

# 750 GeV Diphoton Resonance

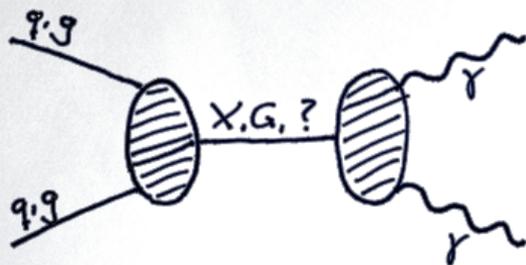
## Experimental Searches and Theoretical Interpretations

Arthur Bolz<sup>1</sup>, Philippe d'Argent<sup>1</sup>, and Philipp Henkenjohann<sup>2</sup>

<sup>1</sup>Physikalisches Institut, <sup>2</sup>Institut für Theoretische Physik, Universität Heidelberg

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# Introduction - Diphoton Resonance Searches at LHC



## why $\gamma\gamma$ resonance searches?:

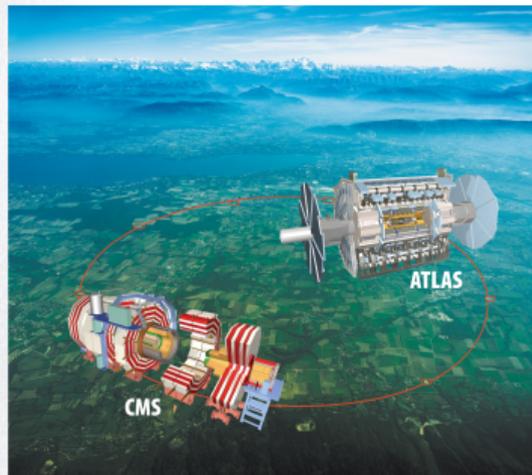
- smooth non-resonant background  
→ easy to model
- excellent detector resolution for high- $p_T$  photons
- essential channel for early Higgs discovery

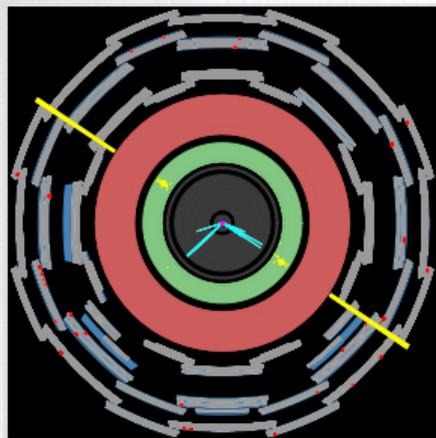
## searches were performed at 8TeV already (spin-0/-2):

- new discovery potential at 13TeV
- 13 TeV provides increased production cross sections:  
4.7 $\times$  for  $gg$  and 2.7 $\times$  for  $qq$  compared to 8TeV

## 2015 & 2016 13TeV data samples ("ICHEP dataset"):

- **ATLAS:** 3.2 + 12.2  $\text{fb}^{-1}$
- **CMS:** 3.3 + 12.9  $\text{fb}^{-1}$  (2015 0.6  $\text{fb}^{-1}$  w/o magnet)





## event trigger:

- 2 photons passing “loose” photon ID criteria
- $E_T > 35(25)$  GeV for leading (subleading) photon

## offline photon selection:

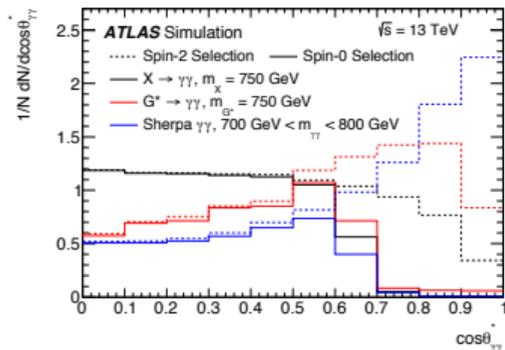
- $|\eta| < 2.37$  excluding barrel-endcap transition regions
- “tight” photon ID: analyse shower shapes
- calo based isolation:  $E_T^{iso} < 0.022 \times E_T^\gamma + 2.45$  GeV
- track based isolation:  $p_T^{iso} < 0.05 \times E_T^\gamma$

## spin-0 selection: isotropic decay $\rightarrow$ more central photons

- $E_T^\gamma / m_{\gamma\gamma} > 0.4(0.3)$  for leading (subleading)  $\gamma$
- optimized for max significance  $\rightarrow$  purity  $> 90\%$
- subset of spin-2 selection

## spin-2 selection: more forward photons

- $E_T > 55$  GeV
- looser selection preserves high-mass signal acceptance

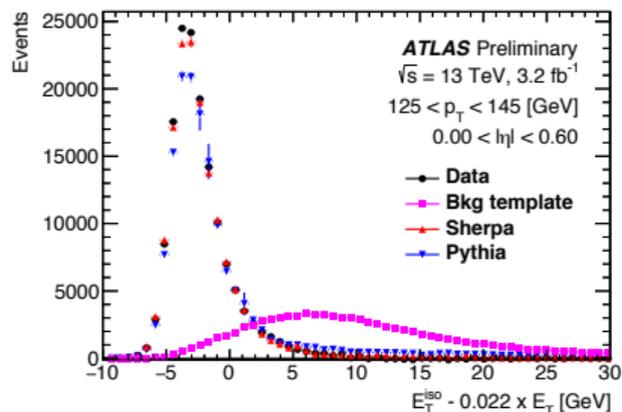
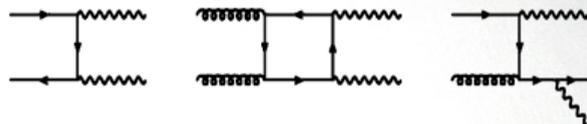


[ICHEP 2016: “Search for a high mass diphoton resonance using the ATLAS detector”]

# ATLAS Search - Sample Composition and Background Contributions

## background contributions:

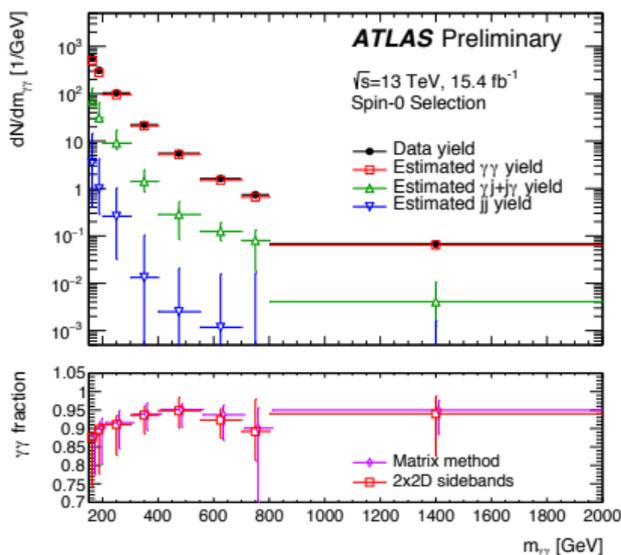
- background is mostly irreducible, non-resoant  $\gamma\gamma$
- some reducible  $\gamma$ -jet and dijet contamination
- isolation criteria used to study and reduce background contamination



## diphoton photon purity (increases with mass)

- spin-0  $\sim 93\%$
- spin-2  $\sim 94\%$

## background composition

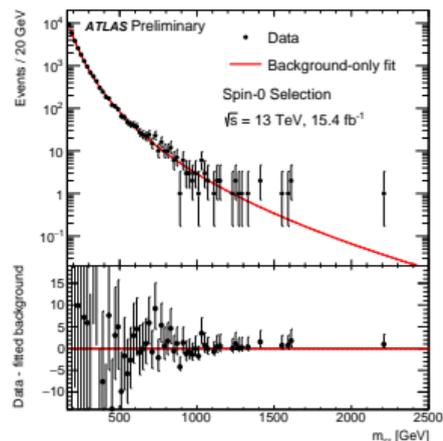


# ATLAS Search - Background Modelling

## spin-0: background parametrized by analytic function:

- test many functions and choose the one with smallest bias on fitted signal
- “spurious signal” modelling systematic: number of signal events fitted to background only MC

$$F(x) = N \left(1 - x^{1/3}\right)^b x^{a \log(x)}, \quad x = (m_{\gamma\gamma} / \sqrt{s})$$

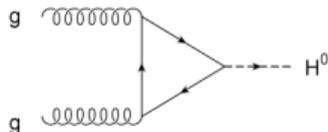


## spin-2: background template histogram for high-mass sensitivity:

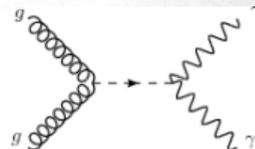
- $\gamma\gamma$  background: from Diphoton NLO calculations
- $\gamma$ -jet and dijet background: from anti-tight  $\gamma$ -ID control regions
- normalization from isolation distribution in at low  $m_{\gamma\gamma}$

# ATLAS Search - Signal Modelling

**spin-0 benchmark model**  
high mass SM Higgs



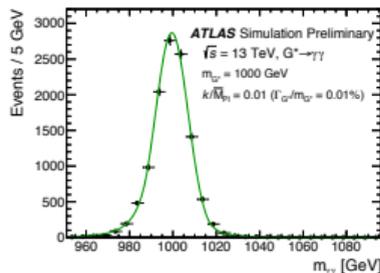
**spin-2 benchmark model**  
RS graviton model (lowest excitation)



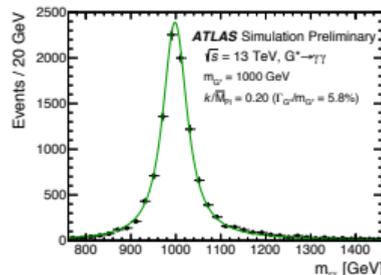
- expected model line-shape parametrized as function of mass and width
- convoluted with double sided Crystal Ball (DSCB) function to model detector resolution

spin-0

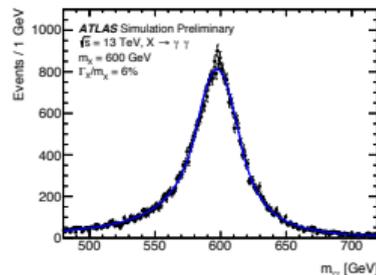
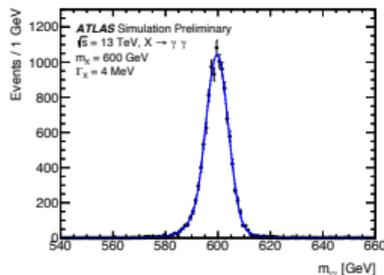
small width



large width



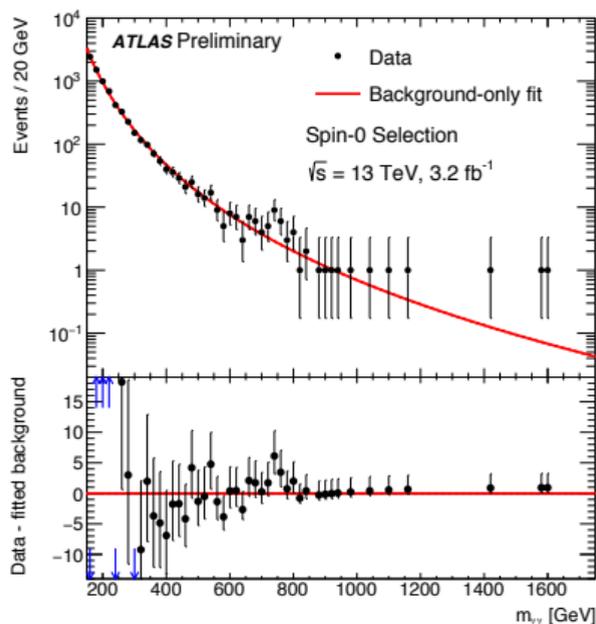
spin-2



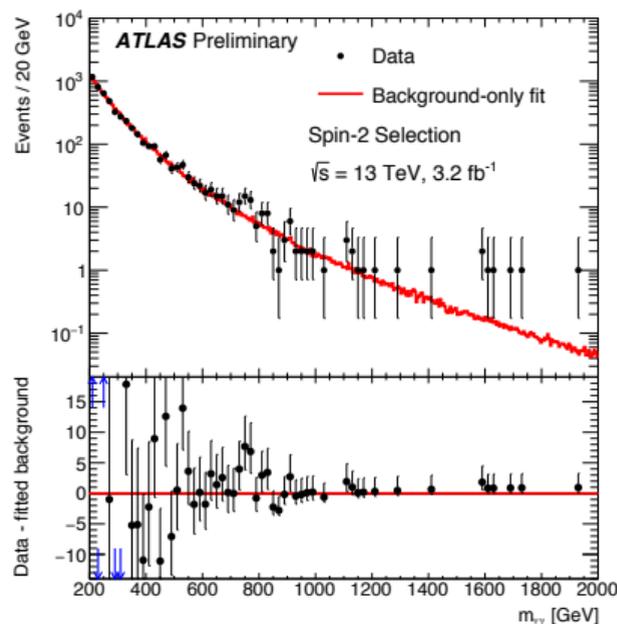
## Statistical Methodology

- maximum likelihood fit to mass distribution  $N_S(\sigma_S)f_S(m_{\gamma\gamma}) + N_B f_B(m_{\gamma\gamma})$
- calculate local  $p$ -values from test statistics  $q_0(m_X, \alpha) = -2 \log \frac{L(0, m_X, \alpha, \hat{\nu})}{L(\hat{\sigma}_S, m_X, \alpha, \hat{\nu})}$

### spin-0 selection:

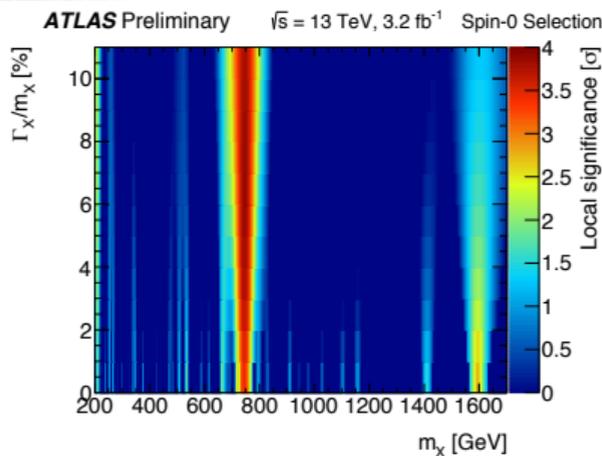


### spin-2 selection:

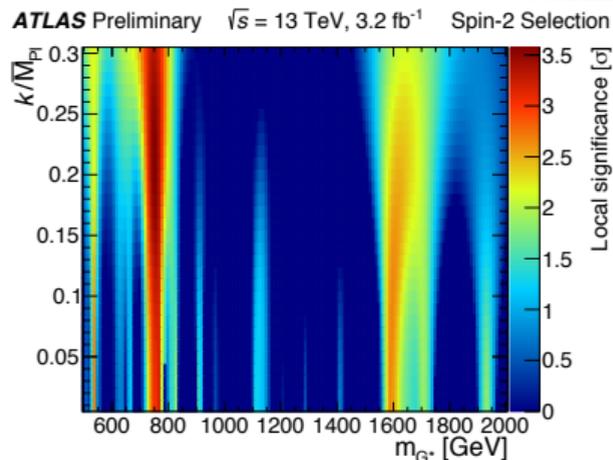


# ATLAS Search - Signal Significances in the Mass-Width Plane 2015

## spin-0 selection, Higgs model:



## spin-2 selection, graviton model:



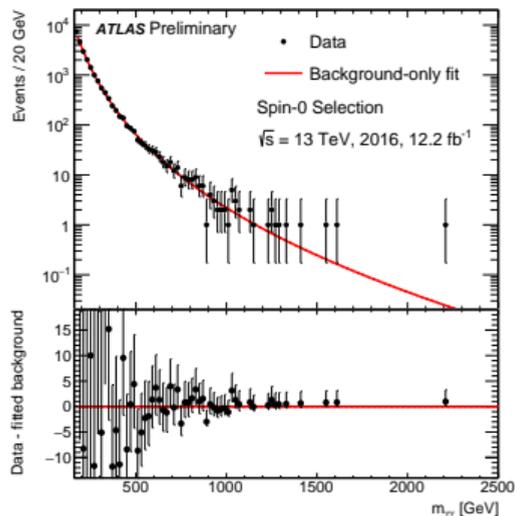
- broad excesses around  $m_{\gamma\gamma} = 750 \text{ GeV}$
- $3.8\text{-}3.9\sigma$  local significance
- $2.1\sigma$  global significance, “look elsewhere effect”

# ATLAS Search - Results 2016 [ATLAS-CONF-2016-018]

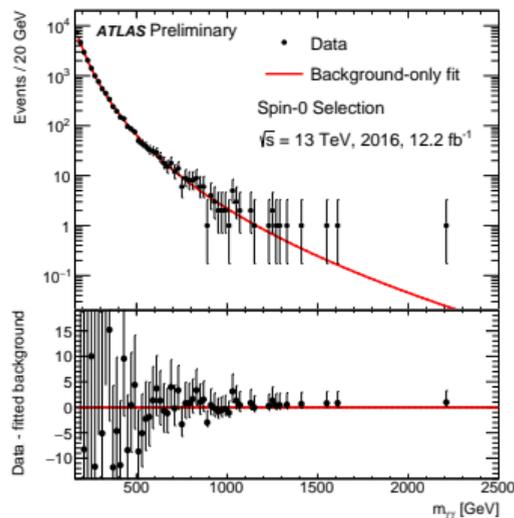
- re-analyse 2015 data w/ improved reconstruction → slightly smaller significance, max at 730 GeV
- spin-0 analysis with  $12.2 \text{ fb}^{-1}$  2016 ICHEP dataset published
- spin-2 analysis still ongoing

## spin-0 analysis:

2016 only



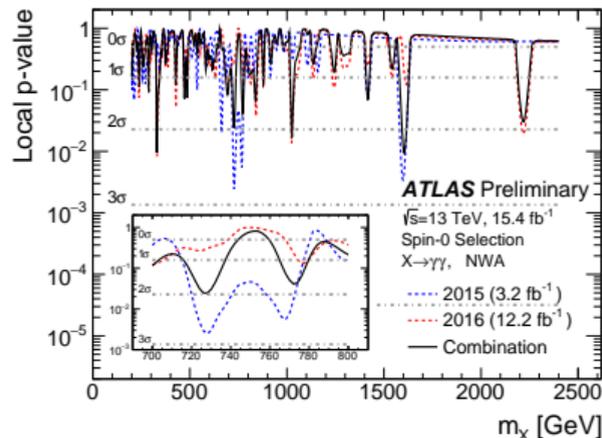
2015 + 2016



- No significant excesses in 2016 data and 2015 + 2016 combination
- compatibility between 2015 and 2016 signal cross-sections at 730 GeV:  $2.7\sigma$

# ATLAS Search - Significance Narrow Width Signal 2015+2016

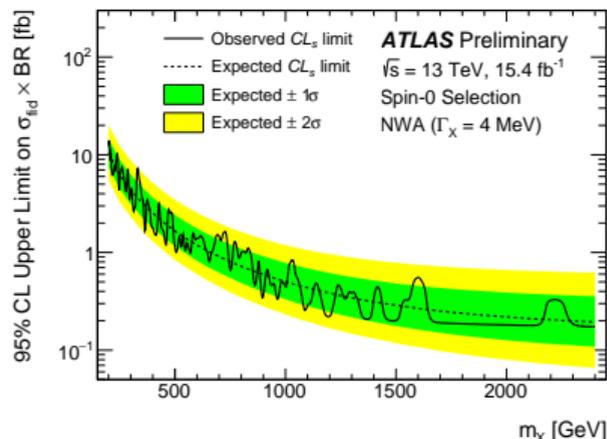
## background only compatibility:



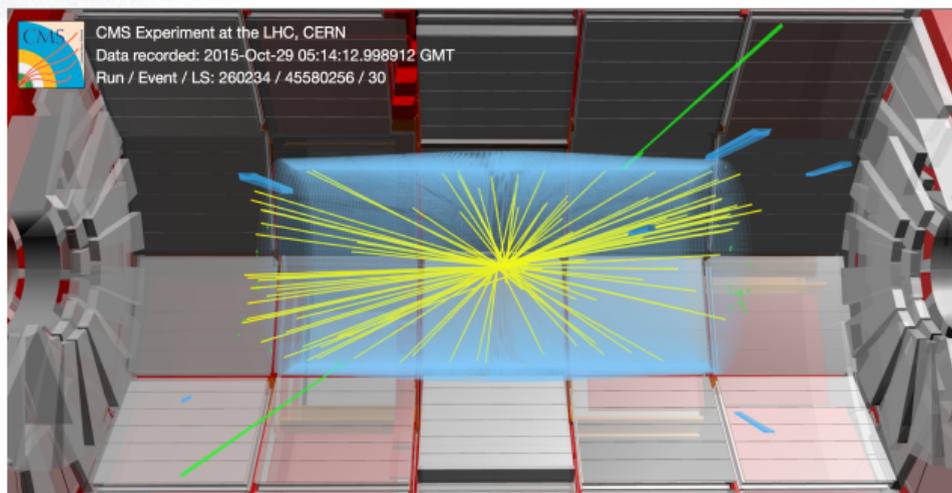
- ⇒ no excess with a global significance above  $1\sigma$
- ⇒ excess at 750GeV from 2015 vanished in 2016 (spin-0 analysis)

## limit setting:

- limit setting on fiducial cross-section (minimize model dependence)



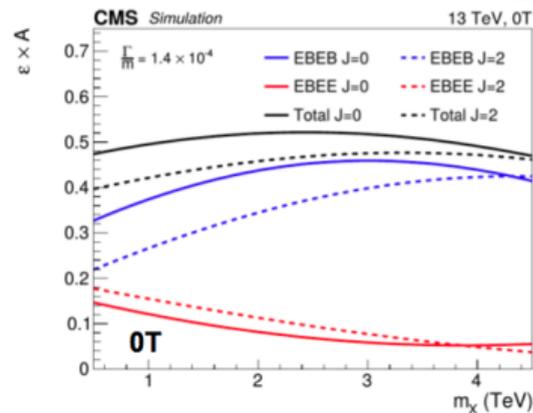
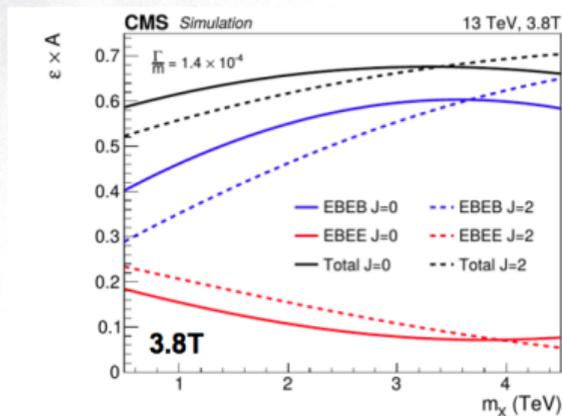
## CMS Search - Event Selection



### Simple event selection:

- Common spin-0 and spin-2 selection
- Two photons with  $p_T > 75$  GeV
- Isolation criteria are imposed
- At least one  $\gamma$  in the barrel  $|\eta| < 1.44$

# CMS Search - Selection efficiency



- Events split in barrel-barrel(**EBEB**) and barrel-endcaps(**EBEE**) categories  
Per-photon efficiency in the barrel  $\approx 90\%$   
Per-photon efficiency in the endcaps  $\approx 85\%$
- $0.6 \text{ fb}^{-1}$  recorded without magnetic field  
No information on track momenta  $\rightarrow$  lower selection efficiency

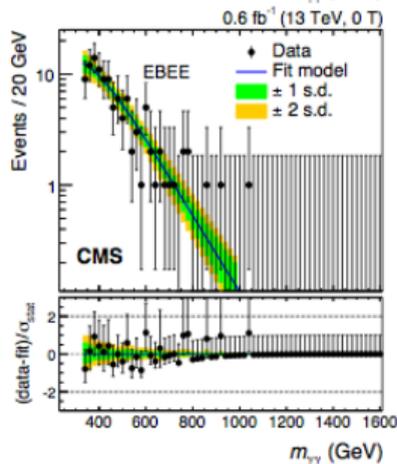
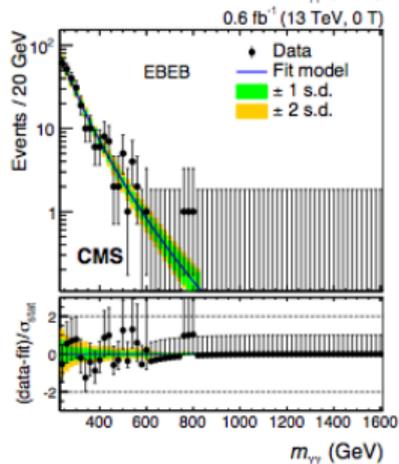
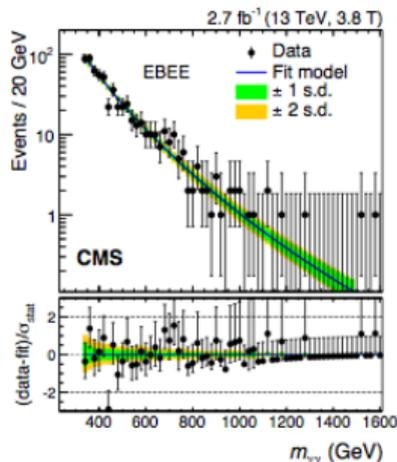
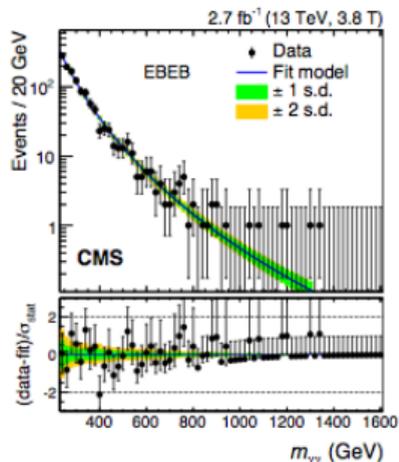
## Signal modeling

- Convolution of intrinsic line-shape and detector resolution
- Taken from simulation, corrections are derived from  $Z \rightarrow e^+ e^-$  data
- 3 scenarios tested:
  - Detector resolution dominates:  $\Gamma/m = 1.4 \cdot 10^{-4}$
  - Comparable resolution and width:  $\Gamma/m = 1.4 \cdot 10^{-2}$
  - Resonance width dominates:  $\Gamma/m = 5.6 \cdot 10^{-2}$

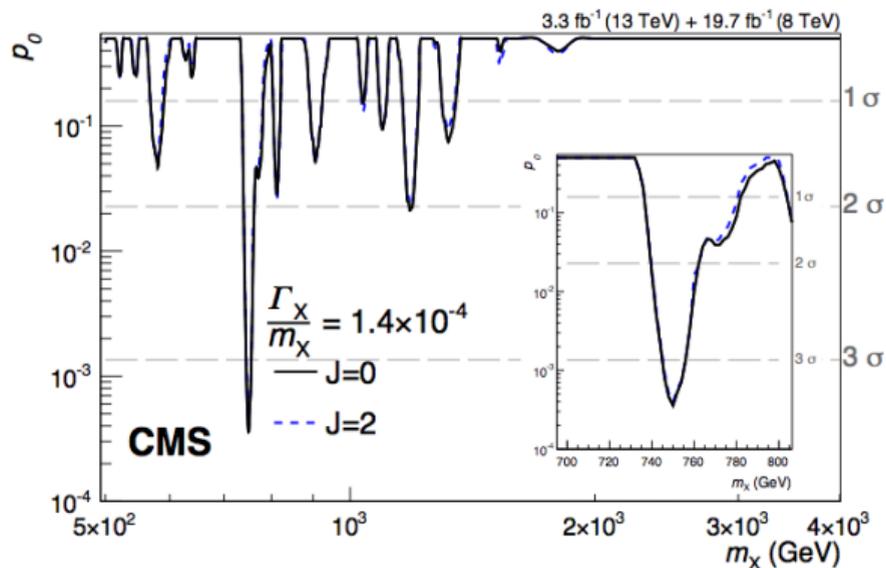
## Background modeling

- Dominant contribution: non-resonant  $\gamma\gamma$
- $f(m_{\gamma\gamma}) = m_{\gamma\gamma}^{a+b\log(m_{\gamma\gamma})}$
- Independent shape for each category
- Possible mis-modeling studied on MC and included as bias term

# CMS Search - 2015 Results

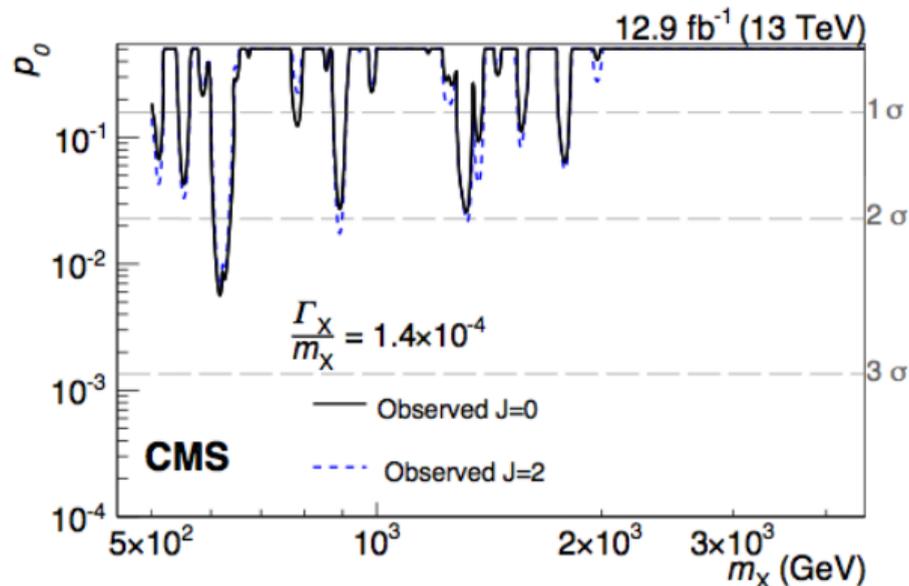


# CMS Search - 2015 Results



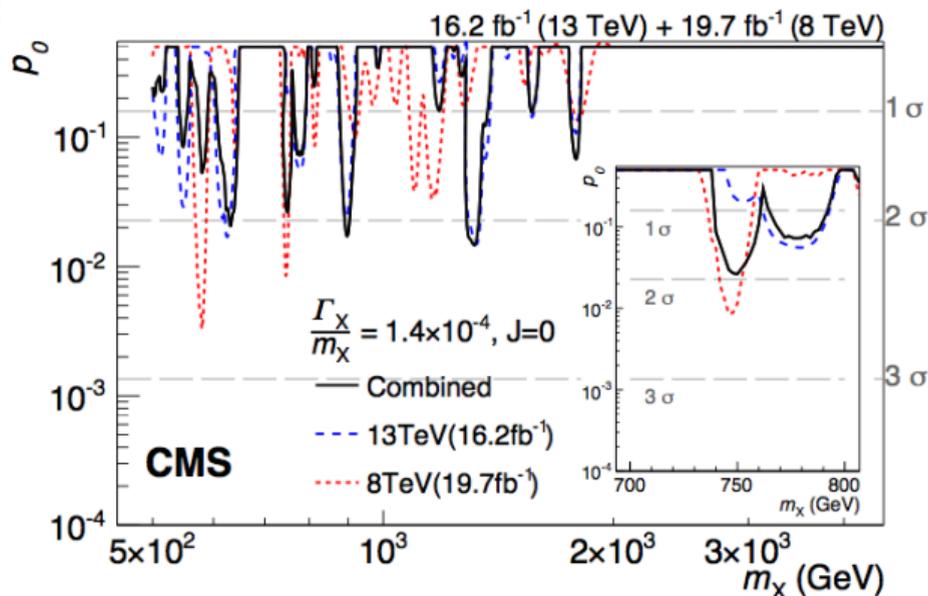
- Largest excess observed for  $m \approx 750$  GeV
- Minor differences between spin hypotheses
- Local significance for narrow (large) width:  $3.4\sigma$  ( $2.3\sigma$ )
- Global significance:  $1.6\sigma$

## CMS Search - 2016 Results



- No significant excess around  $m \approx 750$  GeV
- Largest excess now observed for  $m \approx 620$  GeV
- Local significance  $\approx 2.4 - 2.7\sigma$

## CMS Search - Combined Results



### Combination with 2012 and 2015 data:

- Local significance at  $m \approx 750$  GeV reduced from  $3.4\sigma$  to  $1.9\sigma$

## Summary - Experiment:

- ATLAS and CMS performed searches for diphoton resonances
- Excess around 750 GeV seen in 2015 not confirmed with 2016 data
- Data consistent with background-only hypothesis over the full mass range

## The Spin of the Resonance

- spin 1 particle cannot decay into two photons [C.N. Yang, Phys. Rev. 77, 242 (1950)] → resonance must have either **spin 0 or spin 2**
- **spin 2** would be very interesting as it might be a **graviton candidate**
- graviton naturally **couples** to the energy-momentum tensor and hence **universally** to all matter and radiation
- makes it **theoretically difficult** to incorporate the observation of only a single decay channel so far

## Modeling the Resonance Theoretically: Preliminaries

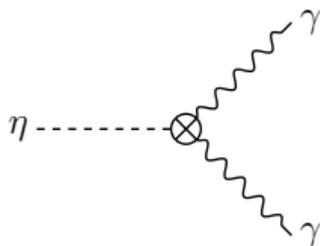
- concentrate on **spin 0** case
- let the corresponding scalar field  $\eta$  be **real**
- two options

$$\eta \text{ is } \begin{cases} \text{scalar} & \Rightarrow \eta \xrightarrow{\text{CP}} +\eta \\ \text{pseudoscalar} & \Rightarrow \eta \xrightarrow{\text{CP}} -\eta \end{cases}$$

- more natural choice: **pseudoscalar**  $\rightarrow$  no mixing with Higgs

# Effective Field Theory

- $\eta$  must somehow couple to photons ( $A^\mu$ ), pictorially



- the cross denotes unknown physics, e. g. new particles

Although ignorant of the new physics underlying this interaction we can build an interaction lagrangian describing the phenomenology at low energy  $\rightarrow$  effective field theory (EFT)

- we are looking for an interaction term of the form

$$\mathcal{L}_{\text{int}} \sim \eta A^\mu A^\nu$$

- we will impose three symmetries on the interaction lagrangian:
  - ▶ Lorentz symmetry
  - ▶ U(1) gauge symmetry (QED gauge symmetry)
  - ▶ CP symmetry

## Lorentz Symmetry

- $\eta$  is **invariant** under proper Lorentz transformations
- $A^\mu$  transforms as a **4-vector**

Hence, possible interaction terms are  $\mathcal{L}_{\text{int}} \sim$

- $\eta A^\mu A_\mu$
- $\eta \partial_\mu A_\nu \partial^\mu A^\nu$
- ...

In short: All **Lorentz indices** must be **contracted**, which is of course well known!

## U(1) Gauge Symmetry

- **gauge invariant quantity** of QED is the **field strength** tensor  $F_{\mu\nu} = \partial_\mu A_\nu - \partial_\nu A_\mu$
- define the **dual field strength** tensor by  $\tilde{F}^{\mu\nu} = \epsilon^{\mu\nu\rho\sigma} F_{\rho\sigma}$

Lorentz + gauge symmetry allows for  $\mathcal{L}_{\text{int}} \sim$

- $\eta F^{\mu\nu} F_{\mu\nu}$
- $\eta \tilde{F}^{\mu\nu} F_{\mu\nu}$

## CP Symmetry and Final Result

Under **CP transformation**:

- $F^{\mu\nu} F_{\mu\nu} \rightarrow +F^{\mu\nu} F_{\mu\nu}$
- $\tilde{F}^{\mu\nu} F_{\mu\nu} \rightarrow -\tilde{F}^{\mu\nu} F_{\mu\nu}$
- recall:  $\eta \rightarrow -\eta$

Our final result is therefore

$$\mathcal{L}_{\text{int}} = \frac{c}{\Lambda} \eta \tilde{F}^{\mu\nu} F_{\mu\nu}$$

- $c$  is a coupling constant
- $\Lambda$  is an energy scale which roughly corresponds to the cutoff scale of this EFT

## Reminder: Electroweak Gauge Bosons

- in the SM, the  $U(1)$  gauge group of QED is a subgroup of the larger electroweak gauge group  $SU(2)_L \times U(1)_Y$
- $U(1)_Y$ : 1 generator  $\rightarrow$  1 vector gauge boson  $B^\mu$
- $SU(2)_L$ : 3 generators  $\rightarrow$  3 vector gauge bosons  $W_\mu^1, W_\mu^2, W_\mu^3$
- due to electroweak symmetry-breaking the gauge bosons we observe are linear combinations of these:

$$\begin{aligned}W_\mu^+ &= W_\mu^1 + iW_\mu^2 \\W_\mu^- &= W_\mu^1 - iW_\mu^2 \\ \begin{pmatrix} A_\mu \\ Z_\mu \end{pmatrix} &= \begin{pmatrix} \cos \theta_W & \sin \theta_W \\ -\sin \theta_W & \cos \theta_W \end{pmatrix} \begin{pmatrix} B_\mu \\ W_\mu^3 \end{pmatrix}\end{aligned}$$

- Weinberg angle  $\sin^2 \theta_W \approx 0.23$

## Improved Effective Theory

- we will now generalize our old  $\mathcal{L}_{\text{int}}$  by demanding invariance under the electroweak gauge symmetry
- the **gauge invariant quantities** made of electroweak gauge bosons are again the corresponding **field strength** tensors  $B_{\mu\nu}$  and  $W_{\mu\nu}^a$
- both  $B_{\mu\nu}$  and  $W_{\mu\nu}^a$  contain the photon  $A_\mu$  and hence potentially couple to  $\eta$ :

$$\mathcal{L}_{\text{int}} = \frac{c_B}{\Lambda} \eta B_{\mu\nu} \tilde{B}^{\mu\nu} + \frac{c_W}{\Lambda} \eta W_{\mu\nu}^a \tilde{W}^{a,\mu\nu}$$

- **conclusion**: electroweak gauge symmetry predicts  $\eta$  to couple also to  $Z$ - and maybe to  $W^\pm$ -bosons
- this can help to constrain the possible strength of the couplings and other parameters, see e. g. [1512.05328]

## Production of the Resonance

- all **partons** of the proton are possible **production candidates** for the resonance
- the **probability to find** a certain parton in the proton **varies with the energy** of the process, encoded in parton distribution functions (PDF)
- due to this we have the following **gain values** in the cross section of the resonance going from 8 TeV in run 1 to 13 TeV in run 2 [1512.04933]:

$$\frac{r_{b\bar{b}}}{5.4} \quad \frac{r_{c\bar{c}}}{5.1} \quad \frac{r_{s\bar{s}}}{4.3} \quad \frac{r_{d\bar{d}}}{2.7} \quad \frac{r_{u\bar{u}}}{2.5} \quad \frac{r_{gg}}{4.7} \quad \frac{r_{\gamma\gamma}}{1.9}$$

- the cross section corresponding to the excess at 750 GeV is estimated to be [1512.04933]

$$\sigma(pp \rightarrow \gamma\gamma) \approx \begin{cases} (0.5 \pm 0.6) \text{ fb} & \text{CMS} & \sqrt{s} = 8 \text{ TeV} \\ (0.4 \pm 0.8) \text{ fb} & \text{ATLAS} & \sqrt{s} = 8 \text{ TeV} \\ (6 \pm 3) \text{ fb} & \text{CMS} & \sqrt{s} = 13 \text{ TeV} \\ (10 \pm 3) \text{ fb} & \text{ATLAS} & \sqrt{s} = 13 \text{ TeV} \end{cases}$$

- need **high gain value to be consistent** with run 1 data  $\rightarrow$  gg-fusion is a reasonable production mechanism

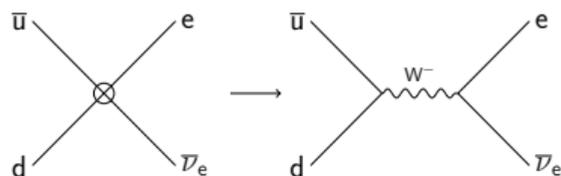
## Summary - Theory

- resonance can have spin 0 or 2, most probably spin 0
- electroweak gauge symmetry predicts coupling to Z boson
- possible production mechanism is via gg-fusion

BACKUP

## A Familiar EFT: Fermi Theory

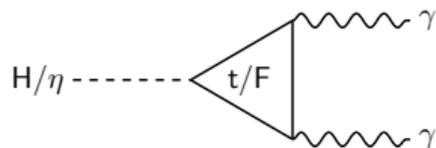
- recall  $\beta$ -decay:  $d \rightarrow u + e^- + \bar{\nu}_e$
- Fermi proposed:  $\mathcal{L}_{\text{int}} \sim G_F (\bar{u}d)(\bar{e}\nu_e) + \text{h.c.}$
- counting dimensions gives  $[G_F] = -2$



- propagator of  $W$ -boson gives a factor  $\frac{1}{p^2 - m_W^2} = \frac{1}{E_{\text{CM}}^2 - m_W^2}$
- at low energies  $E_{\text{CM}} \ll m_W \approx 80 \text{ GeV}$  this gives a roughly constant factor  $\frac{1}{m_W^2}$
- comparing with Fermi's Lagrangian one finds  $G_F \propto \frac{g^2}{m_W^2}$   
→ mass of the new particle hidden in the cross sets the energy scale of the effective theory

## Outlook: Possible New Physics

Recall the **Higgs detection channel** at the LHC (among others):



- might be a good first guess to propose a similar mechanism for the decay of  $\eta$  to two photons
- in order for this to work we have to replace the top quark by **new heavy fermions F**