

Lecture 2: Higgs and di-Higgs at LHC

Last lecture: discussed Higgs potential in detail,

introduced κ_γ coupling modifier

Today: • more on precision measurements in Higgs sector (VEV, mass, couplings)
• overview of di-Higgs analyses in ATLAS

1. VEV measurement \rightarrow in muon decays

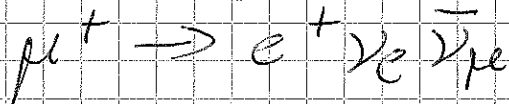
We know that:

$$v = \frac{1}{\sqrt{\sqrt{2} G_F}}$$

G_F - Fermi constant

\rightarrow we need a precise measurement of G_F

\rightarrow this can be obtained by measuring muon lifetime in a muon on target experiment (MuLan collaboration, PSI)



and then:

$$\frac{1}{\tau_\mu} = \frac{G_F^2 m_\mu^5}{192 \pi^3} (1 + \Delta Q)$$

ΔQ
QED & hadronic corrections

giving $v = 246 \text{ GeV}$

2. Higgs sector at the LHC \rightarrow precision measurements from ATLAS & CMS

- mass \rightarrow current most precise value: 125.09 GeV
- \rightarrow Run 1 combination of data from ATLAS & CMS from two channels with best mass resolution:

$$H \rightarrow \gamma\gamma$$

$$H \rightarrow ZZ^* \rightarrow 4l$$

$H \rightarrow \gamma\gamma$: narrow resonant signal peak above a large continuum background
 \sim several hundred signal events

$H \rightarrow ZZ \rightarrow 4l$: very little background
 \sim several tens signal events

\Rightarrow how is m_H measured?

\hookrightarrow quick recap of the maximum profile-likelihood ratios method

$$\sqrt{L}(\alpha) = \frac{L(\alpha, \hat{\theta}(\alpha))}{L(\hat{\alpha}, \hat{\theta})}$$

$[\hat{\alpha}] \rightarrow$ max. likelihood estimate for given α

$[\hat{\alpha}] \rightarrow$ unconditional max. likelihood

L - likelihood function

α - parameters of interest (here m_H)

θ - nuisance parameters

from MC \uparrow

MC or data-driven \uparrow

$\rightarrow L$ is constructed using signal and background pdf's & depends on the discriminating variable e.g. for $H \rightarrow \gamma\gamma$: diphoton mass

$[\hat{\alpha}] = [m_H]$ $H \rightarrow 4l$: four-lepton mass

• measurements of Higgs boson production cross sections and branching fractions

→ measured global Higgs signal yield (normalised to the SM prediction):

ATLAS: 1.06 ± 0.06 (means: agreement with the SM)

→ possible interpretation of the results in terms of Kappa (κ) framework (modifiers of SM couplings - Higgs to other particles)

and/or SMEFT → set limits on parameters
2HDM

➔ general conclusion: no significant deviation from the SM observed (see Fig. 1)

↳ all cross-sections give a total compatibility with the SM prediction corresponding to the p-value of $P_{SM} = 79\%$

• κ -framework: study modifications to Higgs couplings related to BSM physics
→ take leading order contributions of each production and decay process:

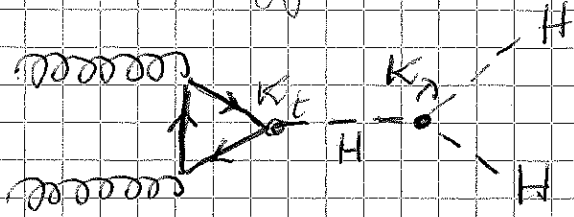
$$\kappa_j^2 = \frac{\sigma_j}{\sigma_j^{SM}}$$

Following kappas are measured in single Higgs production:

$\kappa_Z, \kappa_W, \kappa_b, \kappa_t, \kappa_\tau, \kappa_\mu, \kappa_g, \kappa_\gamma, \kappa_{Z\gamma}$ (although $H \rightarrow Z\gamma$ not yet observed)
= 3 =

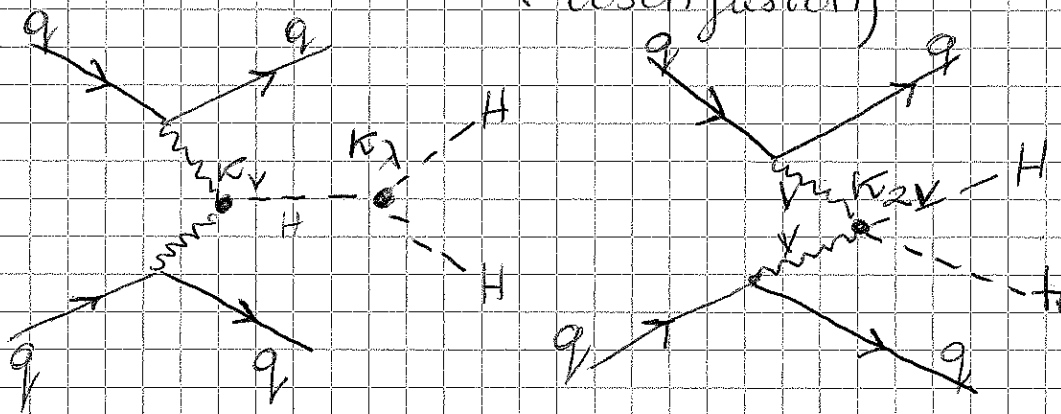
To measure K_λ and K_{2V} \rightarrow we use di-Higgs

K_λ in ggF

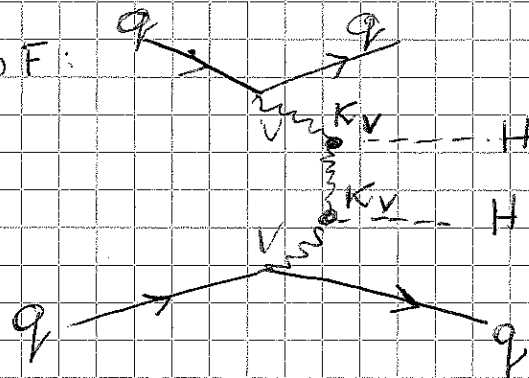


(K_λ could also be constrained by single Higgs)

but K_λ also in VBF production as well as K_{2V}



also possible for VBF:



How do we explore K_λ / K_{2V} experimentally?

\rightarrow ideal: measure cross section for various di-Higgs production modes and decay channels \rightarrow interpret the results in K -framework

\hookrightarrow but we don't have enough events

(ggF: $\sigma_{SM} \approx 30 \text{ fb}$, VBF $\sigma_{SM} \approx 1.7 \text{ fb}$)

\hookrightarrow instead we set upper limits on the cross section for different values of K_λ (K_{2V})

= 4 =

and we constrain their possible values.

- Limits are set using the frequentist CL_s method. μ is the signal strength.

At 95% CL:

$$CL_s = \frac{CL_{s+b}}{CL_b} = \frac{P(q_\mu \geq q_{\mu, \text{obs}} | s+b)}{P(q_\mu \geq q_{\mu, \text{obs}} | b)}$$

$CL_s \ll 0.05$ means μ is excluded.

q_μ - a test statistic related to the

one-sided profile likelihood ratio.

it measures level of compatibility of data with

$$\tilde{q}_\mu = \begin{cases} -2 \ln \left(\frac{L(\mu, \hat{\theta}(\mu))}{L(0, \hat{\theta}(0))} \right), & \hat{\mu} < 0 \\ -2 \ln \left(\frac{L(\mu, \hat{\theta}(\mu))}{L(\hat{\mu}, \hat{\theta})} \right), & 0 \leq \hat{\mu} \leq \mu \\ 0, & \hat{\mu} > \mu \end{cases}$$

data with signal and background model

- production modes considered: ggF & VBF
- decay channels mainly contributing to current best results: bbbb, bb $\tau\tau$, bb $\gamma\gamma$
- (also studied in ATLAS: bbVV, bbll, multilepton)

Why those 3?

↳ balance between high branching fraction and purity of the channel (little background)

channel	branching fraction	
bbbb	34%	→ highest BF but challenging QCD background

$bb\tau\tau$

^{BF}
7.3%

→ moderate BF,
but taus are effective
at rejecting multi-jet
background

$bb\gamma\gamma$

0.26%

→ low BF, but great
di-photon mass resolution

↳ current best non-resonant result: combination
of $bb\tau\tau$ and $bb\gamma\gamma$ channels

↳ see fig. 2

↳ R_γ constrained to an interval $[-1, 6.6]$

SM cross section limit: $3.1 \times \text{SM}$

→ combination of all channels is ongoing

↳ better/more constrained limits on

^{much} k_γ & $R_{2\gamma}$

→ better limits (potentially a measurement)

expected at HL-LHC or FCC

↳ projection studies ongoing

↳ more statistics, however also a lot of
pile-up

Next lecture: HH → 4b analysis

↳ how can it contribute to this
great result

↳ how challenging QCD background
is dealt with

Figure 1

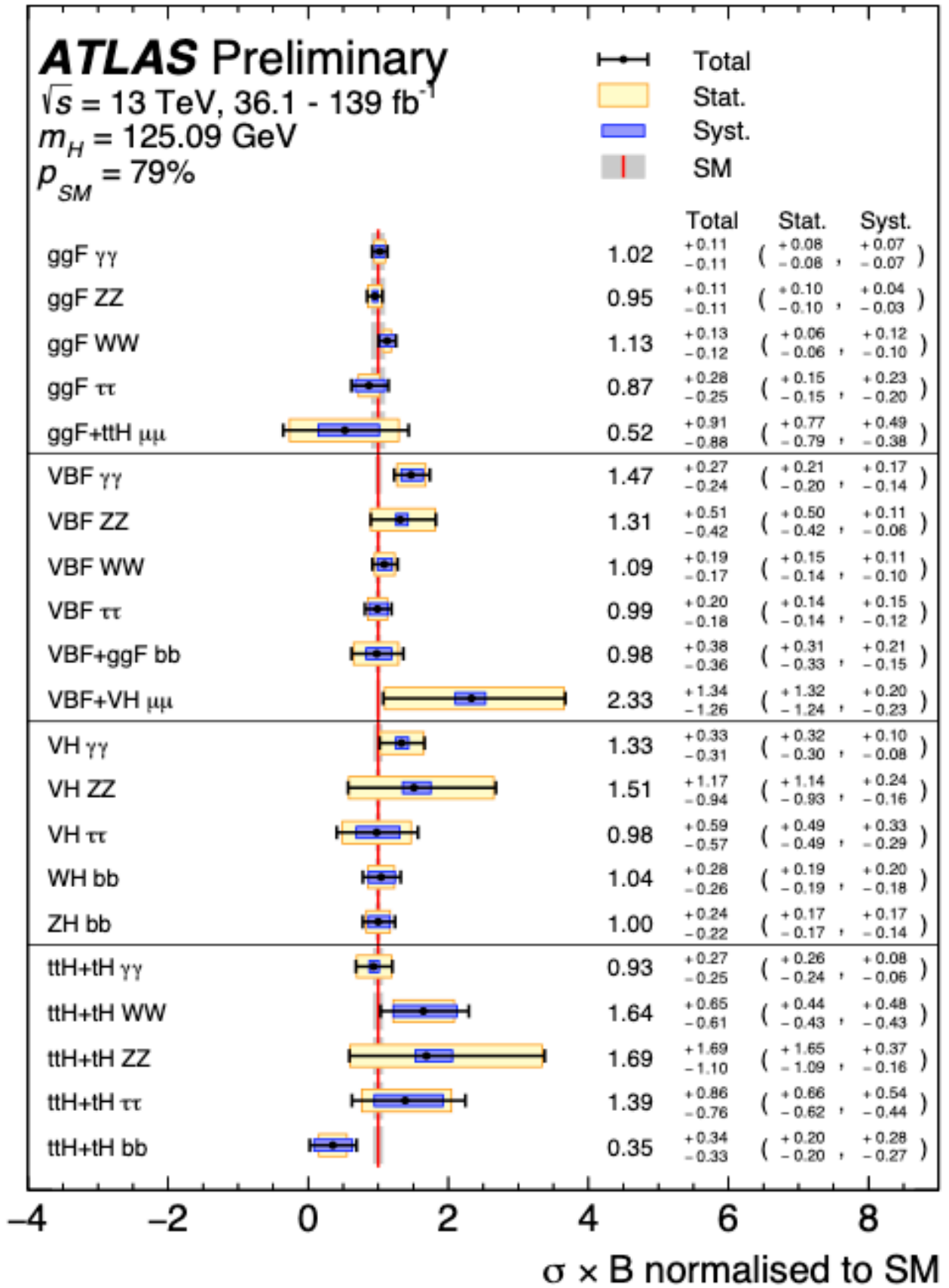


Figure 2

