sensitivities for direct searches of VLQs m  $\leq$  1.5 TeV

# Composite Di-Higgs production

[RG, Mühlleitner, Spira '16]



[Mrazek et al '11]

G	H	$N_G$	NGBs rep. $[H] = \text{rep.}[SU(2) \times SU(2)]$
SO(5)	SO(4)	4	4 = (2, 2)
SO(6)	SO(5)	5	5 = (1, 1) + (2, 2) [Gripaios et al '09; Frigerio et al '12;
SO(6)	$SO(4) \times SO(2)$	8	$4_{+2} + ar{4}_{-2} = 2  imes (2,2)$ [Mrazek et al '11, De Curtís etal'16]
SO(7)	SO(6)	6	<b>6</b> =2 imes( <b>1</b> , <b>1</b> )+( <b>2</b> , <b>2</b> ) [Balkin et al '17]
SO(7)	$G_2$	7	7 = (1,3) + (2,2) [Chala '12; Ballesteros et al '16]
SO(7)	$SO(5) \times SO(2)$	10	$10_0 = (3, 1) + (1, 3) + (2, 2)$
SO(7)	$[SO(3)]^{3}$	12	$(2, 2, 3) = 3 \times (2, 2)$
Sp(6)	$Sp(4) \times SU(2)$	8	$(4,2) = 2 \times (2,2), (2,2) + 2 \times (2,1)$
SU(5)	$SU(4) \times U(1)$	8	${f 4}_{-5}+ar{f 4}_{+f 5}=2 imes ({f 2},{f 2})$
SU(5)	SO(5)	14	14 = (3,3) + (2,2) + (1,1)

Larger coset space

extended Higgs sector

Thursday, October 31, 2013

If new scalar stable i.e. if there is a Z₂ or U(I) symmetry

General parameterisation:

$$\begin{split} L &= |D_{\mu}H|^{2} \left[1 - a_{1} \frac{S^{2}}{f^{2}}\right] + \frac{a_{2}}{f^{2}} \partial_{\mu}|H|^{2} (S\partial_{\mu}S) + \frac{1}{2} (\partial_{\mu}S)^{2} \left[1 - 2a_{3} \frac{|H|^{2}}{f^{2}}\right] \\ &- m_{\rho}^{2} f^{2} \frac{N_{c} y_{t}^{2}}{(4\pi)^{2}} \left[-\alpha \frac{|H|^{2}}{f^{2}} + \beta \frac{|H|^{4}}{f^{4}} + \gamma \frac{S^{2}}{f^{2}} + \delta \frac{S^{2}|H|^{2}}{f^{4}}\right] + \left[i\epsilon \frac{y_{t}}{f^{2}} S^{2} \overline{q_{L}} H t_{R} + \text{h.c.}\right] + \cdots \end{split}$$



symmetry  $Le. if there is a <math>\mathbb{Z}_2$  or h(I)

General parameterisation:

$$\begin{split} L &= |D_{\mu}H|^{2} \left[ 1 - \left(a_{1} \frac{S^{2}}{f^{2}}\right) + \left(\frac{a_{2}}{f^{2}} \partial_{\mu}|H|^{2}(S\partial_{\mu}S)\right) + \frac{1}{2}(\partial_{\mu}S)^{2} \left[ 1 - \left(2a_{3} \frac{|H|^{2}}{f^{2}}\right) \right] \\ &- m_{\rho}^{2} f^{2} \frac{N_{c} y_{t}^{2}}{(4\pi)^{2}} \left[ -\alpha \frac{|H|^{2}}{f^{2}} + \beta \frac{|H|^{4}}{f^{4}} + \gamma \frac{S^{2}}{f^{2}} + \left(\delta \frac{S^{2}|H|^{2}}{f^{4}}\right) + \left[i\epsilon \frac{y_{t}}{f^{2}}S^{2}\overline{q_{L}}Ht_{R} + \text{h.c.}\right] + \cdots \end{split}$$

Annihilation cross section dominated by H<sup>2</sup>S<sup>2</sup> interactions

Relic density (if a  $\gamma > \delta/10$ ):  $\Omega h^2 \propto rac{f^2}{g_{
ho}^2}$  with  $m_{
ho} = g_{
ho} f$ 

 $a = a_1 = a_3 = a_3$ 

Main difference to non-composite case: derivative interactions

SO(6)/SO(5) model

[Chala, RG, Spannowsky preliminary]



### Conclusion

- Composite Higgs Models viable alternative to Standard Model
- Testable at LHC by
  - Higgs coupling measurements
  - Searches for new resonances
  - Non-linearities
- Composite Dark matter scenarios very predictive
  - Hints to values of f above tuning expectation
  - future colliders and dark matter direct detection experiments will shed light on such scenarios

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### Thanks for you attention!