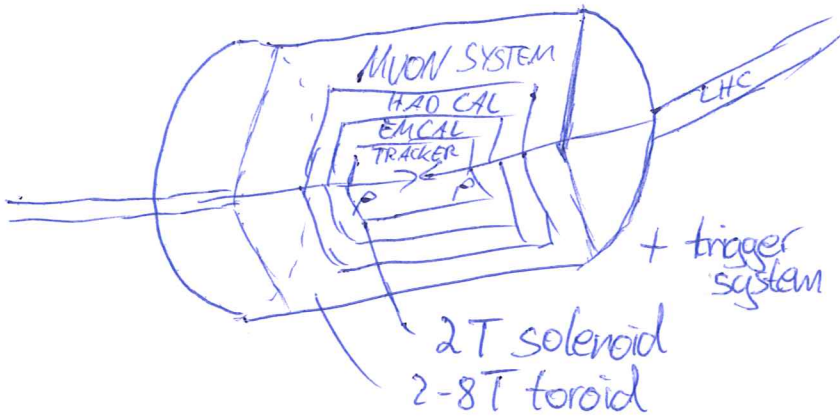


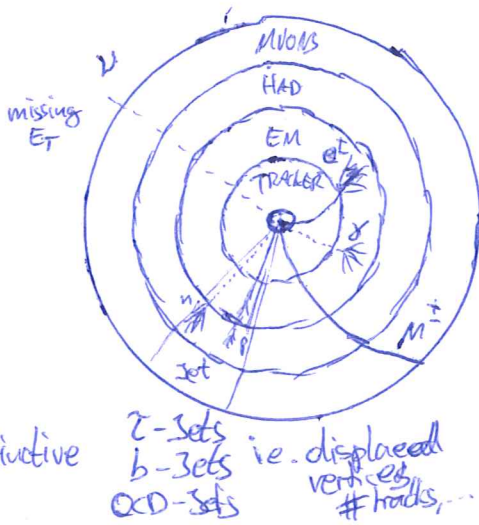
Di-Set Searches with ATLAS

①

Introduction to ATLAS



- $\sqrt{s} = 13 \text{ TeV}$
- $L \approx 10^{34} \text{ b}^{-1} \text{ s}^{-1}$
- 40 MHz bunch crossing rate
- $\sim 10^{11}$ protons per bunch
- 1 kHz event recording rate



Record event and reconstruct:

Event variables:

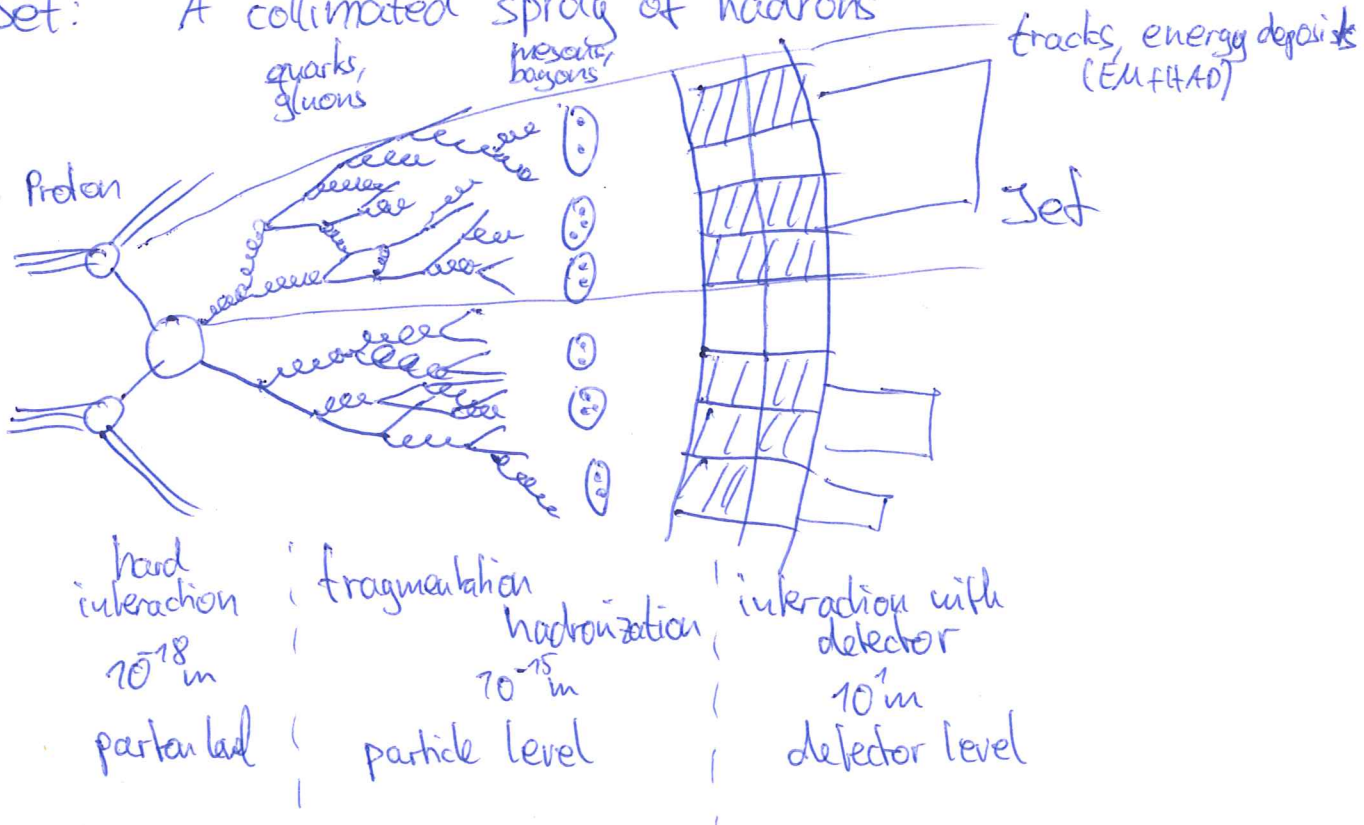
- Particle content
- Total (transverse) energy
- Missing transverse energy
- # primary vertices
- Sphericity
- ...

Object variables:

- Transverse momentum, p_T
- Angle w.r.t beam
 - θ
 - $y = \frac{1}{2} \ln \frac{E+p_z}{E-p_z}$ } L.L. with boost along beam
 - $\eta = -\ln(\tan \frac{\theta}{2})$
- Azimuthal angle, ϕ
- Invariant mass, m
- Energy, ...

Jets

Jet: "A collimated spray of hadrons"



From energy deposits to reconstructed jets

②

Topological clustering algorithm: "420 scheme"

0	1	0	1	0
1	1	2	1	1
0	2	4	2	0
1	1	2	1	1
0	1	0	1	0

1. Select cell with $E_{\text{cell}} \geq E_{\text{noise}} + 4\sigma_{\text{noise}}$ as seed
2. Include neighboring cells with $E_{\text{cell}} \geq E_{\text{noise}} + 2\sigma_{\text{noise}}$
3. Include nearest neighbors

Jet algorithms:

$$d_{ij} = \min(P_{Ti}^{2p}, P_{Tj}^{2p}) \frac{\Delta R_{ij}^2}{R^2}$$

$$d_{iB} = P_{Ti}^{2p}$$

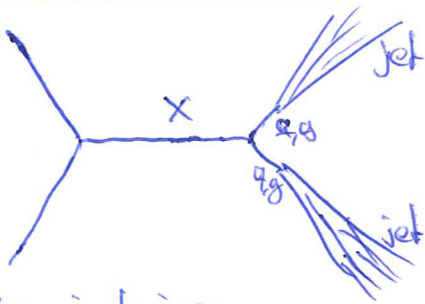
K_T : $p=1$ (softclusters first)

Cambridge/Aachen: $p=0$ (geometrically)

anti- k_T : $p=-1$ (hard clusters first)

Jet calibration: Next lecture!

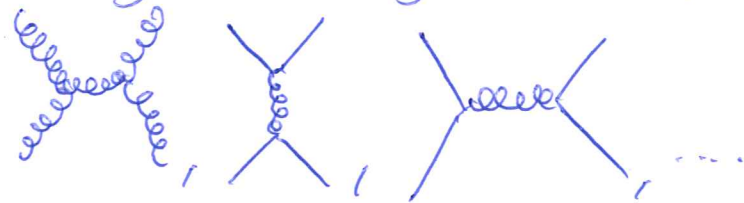
Di-Set searches



- ④ Very inclusive:
New particles produced at LHC must interact with partons of proton
 $\Rightarrow$ They can also produce partons (jets) in final state!

1. Find minimum d_{ij}^{min} among all possible pairs of clusters (i, j) .
2. If $d_{ij}^{\text{min}} < d_{iB}^{\text{min}}$ combine 4-vectors of i and j into proto-jet.
3. If $d_{ij}^{\text{min}} > d_{iB}^{\text{min}}$ the 4-vector of i becomes a jet.
4. Repeat until $d_{ij}^{\text{min}} > d_{iB}^{\text{min}}$ for all clusters j .

⊖ Largest SM background (QCD)



$$\bullet \text{ SM } \sigma_{\text{2jet}} \sim 100 \text{ nb} \quad (\sigma_{\text{H}} \sim \text{pb})$$

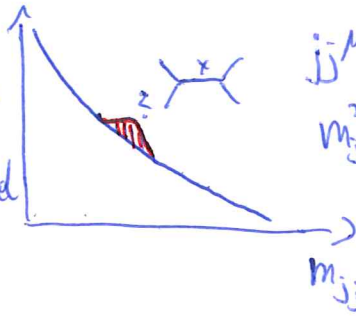
$\Rightarrow$ employ data-driven background estimation techniques

Distinguish signals from QCD background

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- QCD predicts smoothly and steeply falling dijet invariant mass spectrum

"Resonance Search"
(ie for on-shell, s-channel mediator)



$$j^\mu = j_1^\mu + j_2^\mu$$

$$m_{jj}^2 = E_{jj}^2 - p_{jj}^2$$

- QCD predicts most dijet production to occur at small angles w.r.t. beam

LO matrix elements for $2 \rightarrow 2$ scattering:

i.e.

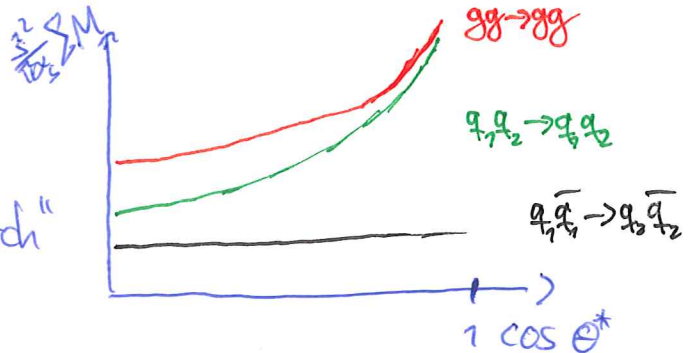
$$q_1 q_2 \rightarrow q_1 q_2: \frac{4}{9} \frac{s^2 + u^2}{t^2}, \quad gg \rightarrow gg: \frac{9}{2} \left(3 - \frac{t^2}{s^2} - \frac{s^2}{t^2} - \frac{3t^2}{u^2} \right)$$

most subprocesses have $\hat{t}$ -channel poles.

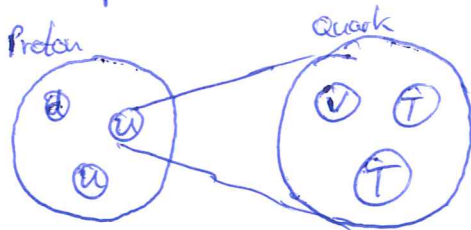
exception:

$$q_1 \bar{q}_1 \rightarrow q_2 \bar{q}_2: \frac{4}{9} \frac{t^2 + u^2}{s^2}$$

"Angular Search"



- Example BSM scenario: Compositeness



e.g. charges $Q_T = \pm \frac{1}{3}, Q_V = 0$

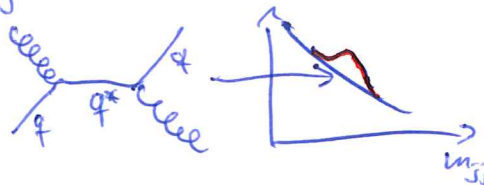
$$V = VV, \quad u = VTT$$

$$\bar{d} = VVT, \quad e^+ = TTT, \dots$$

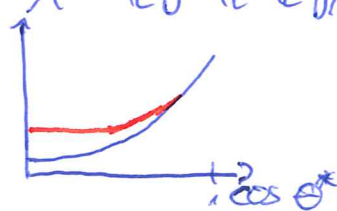
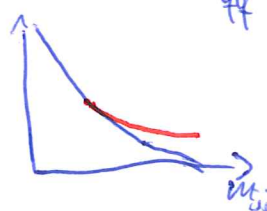
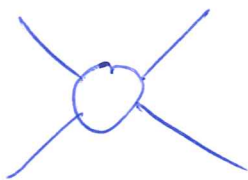
just one model among many!

Predictions (depending on details of model):

- Excited quarks



- Contact interactions, e.g. $\mathcal{L} = \pm \frac{2\pi}{\Lambda^2} \bar{q}_L \gamma^\mu q_L \bar{q}_L \gamma_\mu q_L$



Di-Set Search strategies

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Event Selection (optimizing $\frac{s}{b}$)



Distribution of interesting observables
i.e. m_{di} , angles, ...



Compare data to background estimate
i.e. "bump hunting"

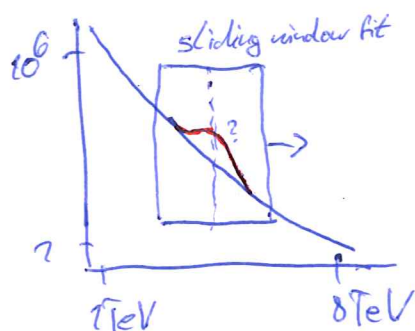
see
no deviations

Set limits

see
deviations

Win Nobel prize

ATLAS High Mass Dijet Resonance Search:

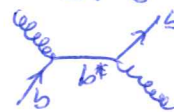


$$P_{T_1} > 440 \text{ GeV}, P_{T_2} > 60 \text{ GeV}$$

$$M_{jj} > 1.1 \text{ TeV}$$

$$y^* = \frac{1}{2} |y_1 - y_2| < 0.6, 1.2$$

Optional:
b-tagging



- M_{jj} spectrum fitted by empirical (historical) fit function: $f(z) = p_1(1-z)^{p_2} z^{p_3}$
- Fitting over many orders of magnitude of high statistics spectrum is challenging $\Rightarrow$ Employ Sliding Window Fit (SWiFE)

$$z = \frac{m_{jj}^2}{s}$$

ATLAS High Mass Angular Search:

$$\frac{1}{N} \frac{dN}{d\chi}$$

also reduces
exp. and theo.
uncertainties



$$\chi = e^{|y_1 - y_2|} \approx \frac{1 + \cos \Theta^*}{1 - \cos \Theta^*}$$

Compare data to QCD MC
background estimate
(LO + NLO QCD and LO EW corrections)

large $\chi \hat{=}$ small angle
small $\chi \hat{=}$ large angle