

NLO for Higgs signals



MAX-PLANCK-GESELLSCHAFT

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Max Planck Institute for Physics, Munich



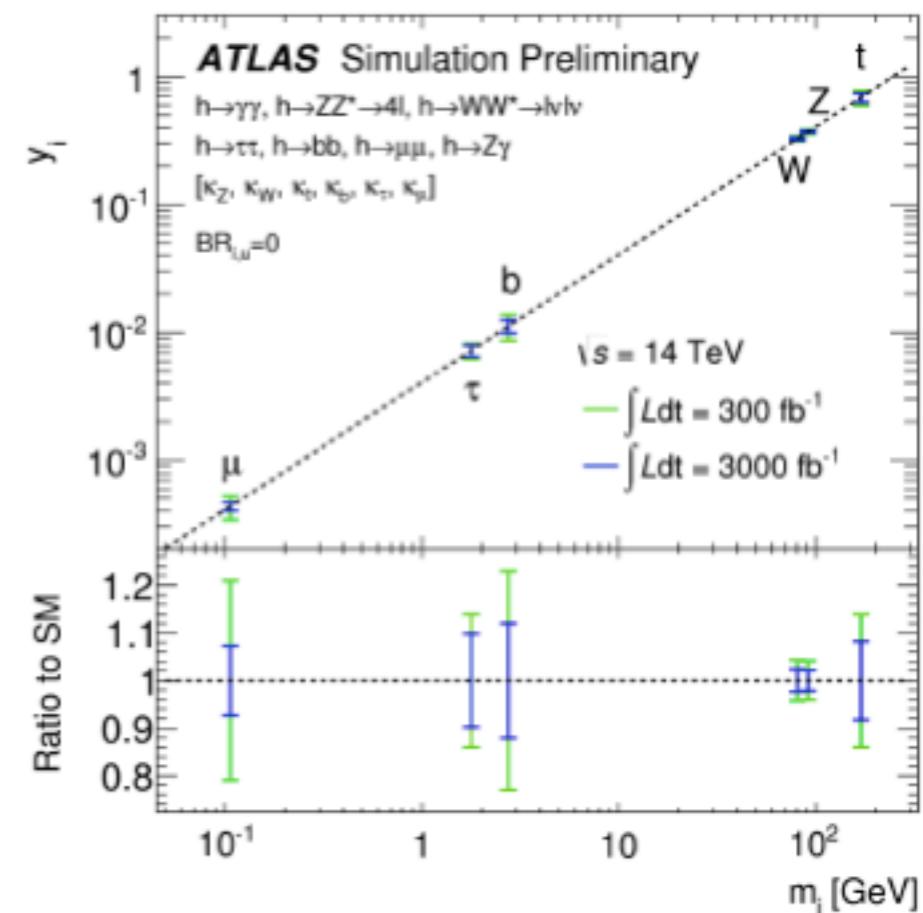
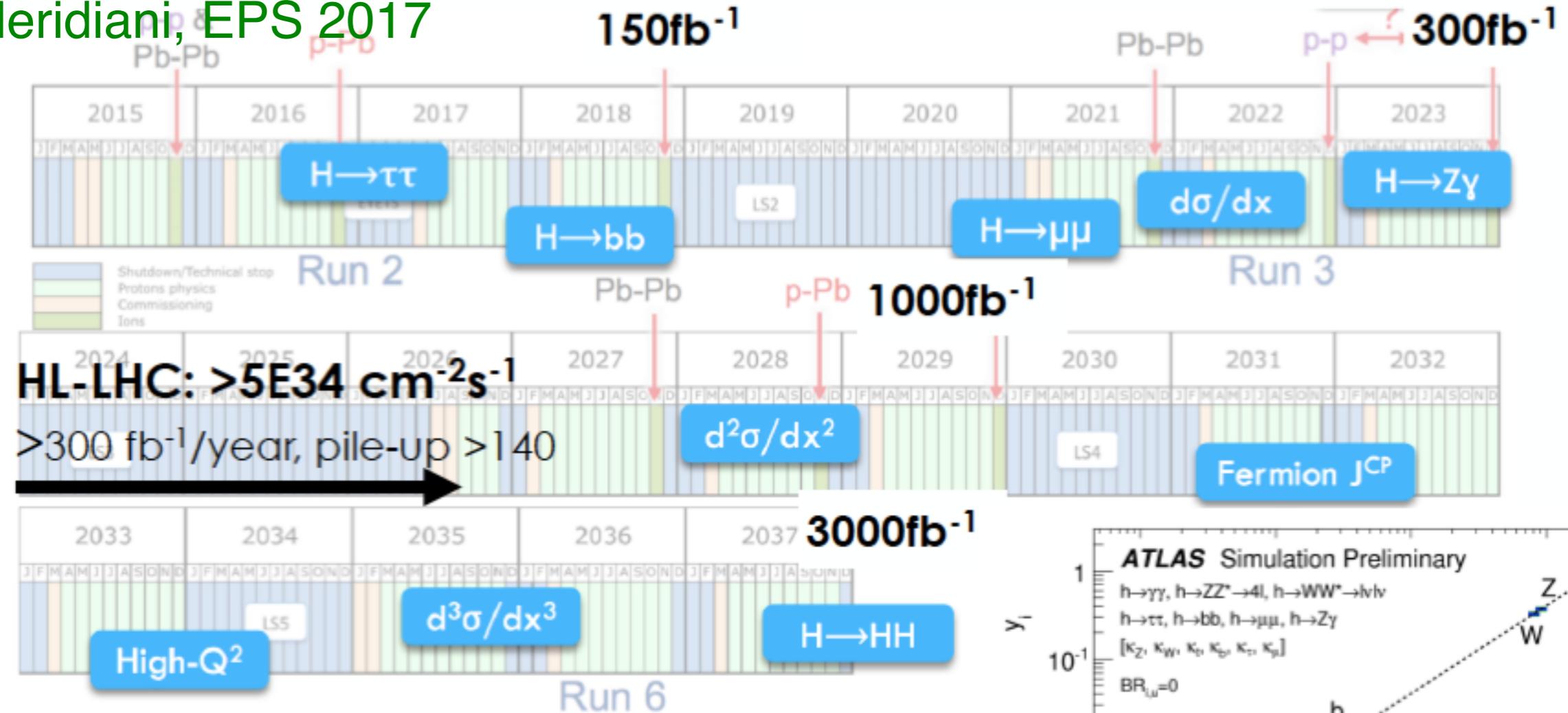
Max-Planck-Institut für Physik
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TIMELINE BEYOND RUN2



Credits: A. David @ GRC 2017

P.Meridiani, EPS 2017

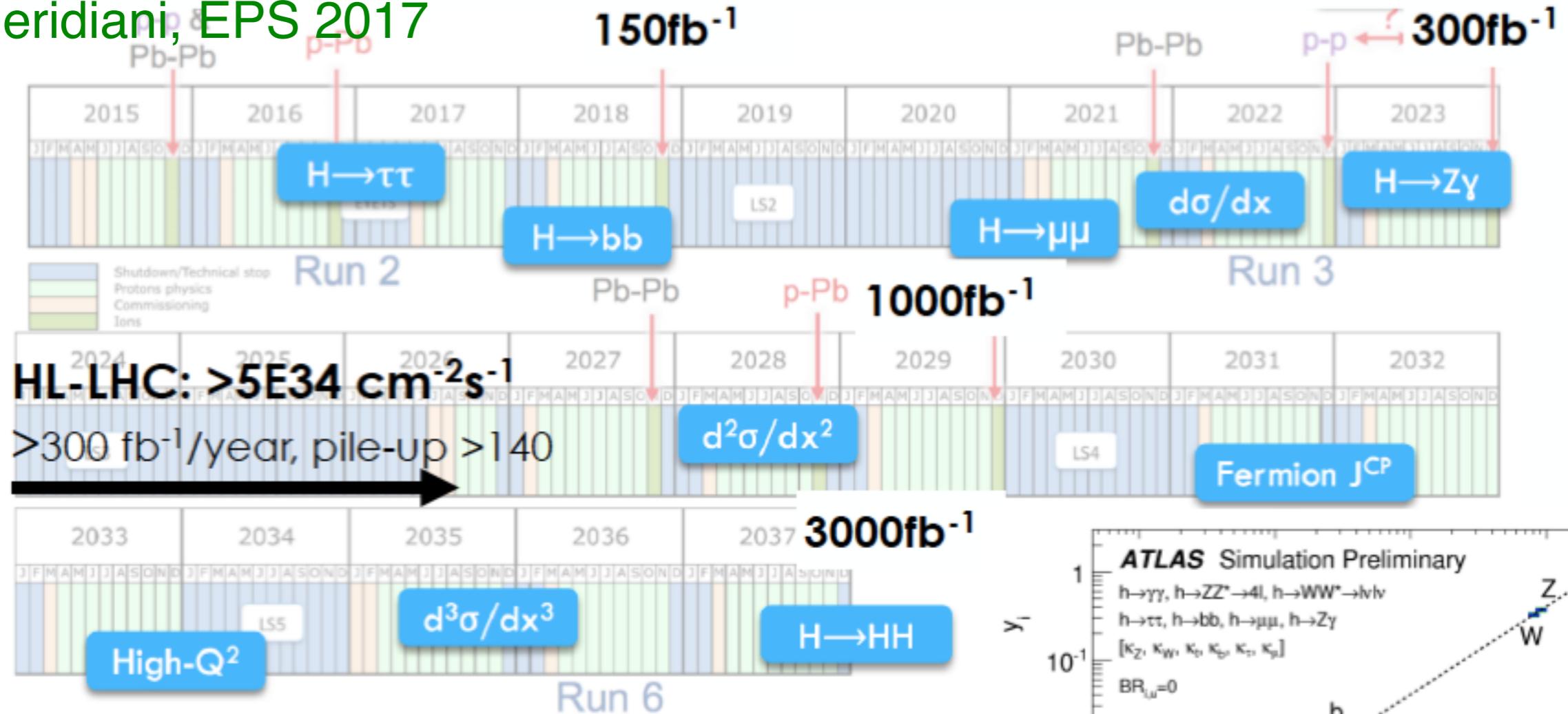


TIMELINE BEYOND RUN2

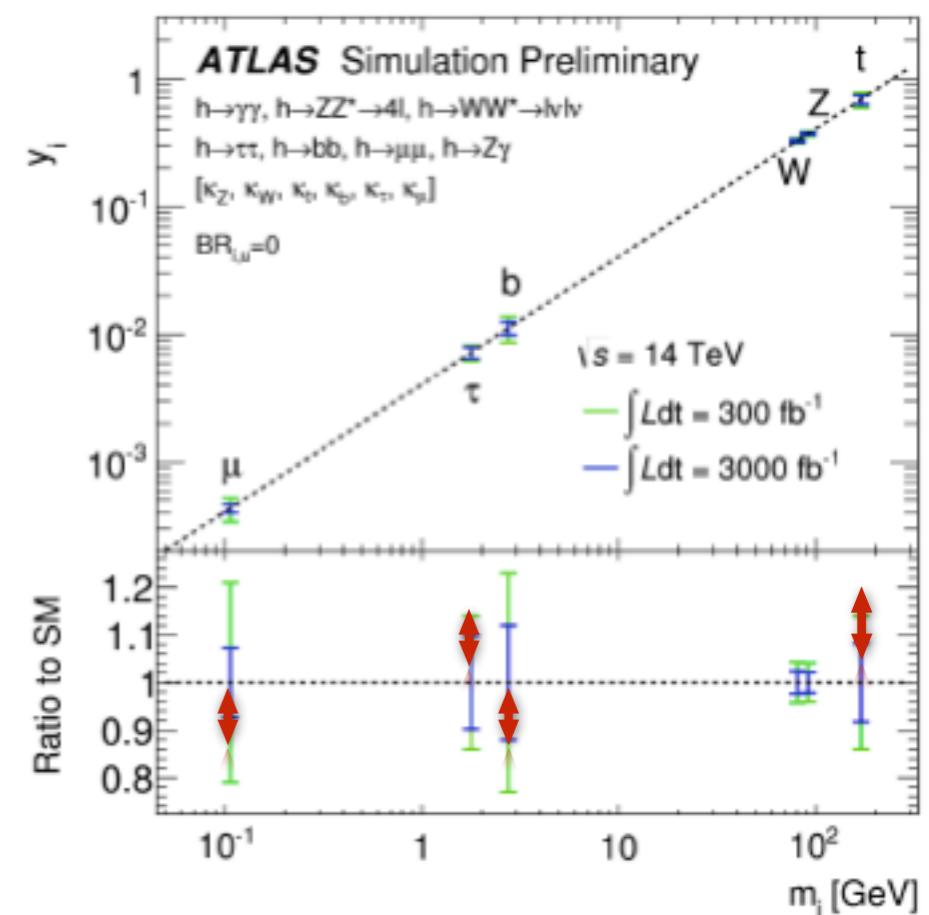


Credits: A. David @ GRC 2017

P.Meridiani, EPS 2017



we need to be sure about the systematic uncertainties to see something like this



status of higher (fixed) order predictions involving H

(see also Kirill's talk)

	σ_{tot}	$d\sigma$	bonus
$gg \rightarrow H$	N^3LO	NNLO	N^3LL threshold resum. NLO EW, mixed QCD/EW
VBF	N^3LO	NNLO	NLO EW
WH / ZH	NNLO	NNLO	NLO EW gg to ZH mt dep. approx.
$t\bar{t}H$	NLO	NLO	NNLL threshold resum. NLO EW
$H + \text{single top}$	NLO	NLO	
$H + \text{jets}$	1j: NNLO	1j: NNLO	NLO up to 3jets H+1jet NLO: mb dependence
$H H$	NNLO	NNLO	NNLL resum. NLO NLL resum.

black: $m_t \rightarrow \infty$ (HEFT) blue: m_q dependence

status of higher (fixed) order predictions involving H

	σ_{tot}	$d\sigma$	bonus
$gg \rightarrow H$	N ³ LO Anastasiou et al '13-'15 De Florian, Grazzini, Tommasini '11,'12	NNLO (+NNLL) Dulat, Mistlberger '17	N ³ LL threshold resum. Bizon, Monni, Re, Rottoli, Torrielli '17
VBF	N ³ LO Bolzoni, Maltoni, Moch, Zaro '10; Dreyer, Karlberg '16	NNLO Cacciari, Dreyer, Karlberg, Salam, Zanderighi '15	NLO EW, mixed QCD/EW Degrassi, Maltoni '04; Actis, Passarino, Sturm, Uccirati '08; Anastasiou et al '08
WH / ZH	NNLO Brein, Djouadi, Harlander '03; Brein, Harlander, Wiesemann, Zirke '11	NNLO Ferrera, Grazzini, Tramontano '11,'14	NLO EW Denner, Dittmaier, Kallweit, Mück '12
$t\bar{t}H$	NLO Beenakker et al '01; Dawson, Reina '02; Frederix et al '14	NLO	gg to ZH 1/mt Altenkamp et al '12
$H + \text{single top}$	NLO Demartin, Maltoni, Mawatari, Zaro '15	NLO	NNLL threshold resum. Harlander et al '14
$H + \text{jets}$	1j: NNLO Boughezal, Caola et al '15; Boughezal et al '15; Chen et al '15; Dulat, Mistlberger '17	1j: NNLO	NLO EW Frixione et al '14; (on-shell) Denner, Lang, Pellen, Uccirati '16
$H H$	NNLO De Florian, Mazzitelli '15; Steinhauser et al '15	NNLO De Florian et al '16	NNLL threshold resum. Kulesza et al '15
			NLO up to 3jets Cullen et al '13
			H+1jet NLO: mb dependence Lindert, Melnikov, Tancredi, Wever '17
			NLO Borowka, Greiner, GH, Jones, Kerner, Schlenk, Schubert, Zirke '16
			NLL resum. Ferrera, Pires '16

status of parton shower matched results

$gg \rightarrow H$	NNLO	Hamilton, Nason, Re, Zanderighi '13; Höche, Li, Prestel '14; Alioli et al '13,'15
VBF	NLO	Nason, Oleari '10; Frixione, Torrielli, Zaro '13; Campanario et al '13; Jäger et al '14
WH / ZH	NLO (+ 0/1-jet merging)	Luisoni, Nason, Oleari, Tramontano '13
	NNLO	Goncalves, Krauss, Kuttimalai, Maierhöfer '15; Astill, Bizon, Re, Zanderighi' 16
	NLO QCD+EW	Granata, Lindert, Oleari, Pozzorini '17
$t\bar{t}H$	NLO	Frederix et al '11; Garzelli et al '11; Hartanto et al '15; QCD and EW: Denner, Lang, Pellen, Uccirati '16
$H + \text{single top}$	NLO	Demartin, Maltoni, Mawatari, Zaro '15
$H + \text{jets}$	NLO up to 2jets	Buschmann, Goncalves, Krauss, Kuttimalai, Schönherr, Plehn '14 Frederix, Frixione, Vryonidou, Wiesemann '16
$H H$	NLO	GH, Jones, Kerner, Luisoni, Vryonidou '17; Jones, Kuttimalai '17

some pressing problems to solve at NLO:

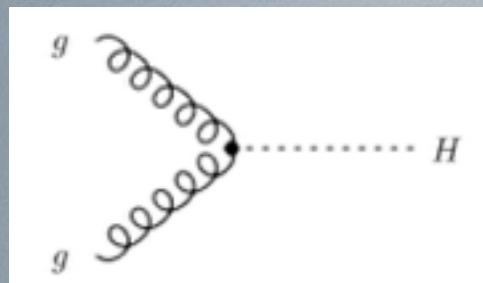
- quark mass effects
“boosted Higgs can resolve loops from heavy BSM particles”
→ **and** heavy SM particles (top)!
- EW corrections, combination QCD/EW
- consistent combination of EFT and SM NLO corrections
- finding “optimal” scales/assessment of scale uncertainties
(also shower/resummation scale uncertainties)
- multi-jet merging
- improve logarithmic accuracy of parton showers

Higgs pT

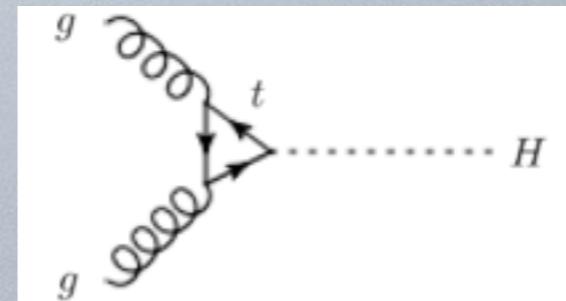
high-energy resummation of Higgs pT in $gg \rightarrow H$ with off-shell gluons

Marzani, Ball, del Duca, Forte, Vicini '08; Forte, Muselli '15; Caola, Forte, Marzani, Muselli, Vita '16

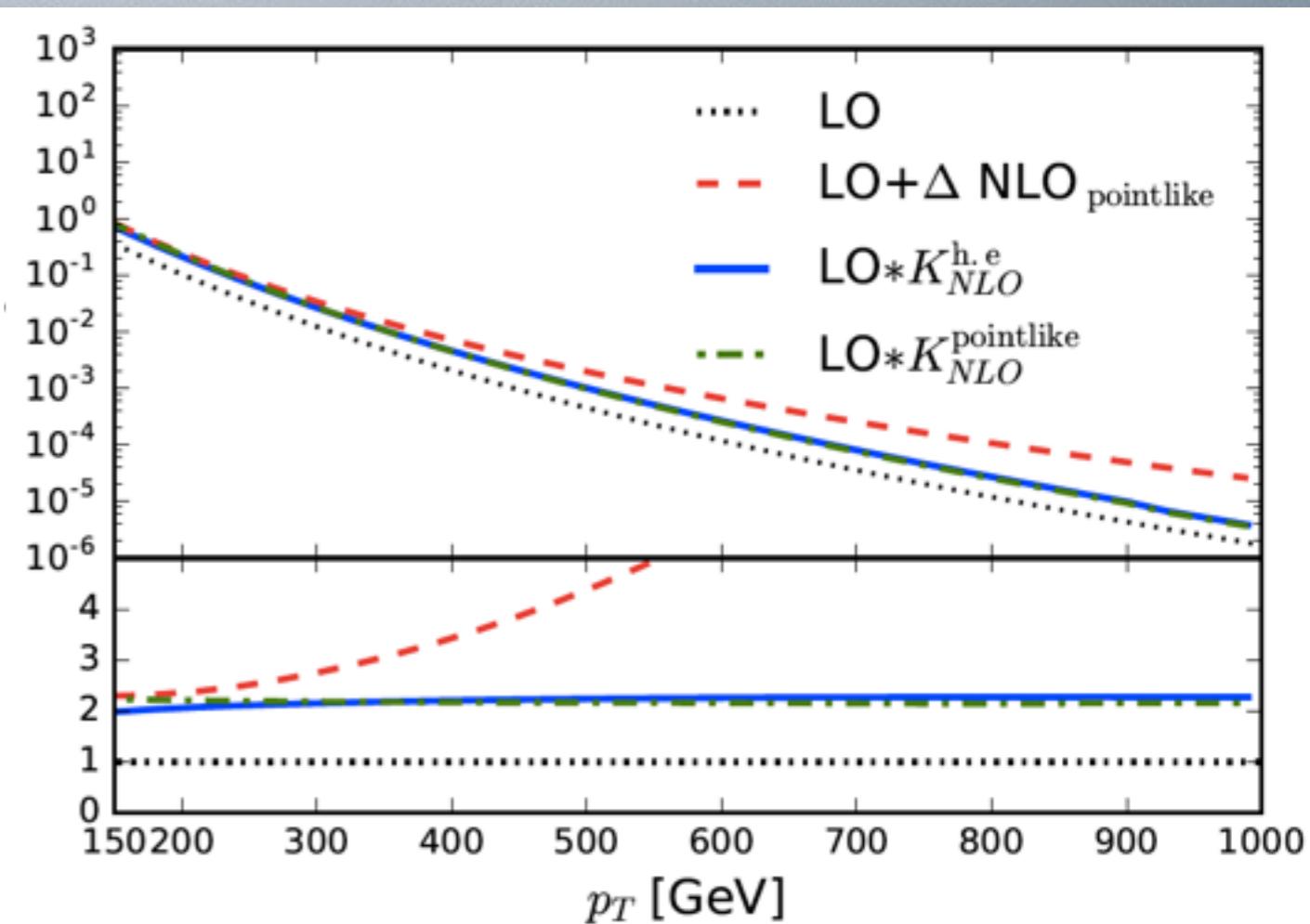
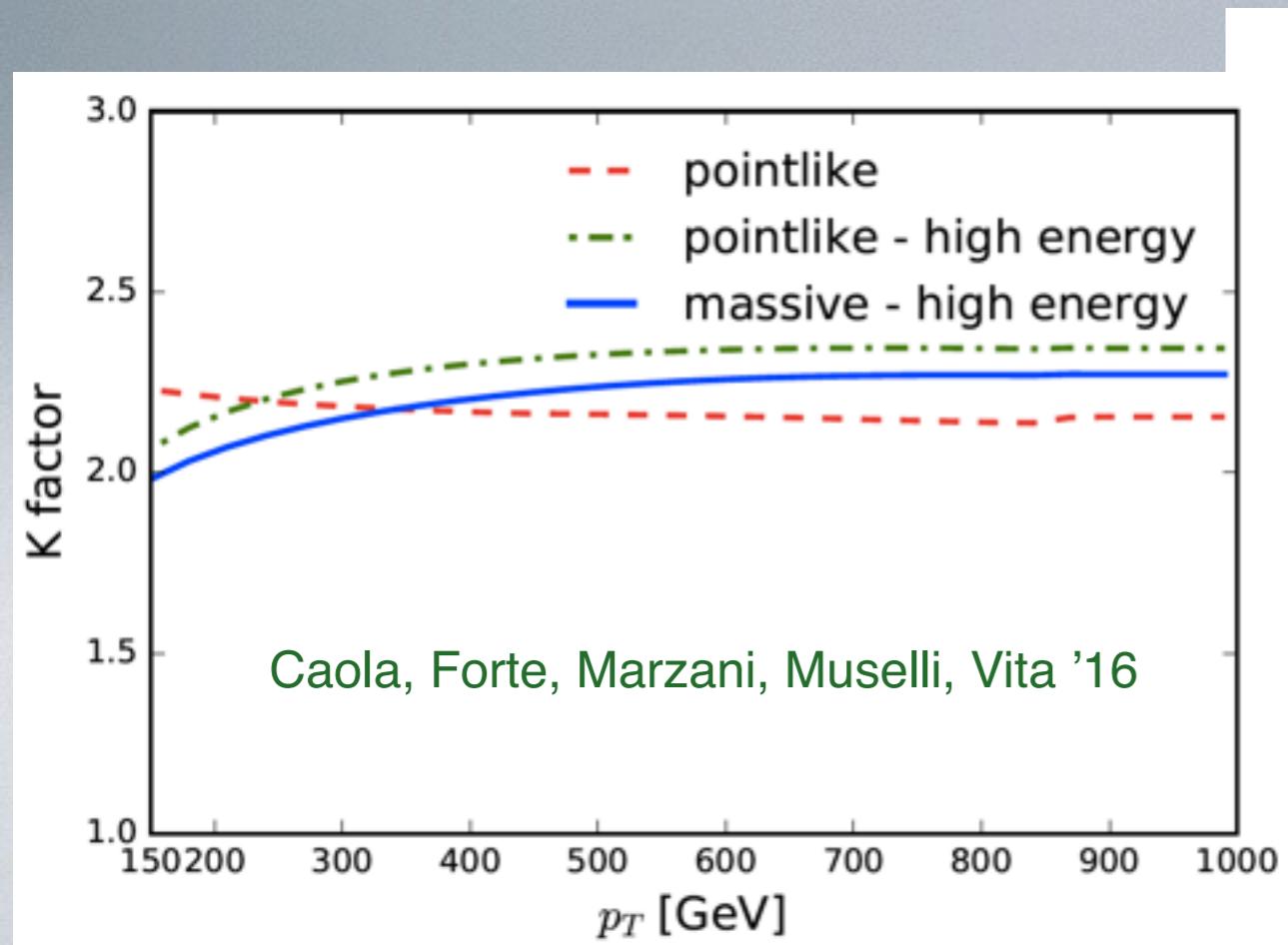
for $p_{T,h} \rightarrow \infty$:



$$d\sigma/dp_{T,h}^2 \rightarrow (p_{T,h}^2)^{-1}$$



$$d\sigma/dp_{T,h}^2 \rightarrow (p_{T,h}^2)^{-2}$$



quark mass effects in Higgs + jets

Greiner, Höche, Luisoni, Schönherr, Winter '16

cross sections (+Ntuples) for H+1,2,3 jets calculated at

- NLO in HEFT ($m_t \rightarrow \infty$ limit)
- LO with full m_t, m_b dependence

default scale choice:

$$\mu_F = \mu_R \equiv \frac{\hat{H}'_T}{2} = \frac{1}{2} \left(\sqrt{m_H^2 + p_{T,H}^2} + \sum_i |p_{T,i}| \right)$$

basic cuts:

$$p_{T,\text{jet}} > 30 \text{ GeV} , \quad |y_{\text{jet}}| < 4.4$$

quark mass effects in Higgs + jets

$m_t \rightarrow \infty$ limit starts to fail at
 $p_{T,H} \sim 200 \text{ GeV}$

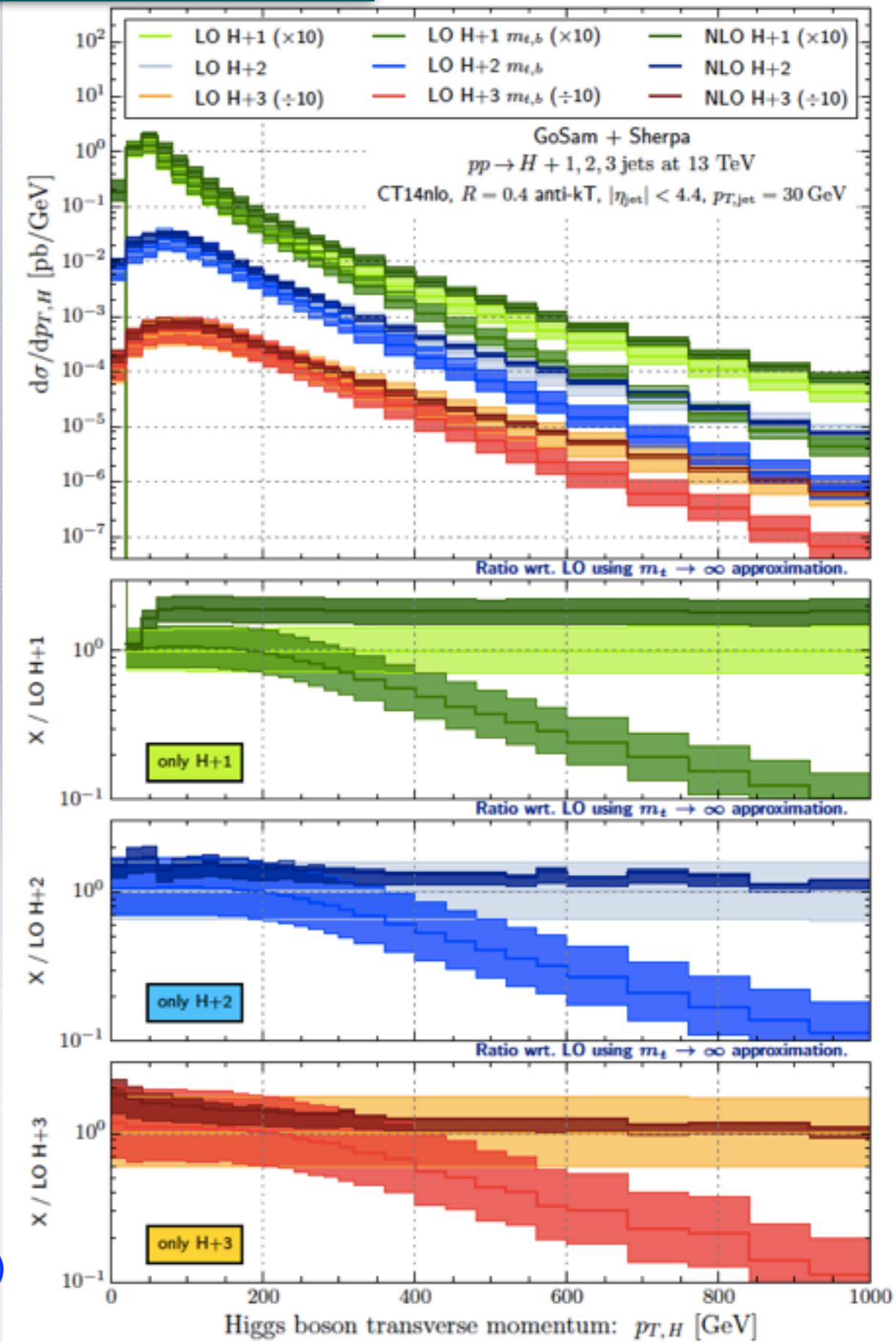
- different jet multiplicities show very similar behaviour

- leading jet pT distribution also similar

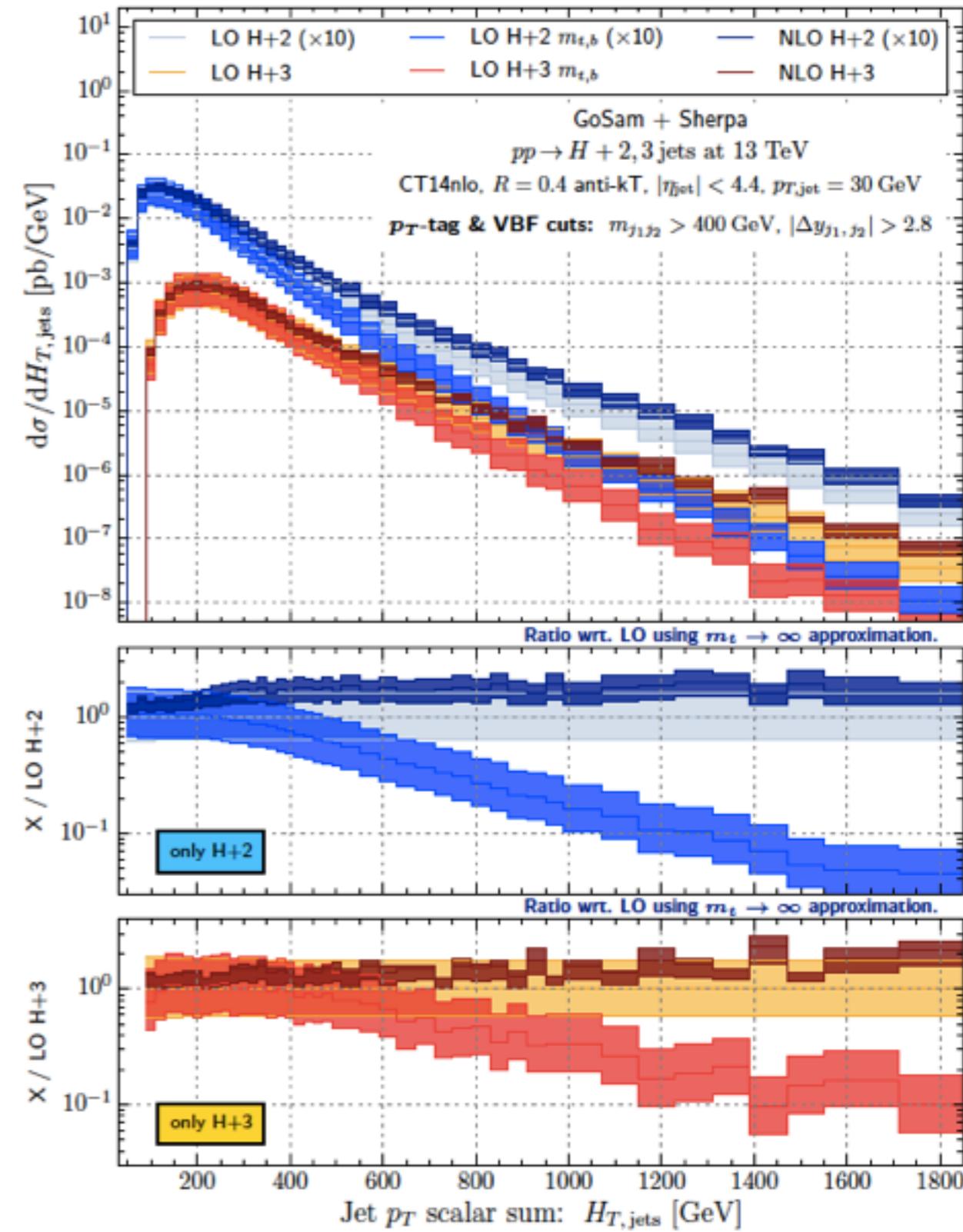
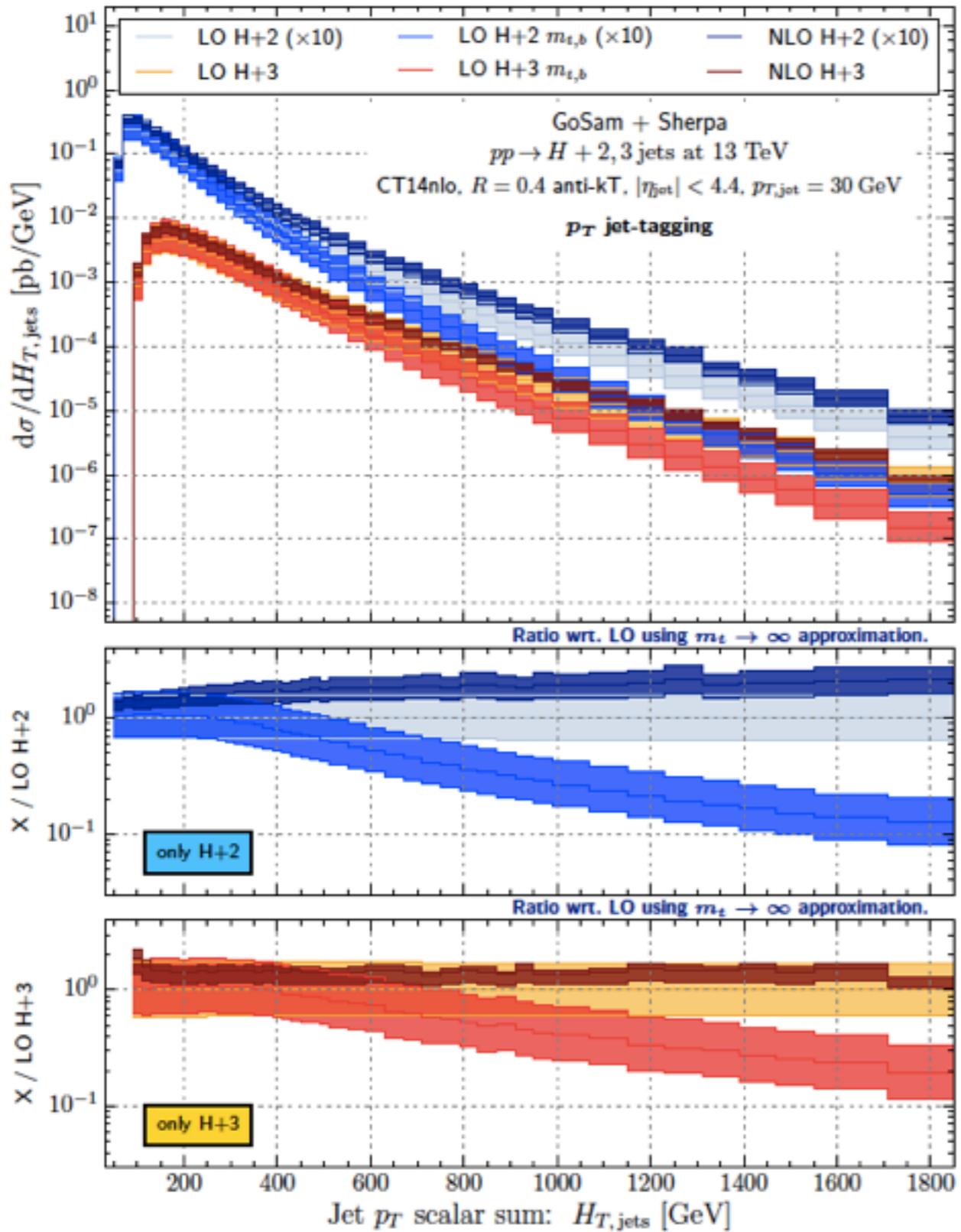
→ suggests that resolution of top quark loops is driven by $p_{T,H}$ or largest p_T in the event

jet multiplicity seems to play minor role

→ needs further investigation (backup slide)



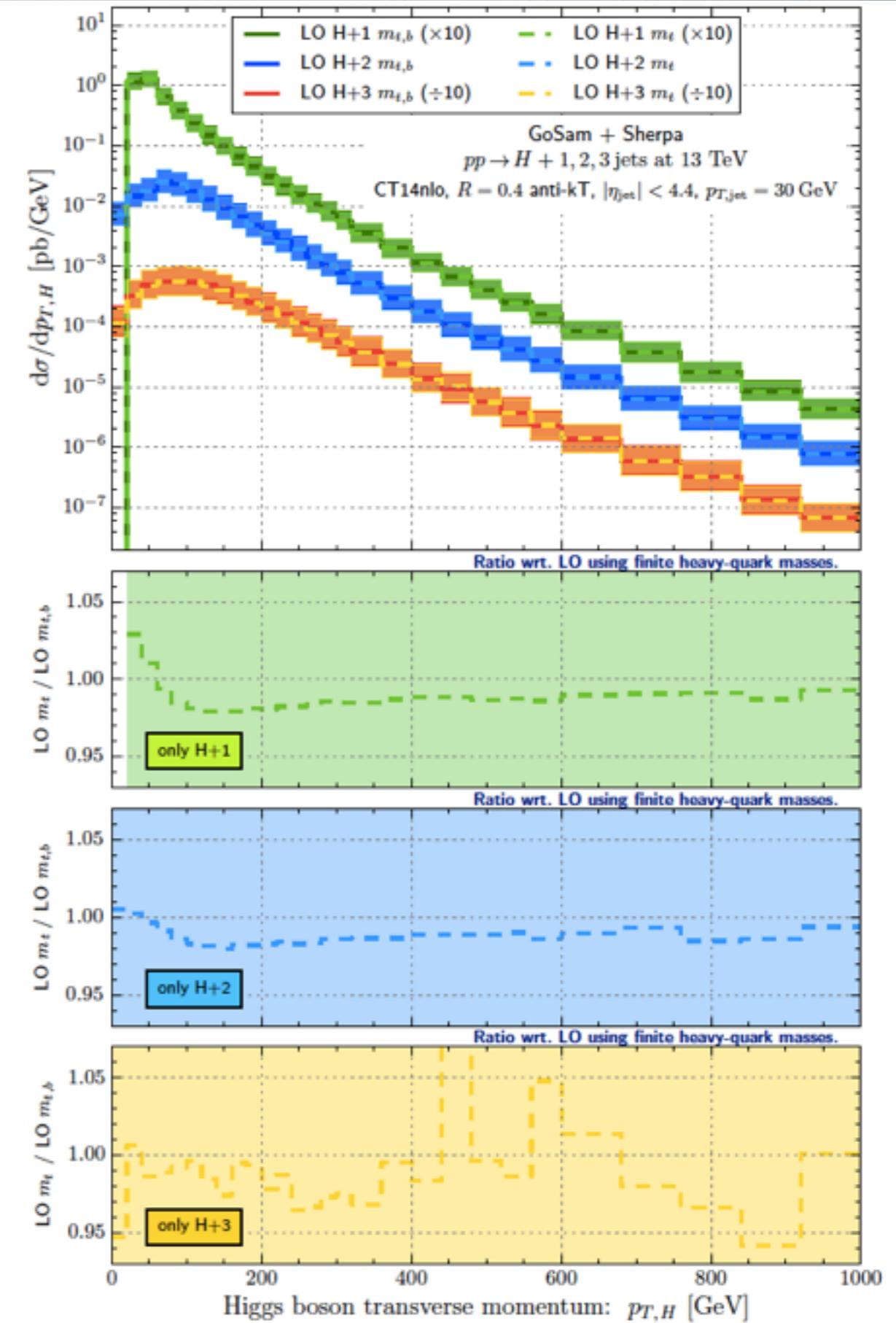
Effect of VBF cuts



VBF cuts can enhance the deviations of HEFT to full theory

bottom quark effects

- well below the scale uncertainties even at low pT
- depend on jet multiplicity
- destructive interference between top- and bottom-quark loops for H+1jet



Higgs+0,1,2 jets + parton shower

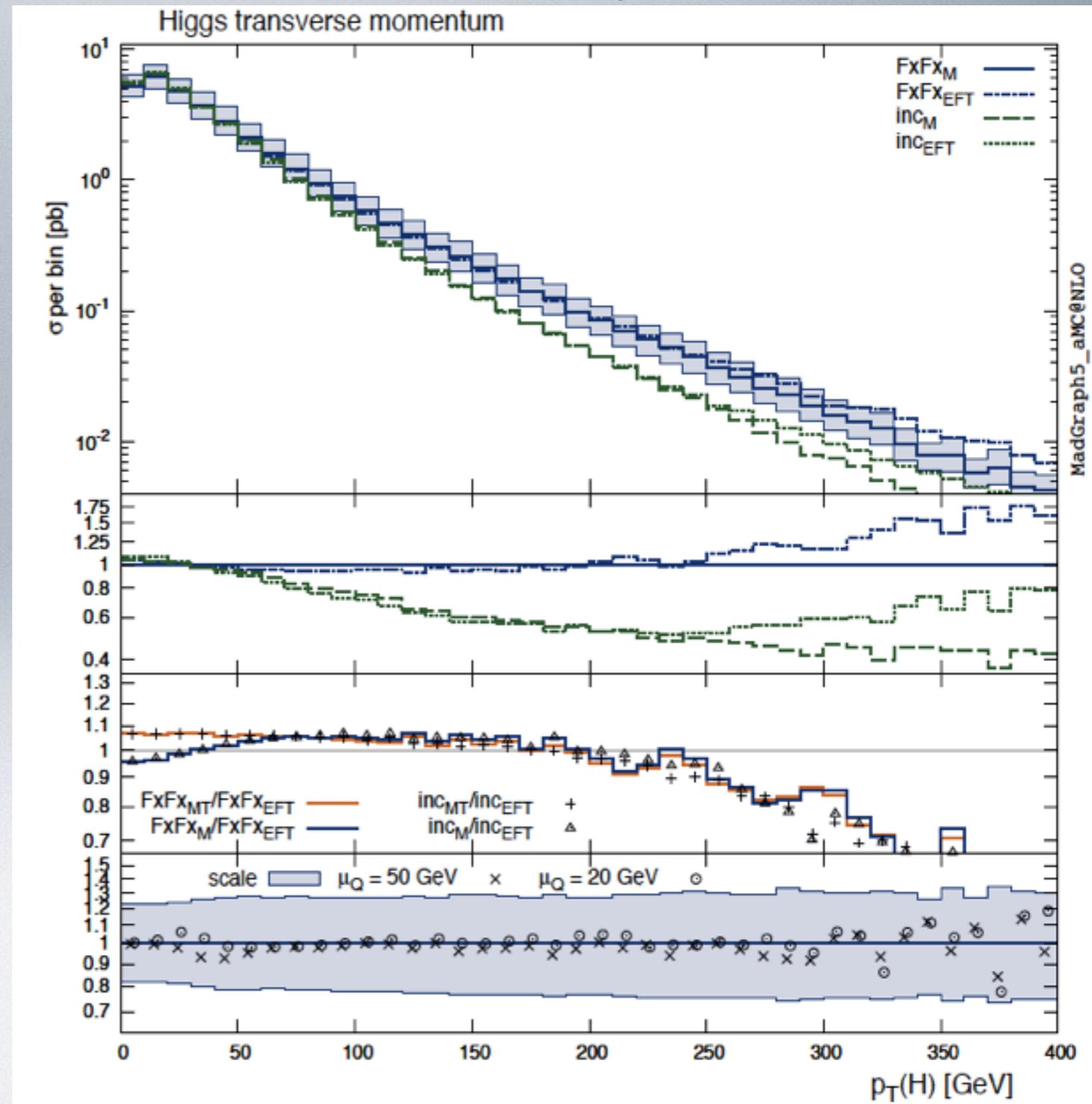
$H + n$ jets:

- exact mass dependence in real radiation
- exact 2-loop virtual for $n=0$
- rescaled HEFT virtual for $n=1,2$

see also

Buschmann, Goncalves, Krauss,
Kuttmalai, Schönherr, Plehn '14

Frederix, Frixione, Vryonidou, Wiesemann '16

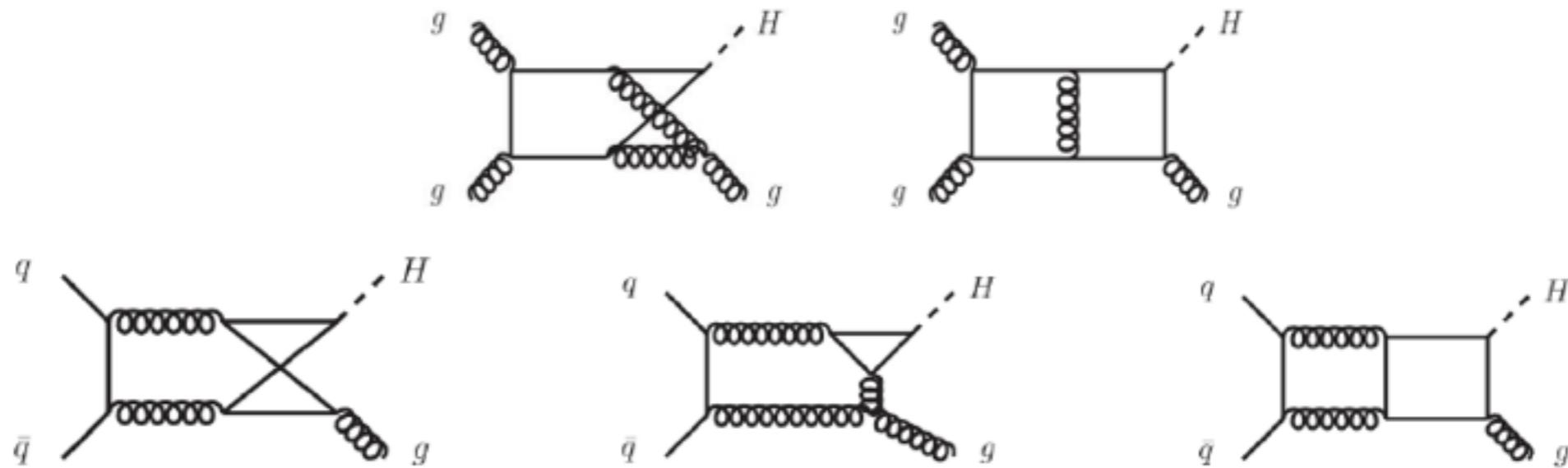


Higgs + jet

Lindert, Melnikov, Tancredi, Wever '17

$$d\sigma_{tb}^{\text{virt}} \sim \text{Re} \left[\frac{\alpha_s}{2\pi} (A_t^{\text{NLO}} A_b^{\text{LO}*} + A_t^{\text{LO}} A_b^{\text{NLO}*}) \right]$$

- Typical two-loop Feynman diagrams are:



- Exact mass dependence in two-loop Feynman Integrals currently out of reach [planar diagrams: Bonciani et al '16]

Scale hierarchy: $m_b \ll p_\perp, m_h \ll m_t$

Top: Infinite top mass limit, well known how to be treated, expanded systematically via effective Lagrangian (HEFT)

Bottom: Small bottom mass expansion is different because loop is resolved new methods required

Two-loop bottom amplitudes expanded in bottom mass with differential equation method

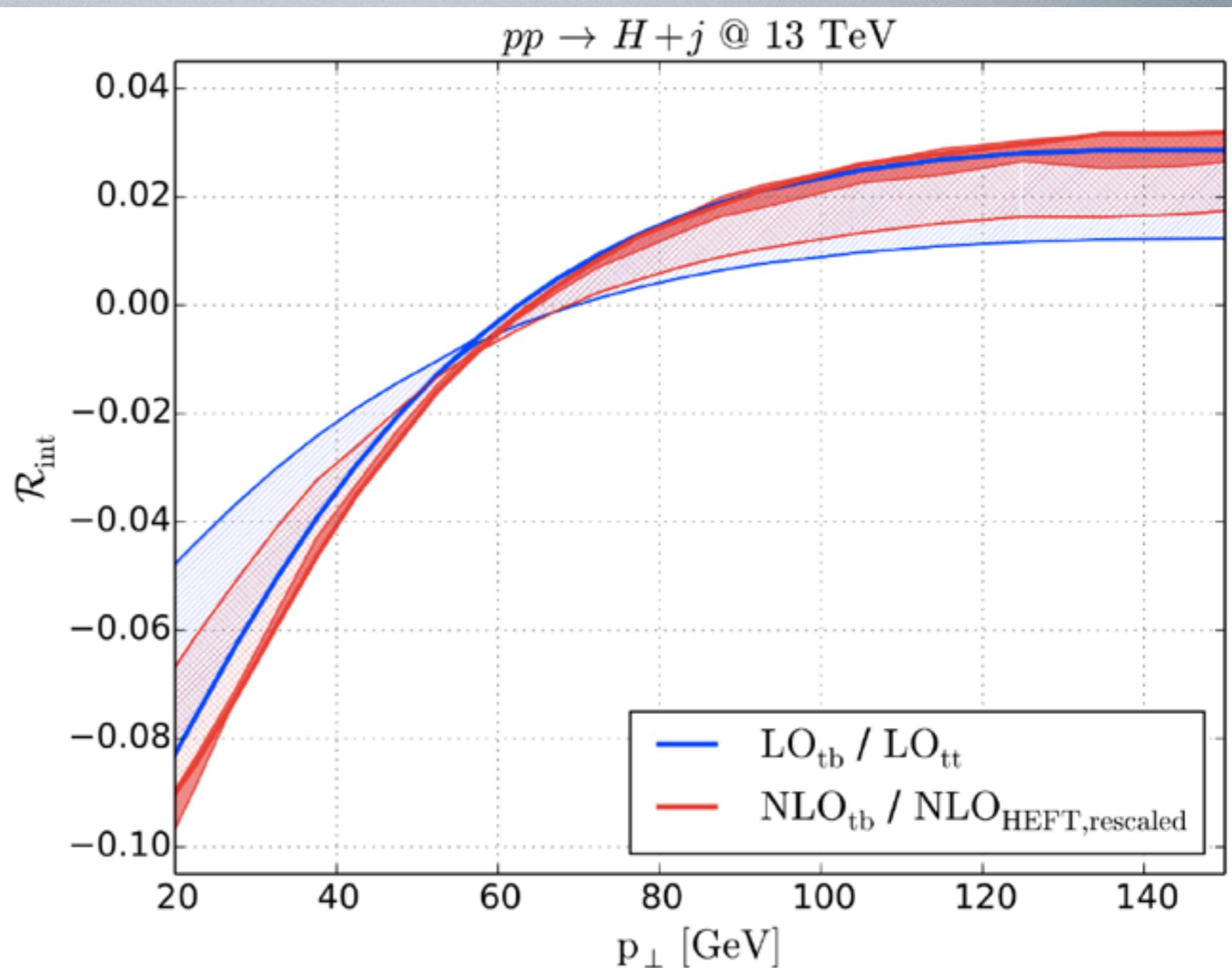
[Mueller & Ozturk '15;
Melnikov, Tancredi,
CW '16-'17]

Higgs + jet

Lindert, Melnikov, Tancredi, Wever '17

$$\mathcal{R}_{\text{int}} [\mathcal{O}] = \frac{\int d\sigma_{tb} \delta(\mathcal{O} - \mathcal{O}(\vec{x}))}{\int d\sigma_{tt} \delta(\mathcal{O} - \mathcal{O}(\vec{x}))}$$

- large relative corrections top-bottom interference to top-top
- large mb renormalisation ambiguities (light bands) reduced at NLO, in particular at low pT



Higgs + jet

- exact mass dependence in real radiation
- virtual part: $1/m_t$ expansion on amplitude level

NLO*:

$$\mathcal{F}_{j,\text{SI}}^{\text{in}} = 2\text{Re} \left(\left[\mathcal{F}_j^{\text{in}}(m_t, m_H, s, t, u) \right]_{\text{asy}} \mathcal{A}_j^{(1)}(m_t, m_H, s, t, u)^* \right)$$

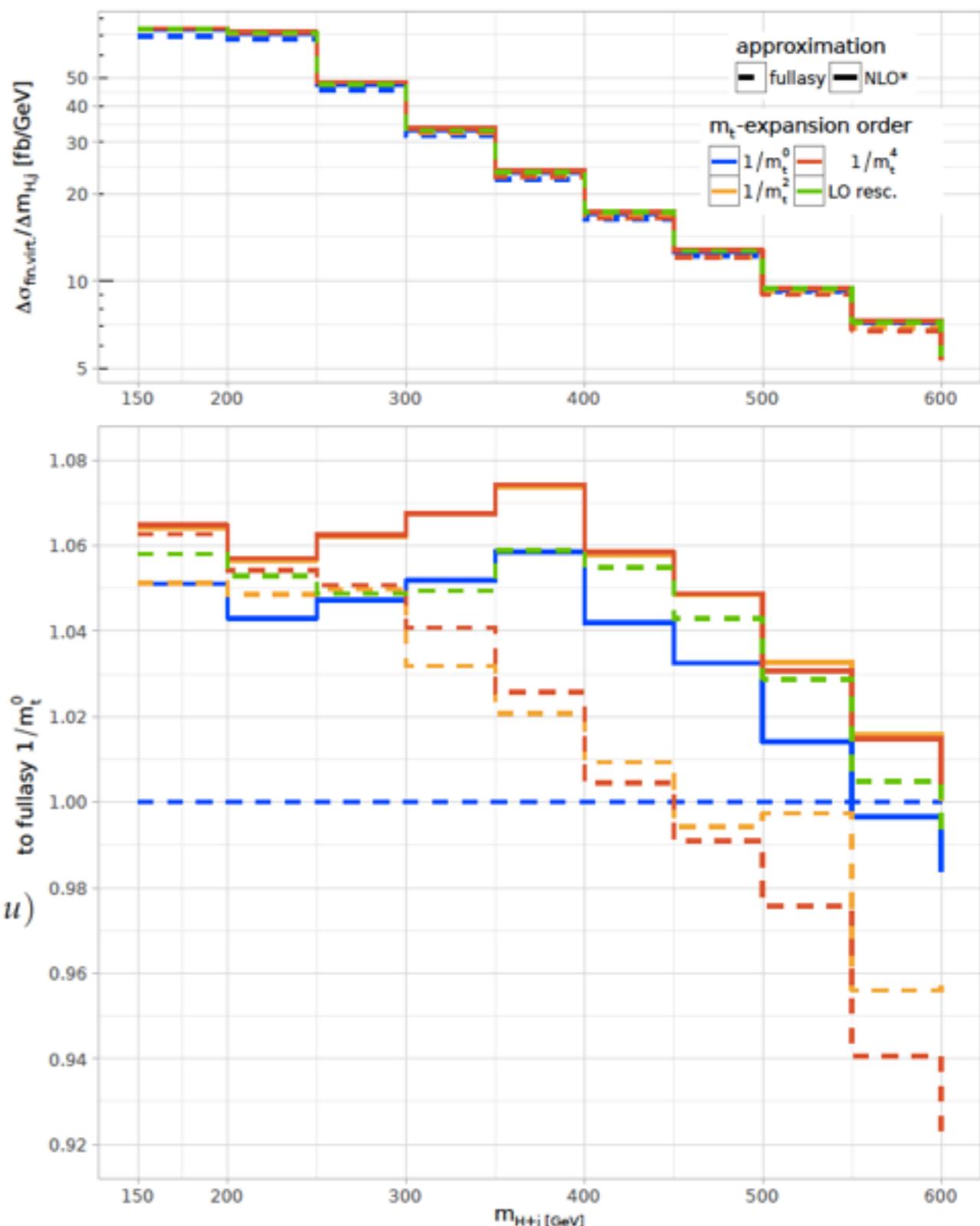
fullasy: expansion on amplitude squared level

$$\mathcal{F}_{j,\text{RI}}^{\text{in}} = 2 \left[\text{Re} \left(\mathcal{F}_j^{\text{in}}(m_t, m_H, s, t, u) \mathcal{A}_j^{(1)}(m_t, m_H, s, t, u)^* \right) \right]_{\text{asy}}$$

$$\mathcal{A}_j^{(2)}(m_t, m_H, s, t, u) = \mathcal{I}_1^j(\epsilon, s, t, u) \mathcal{A}_j^{(1)}(m_t, m_H, s, t, u) + \mathcal{F}_j^{\text{in}}(m_t, m_H, s, t, u)$$

- method works well for scales up to about 300 GeV

Neumann, Williams '17

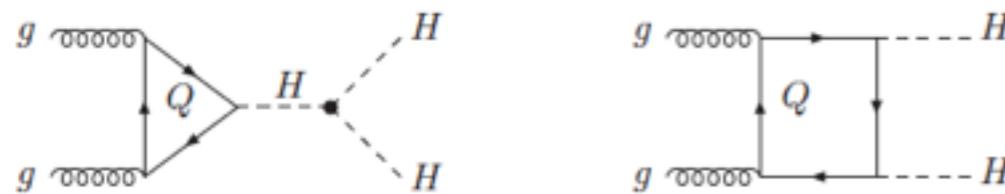


Comparison of HJ and HH

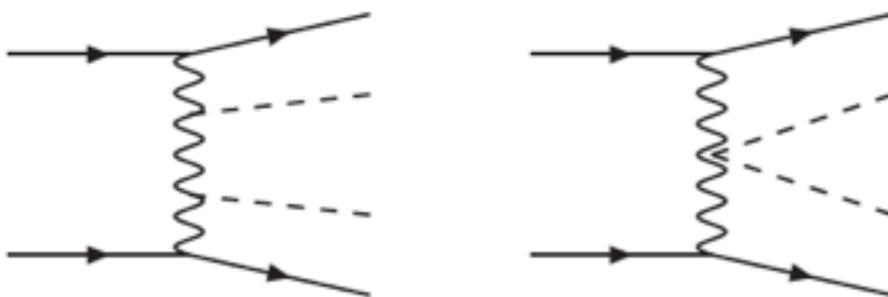
	HJ production	HH production
#Form factors	4+2	2
Full reduction	✓	only planar
(quasi-) finite basis	✓	only planar
#Master integrals including crossings	458	327
#Master integrals neglecting crossings	120	215
#Integrals after sector decomposition and expansion in ϵ	22675	11244
Code size coefficients	~340 MB	~80 MB
Code size integrals	~330 MB	~580 MB
Compile time coefficients	~ 2 weeks	few days
Compile time integrals	~4 hours	~1-2 days
Time for linking the program	~3-4 days	few hours

Higgs boson pair production

- gluon fusion



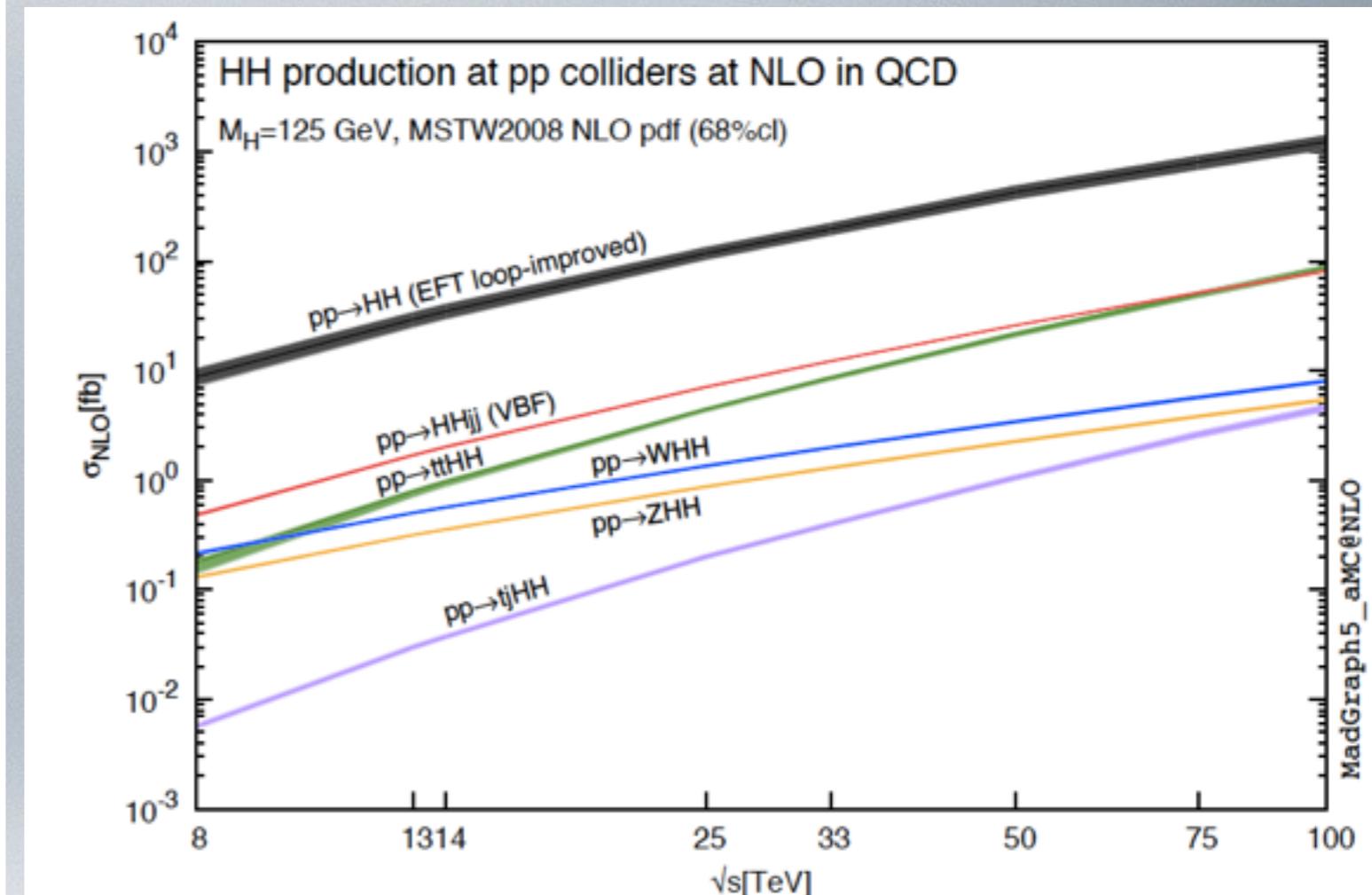
- vector boson fusion



- top-quark associated



- Higgs-strahlung



Frederix, Frixione, Hirschi, Maltoni, Mattelaer,
 Torrielli, Vryonidou, Zaro '14

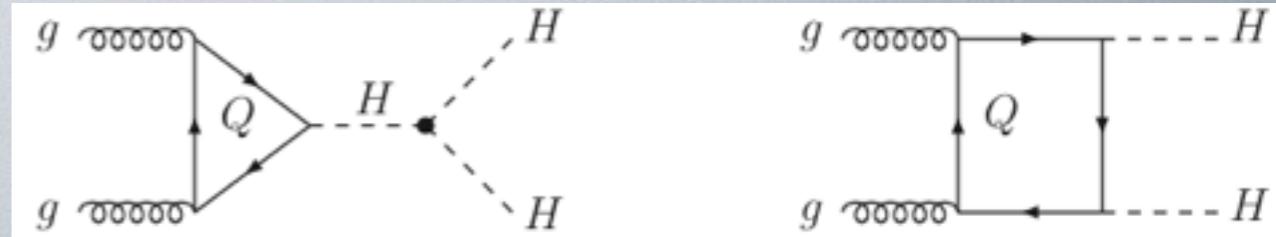
largest cross section from gluon fusion, but still

$$\sigma_{ggHH} \sim 10^{-3} \sigma_{ggH}$$

Higgs boson pair production in gluon fusion

LO with full heavy quark mass dependence

Glover, van der Bij '88, Plehn, Spira, Zerwas '96



$m_t \rightarrow \infty$ limit: "Higgs Effective Field Theory" (HEFT)



Note:

HEFT strictly valid only for $\sqrt{\hat{s}} \ll 2m_t$
HH production threshold: $2m_H < \sqrt{\hat{s}}$

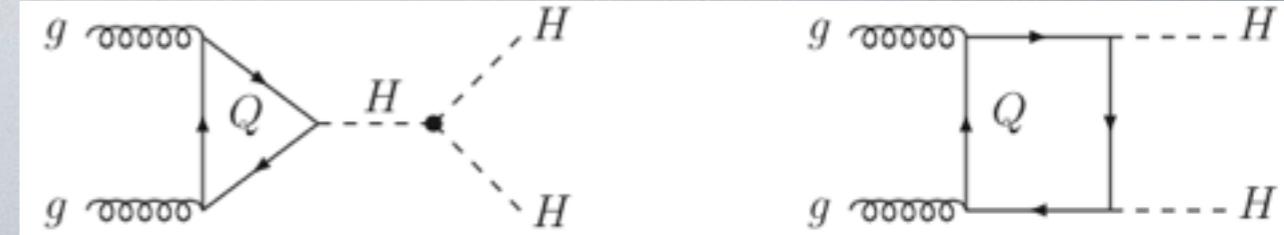
$\left. \begin{array}{l} \sqrt{\hat{s}} \ll 2m_t \\ 2m_H < \sqrt{\hat{s}} \end{array} \right\} \Rightarrow$ validity of HEFT limited to
 $250 \text{ GeV} < \sqrt{\hat{s}} < 340 \text{ GeV}$



Higgs boson pair production in gluon fusion

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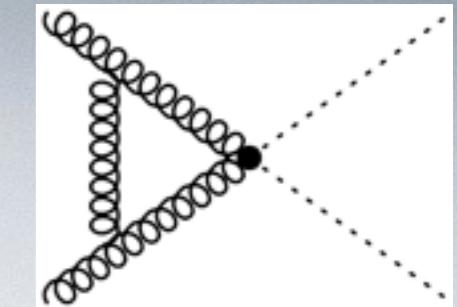


Note:

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HH production threshold: $2m_H < \sqrt{\hat{s}}$ } \Rightarrow validity of HEFT limited to
 $250 \text{ GeV} < \sqrt{\hat{s}} < 340 \text{ GeV}$

“Born-improved NLO HEFT”: rescale by $\mathcal{M}^{LO}(m_t)/\mathcal{M}_{\text{HEFT}}^{LO}$

NLO in Born-improved HEFT Dawson, Dittmaier, Spira '98 (HPAIR) $K \simeq 2$

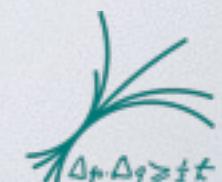


- **supplemented with $1/m_t$ expansion:** ($\pm 10\%$)

Grigo, Hoff, Melnikov, Steinhauser '13, '15 ; Degrassi, Giardino, Gröber '16

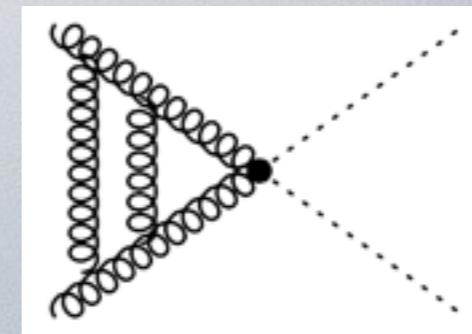
- **full mass dependence in NLO real radiation (“FTapprox”)** -10%

Frederix, Hirschi, Mattelaer, Maltoni, Torrielli, Vryonidou, Zaro '14;
Maltoni, Vryonidou, Zaro '14

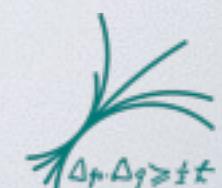


Higgs boson pair production in gluon fusion

NNLO in $m_t \rightarrow \infty$ limit: **+20%**

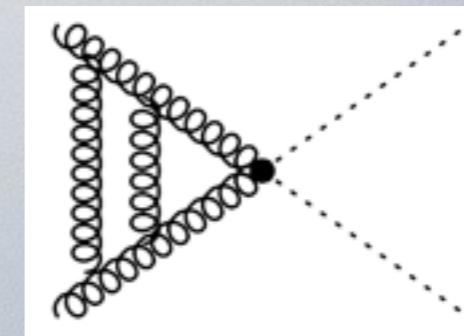


- **total xs NNLO** De Florian, Mazzitelli '13
- **including all matching coefficients** Grigo, Melnikov, Steinhauser '14
- **supplemented with $1/m_t$ expansion:** Grigo, Hoff, Steinhauser '15
- **soft gluon resummation NNLL** Shao, Li, Li, Wang '13; De Florian, Mazzitelli '15 **+9%**
- **differential NNLO** De Florian, Grazzini, Hanga, Kallweit, Lindert, Maierhöfer, Mazzitelli, Rathlev '16



Higgs boson pair production in gluon fusion

NNLO in $m_t \rightarrow \infty$ limit: **+20%**



- total xs NNLO De Florian, Mazzitelli '13
- including all matching coefficients Grigo, Melnikov, Steinhauser '14
- supplemented with $1/m_t$ expansion: Grigo, Hoff, Steinhauser '15
- soft gluon resummation NNLL Shao, Li, Li, Wang '13; De Florian, Mazzitelli '15 **+9%**
- differential NNLO De Florian, Grazzini, Hanga, Kallweit, Lindert, Maierhöfer, Mazzitelli, Rathlev '16

NLO calculation with full top mass dependence

Borowka, Greiner, GH, Jones, Kerner, Schlenk, Schubert, Zirke '16

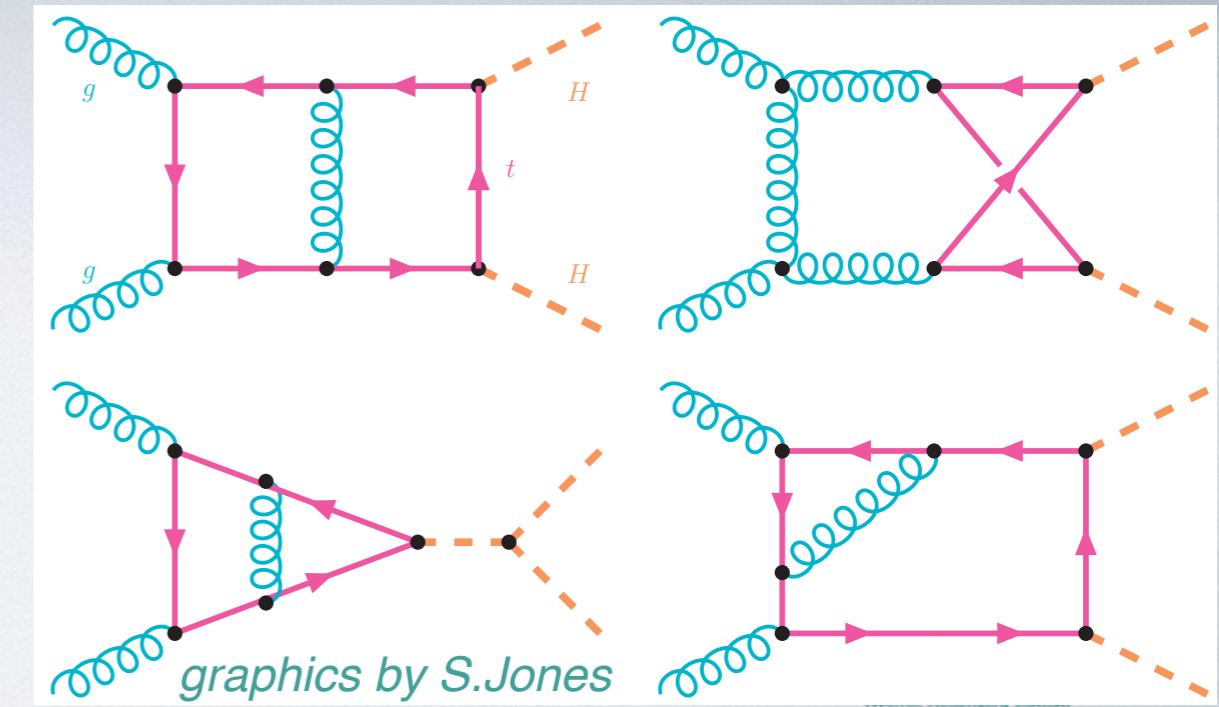
4 independent scales s_{12} , s_{23} , m_H , m_t
all integrals calculated numerically with
SecDec

Borowka, GH, Jones, Kerner, Schlenk, Zirke '15

Borowka, GH, Jahn, Jones, Kerner, Schlenk, Zirke '17

- q_T resummation NLL+NLO

Ferrera, Pires '16



graphics by S.Jones

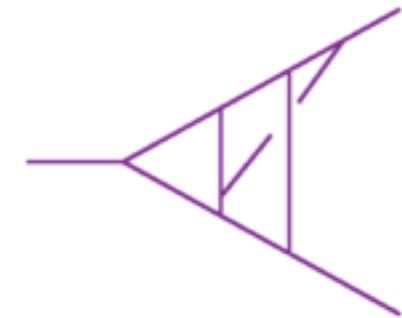


numerical evaluation of multi-loop integrals

<http://secdec.hepforge.org>

<https://github.com/mppmu/secdec/releases>

SecDec is hosted by Hepforge, IPPP Durham



SecDec

Sophia Borowka, Gudrun Heinrich, Stephan Jahn, Stephen Jones, Matthias Kerner, Johannes Schlenk, Tom Zirke

A program to evaluate dimensionally regulated parameter integrals numerically

[home](#) [download program](#) [user manual](#) [faq](#) [changelog](#)

NEW! The latest version of pySecDec is available on [github](#). The manual is available on [readthedocs](#).

Download the version 1.1.2 of pySecDec as [pySecDec-1.1.2.tar.gz](#). The manual is available [here](#).

Download version 1.1.1 of pySecDec as [pySecDec-1.1.1.tar.gz](#). The manual is available [here](#).

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The first release version of pySecDec can be downloaded as [pySecDec-1.0.tar.gz](#). The manual is available [here](#).

See also the corresponding paper [arXiv:1703.09692](#).

algorithm: T. Binoth, GH '00

version 1.0: J. Carter, GH '10

version 2.0: S.Borowka, J. Carter, GH '12

version 3.0: S.Borowka, GH, S.Jones, M.Kerner, J.Schlenk, T.Zirke '15

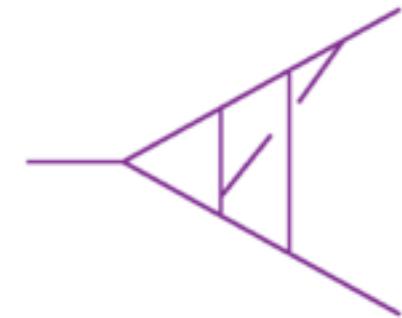
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SecDec

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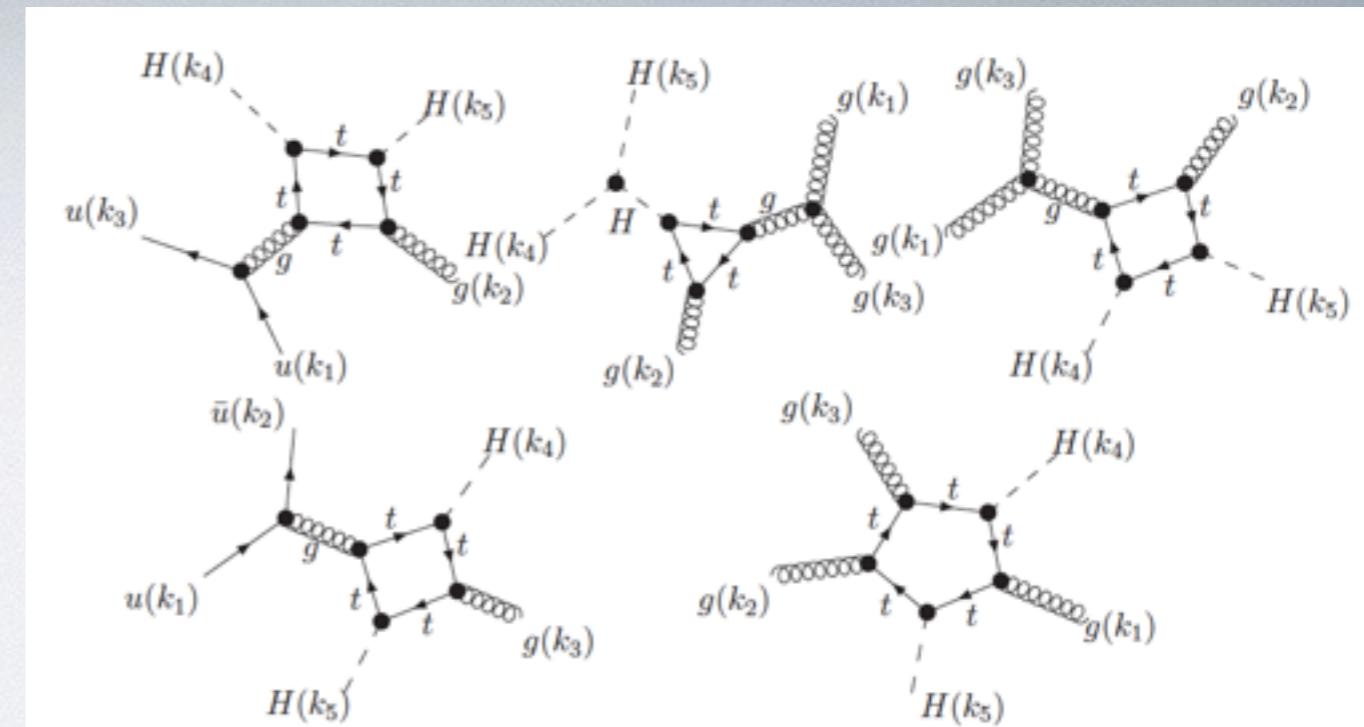
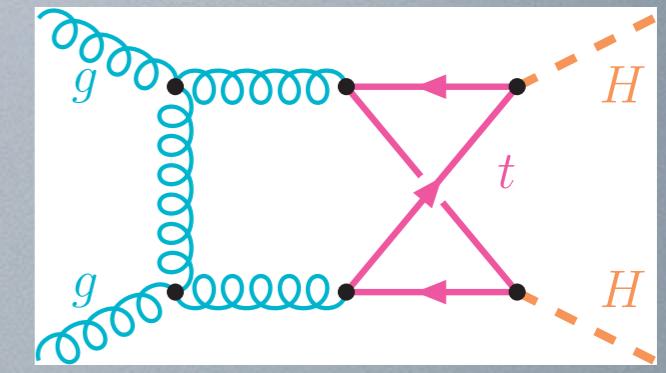
version 3.0: S.Borowka, GH, S.Jones, M.Kerner, J.Schlenk, T.Zirke '15

pySecDec: S.Borowka, GH, S.Jahn, S.Jones, M.Kerner, J.Schlenk, T.Zirke '17

New!
can be used as
an integral library

calculation: building blocks

- amplitude generation with 2 setups (custom made and “GoSam-2loop”)
- amplitude reduction with **Reduze** [C. Studerus, A. v.Manteuffel]
- non-planar integrals computed mostly without reduction
- integrals calculated numerically with **SecDec**
- total number of integrals:
 - before reduction: ~10000, after reduction ~330,
after sector decomposition 11244 (3086 non-planar)
 - used finite basis for planar integrals
- real radiation:
 - (a) GoSam-1L + Catani-Seymour
dipole subtraction
 - (b) GoSam-1L + POWHEG



top mass effects

total cross sections at 14 TeV

$$\mu_0 = m_{HH}/2$$

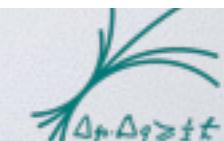
	$\sigma_{\text{LO}} [\text{fb}]$	$\sigma_{\text{NLO}} [\text{fb}]$	$\sigma_{\text{NNLO}} [\text{fb}]$
HEFT	$17.07^{+30.9\%}_{-22.2\%}$	$31.93^{+17.6\%}_{-15.2\%}$	$37.52^{+5.2\%}_{-7.6\%}$
B-i. HEFT	$19.85^{+27.6\%}_{-20.5\%}$	$38.32^{+18.1\%}_{-14.9\%}$	
$\text{FT}_{\text{approx}}$	$19.85^{+27.6\%}_{-20.5\%}$	$34.26^{+14.7\%}_{-13.2\%}$	
full m_t dep.	$19.85^{+27.6\%}_{-20.5\%}$	$32.91^{+13.6\%}_{-12.6\%}$	

PDF4LHC15_nlo_30-pdfas

$m_H=125 \text{ GeV}$, $m_t=173 \text{ GeV}$

uncertainties: $\mu_{R,F} \in [\mu_0/2, 2\mu_0]$ (7-point variation)

HXSWG: $\sigma'_{\text{NNLL}} = \sigma_{\text{NNLL}} + \delta_t \sigma_{\text{NLO}}^{\text{HEFT}} = 39.64^{+4.4\%}_{-6.0\%}$



top mass effects: energy dependence

\sqrt{s}	LO [fb]	B-i. NLO HEFT [fb]	NLO FT _{approx} [fb]	NLO [fb]
14 TeV	$19.85^{+27.6\%}_{-20.5\%}$	$38.32^{+18.1\%}_{-14.9\%}$	$34.26^{+14.7\%}_{-13.2\%}$	$32.91^{+13.6\%}_{-12.6\%}$
27 TeV	$78.85^{+21.5\%}_{-17.0\%}$	$154.94^{+16.2\%}_{-13.4\%}$	$134.12^{+12.7\%}_{-11.1\%}$	$127.88^{+11.6\%}_{-10.5\%}$
100 TeV	$731.3^{+20.9\%}_{-15.9\%}$	$1511^{+16.0\%}_{-13.0\%}$	$1220^{+11.9\%}_{-10.7\%}$	$1149^{+10.8\%}_{-10.0\%}$

scale uncertainties

preliminary, ± 0.3 stat. uncertainty

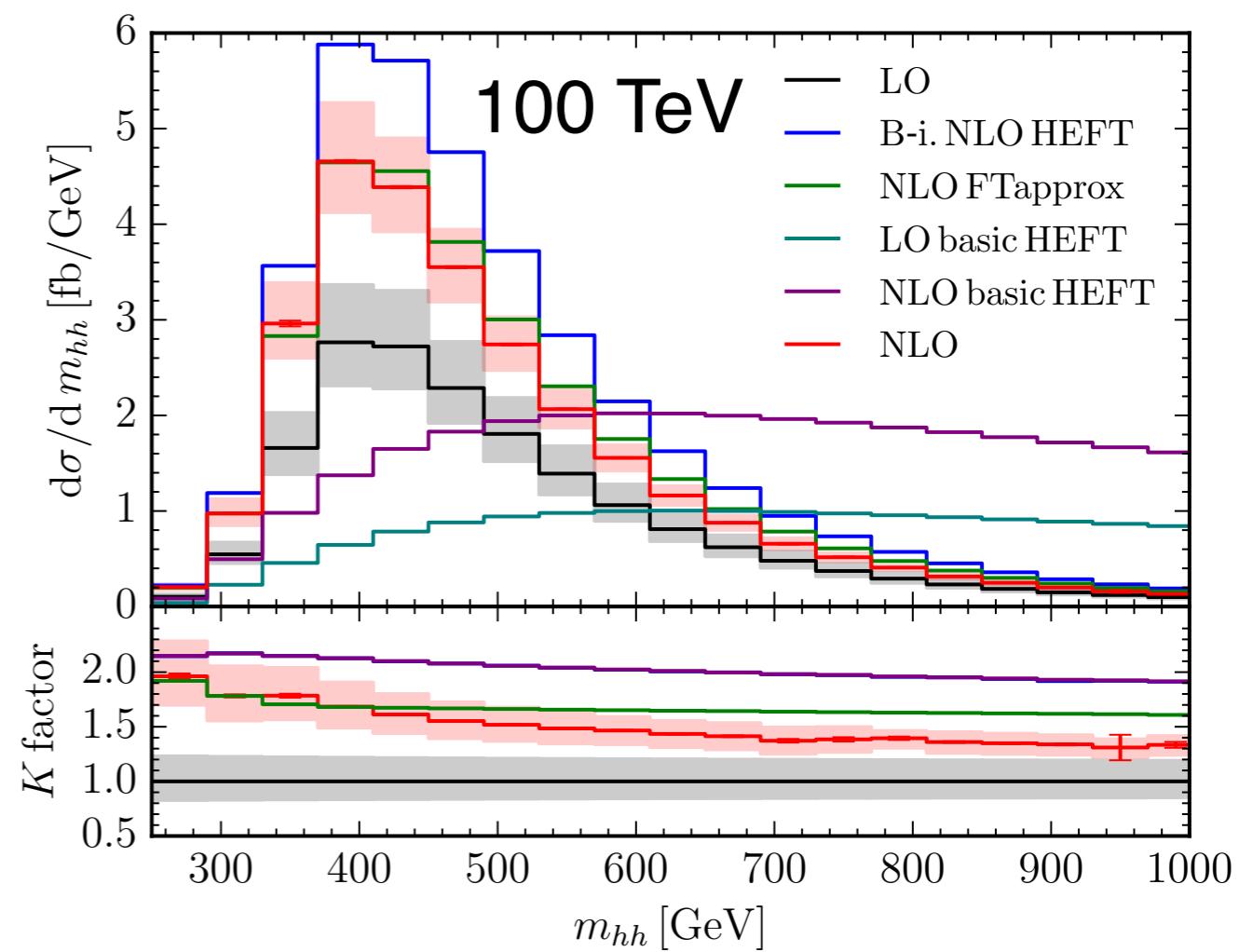
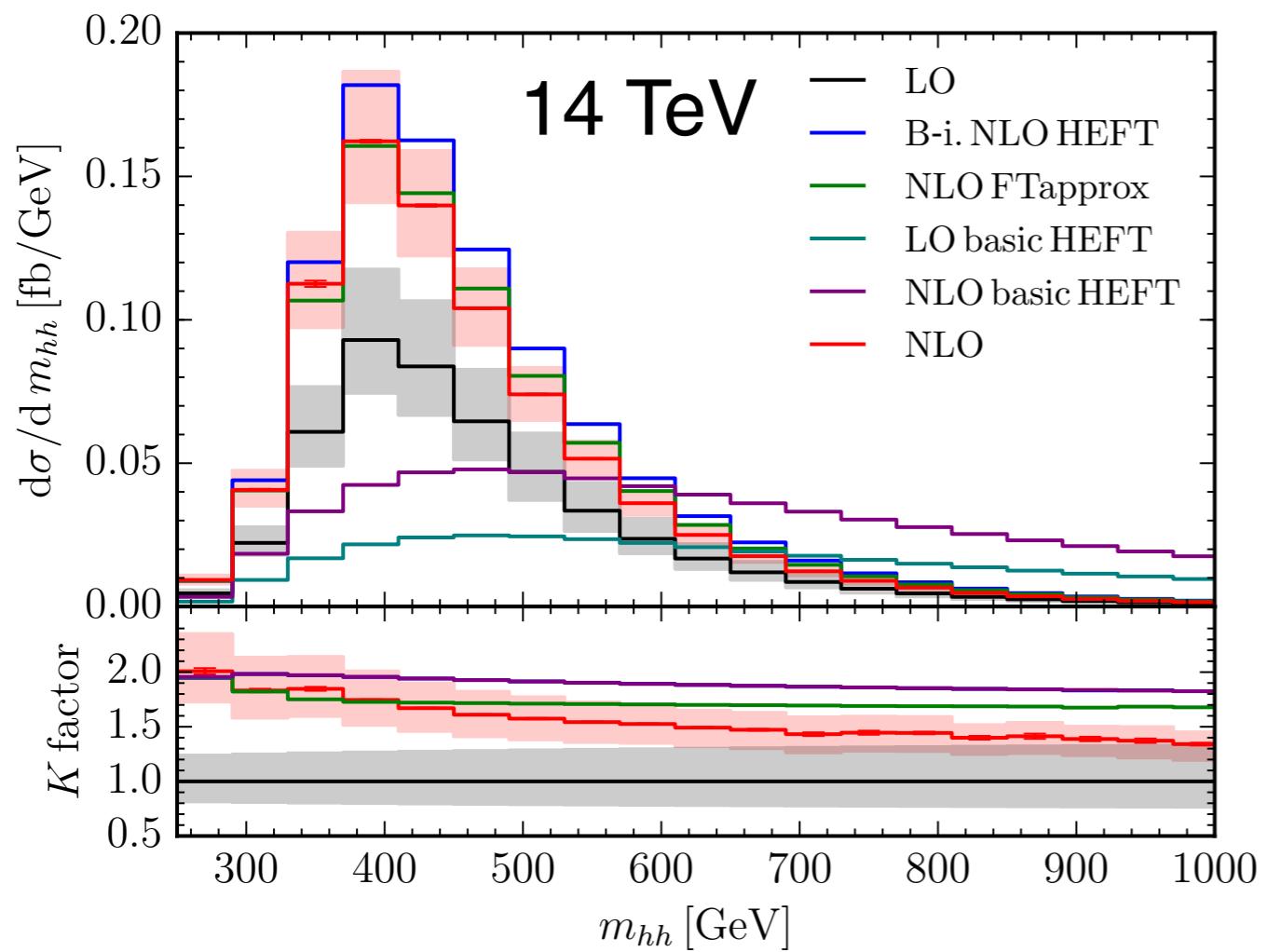
- relative difference Born-improved NLO HEFT to full NLO:

14 TeV: 16.4%

27 TeV: 21.2%

100 TeV: 31.5%

Higgs boson pair invariant mass



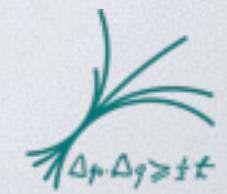
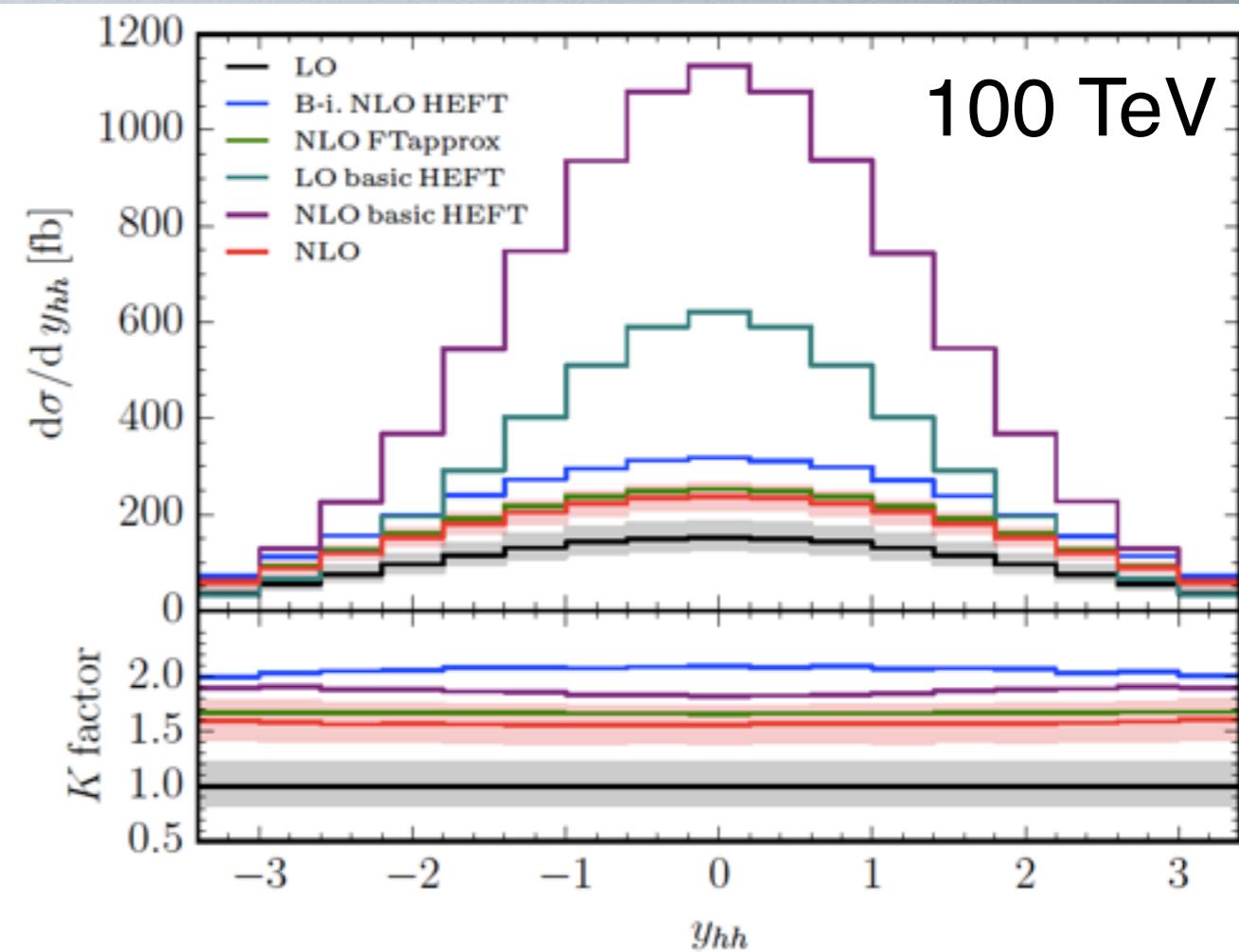
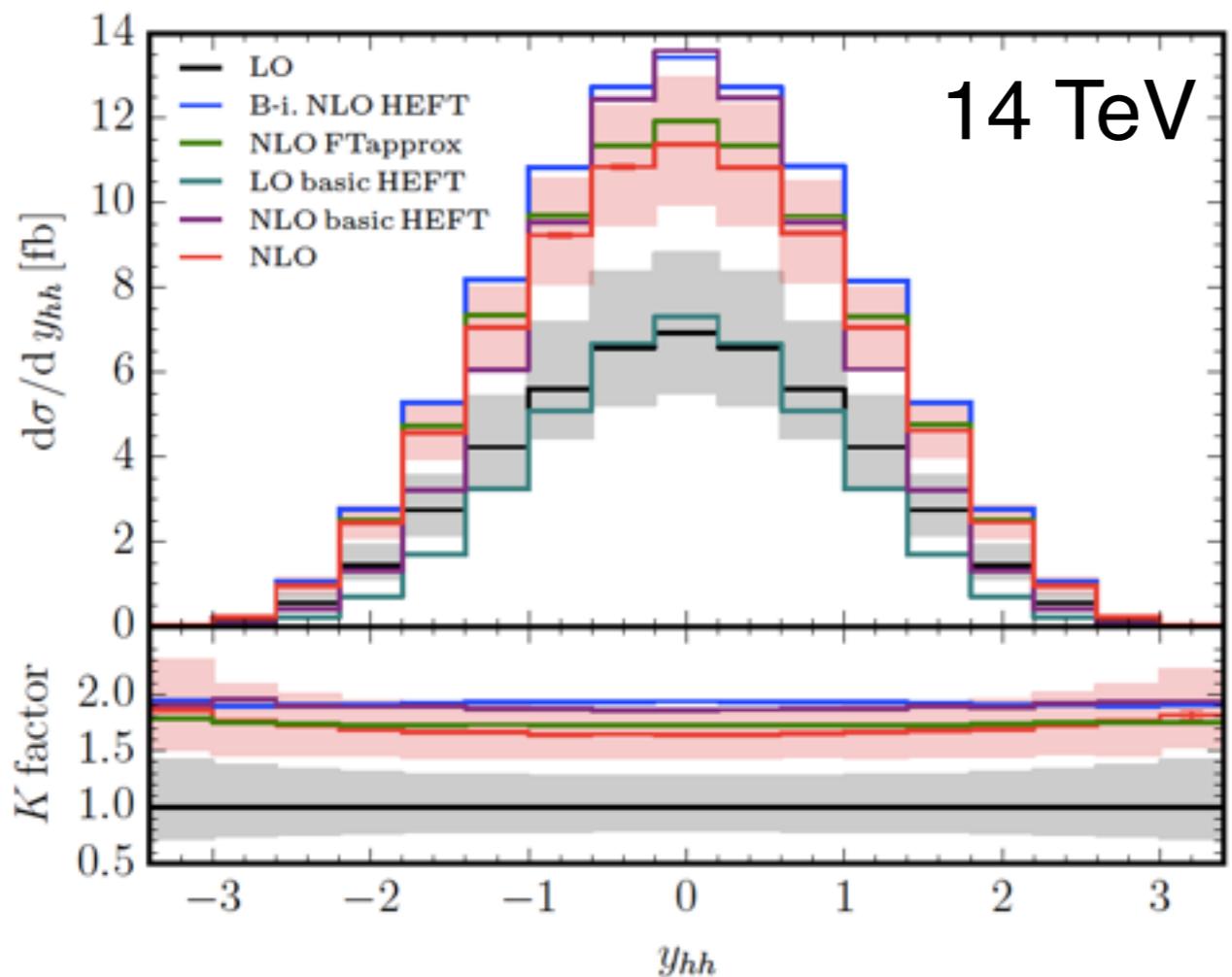
for large invariant masses:

Born-improved NLO HEFT overestimates by about 50%, FTapprox by about 40%
(at 14 TeV, worse at 100 TeV)

top quark loops resolved → HEFT has wrong scaling behaviour at high energies



rapidity of the Higgs boson pair



NLO-improved NNLO HEFT

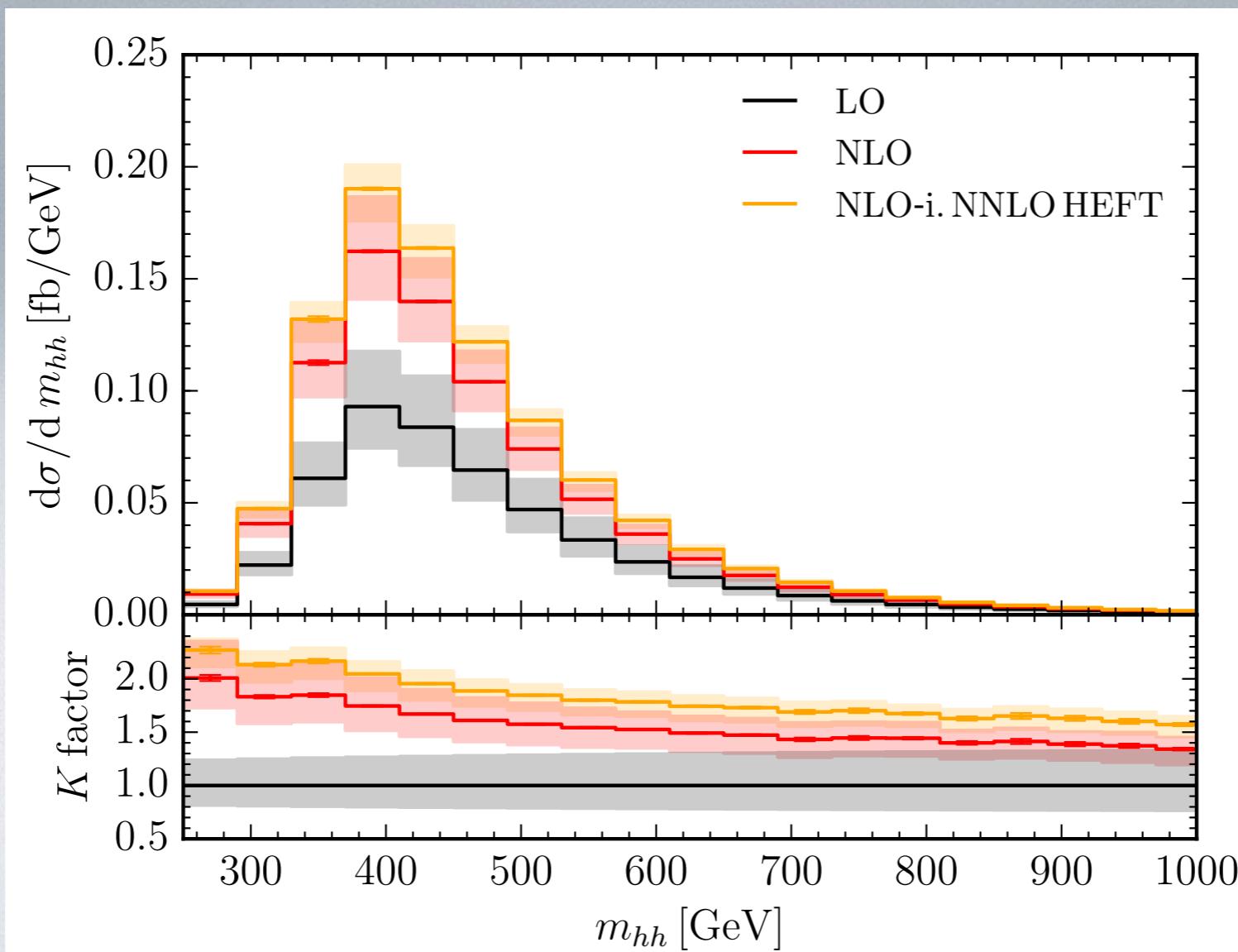
NNLO HEFT:

De Florian, Grazzini, Hanga, Kallweit, Lindert, Maierhöfer, Mazzitelli, Rathlev 1606.09519

“NLO-improved NNLO HEFT”: [Borowka, Greiner, GH, Jones, Kerner, Schlenk, Zirke 1608.04798]

$$\frac{d\sigma^{\text{NLO-i.NNLO HEFT}}}{dm_{hh}} = \frac{d\sigma_{\text{NLO}}}{dm_{hh}} \times \frac{d\sigma_{\text{NNLO}}^{\text{HEFT}}/dm_{hh}}{d\sigma_{\text{NLO}}^{\text{HEFT}}/dm_{hh}}$$

bin-by-bin rescaling at observable level by NNLO HEFT K-factor

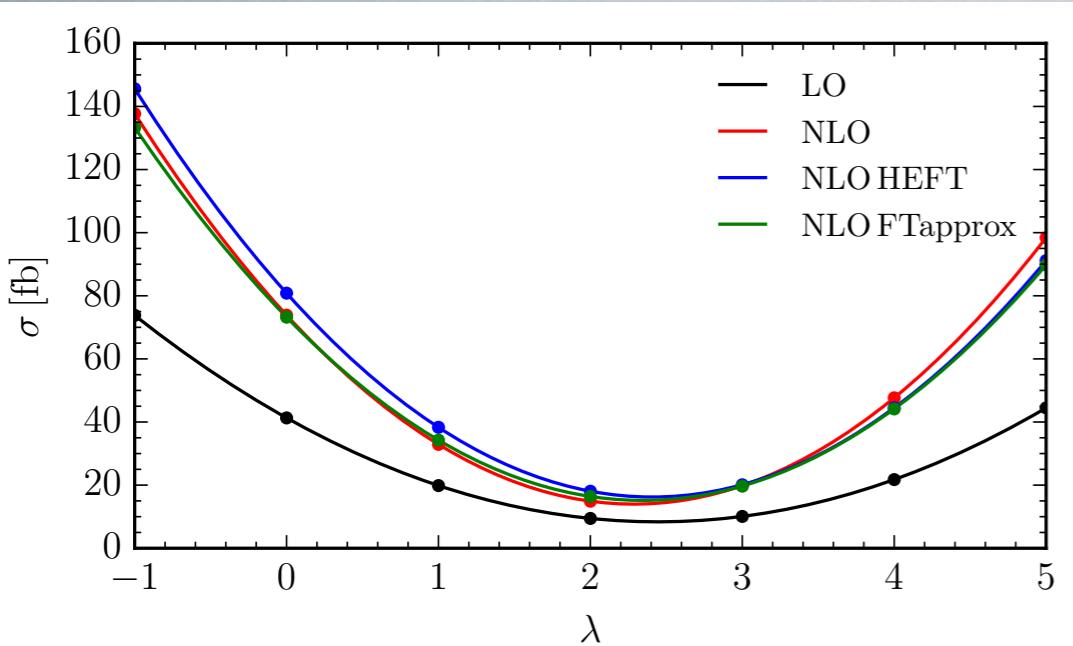


would lead to
 $\sigma' = 38.56 \text{ fb}$

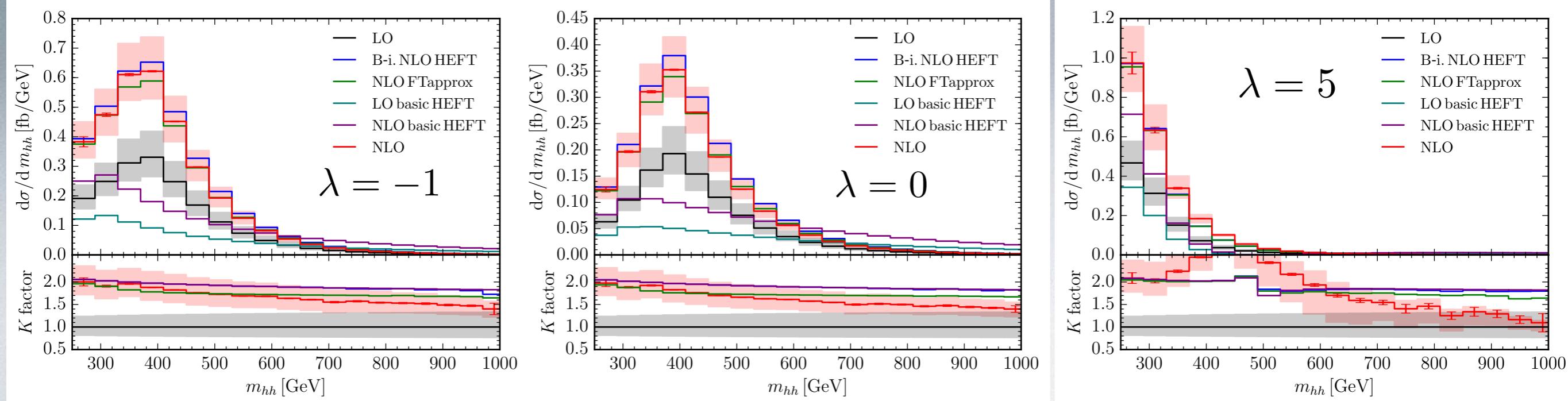


variation of triple Higgs coupling

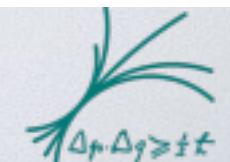
$$\lambda = \lambda_{BSM} / \lambda_{SM}$$



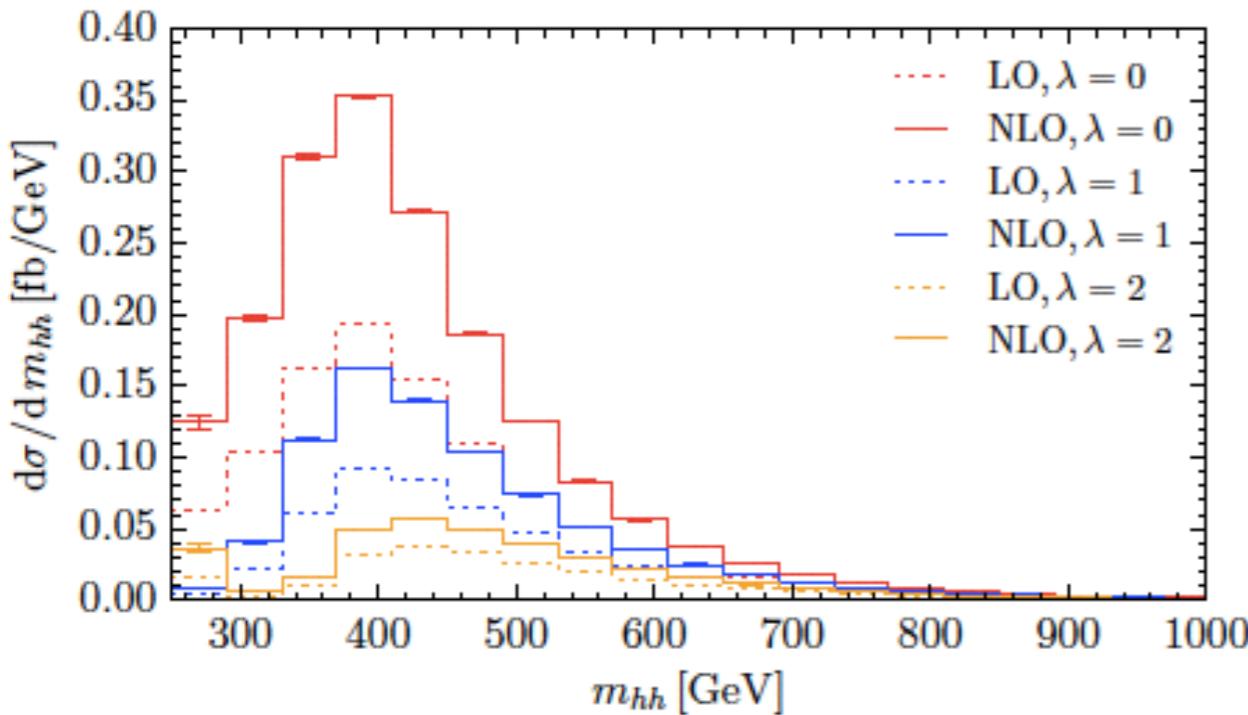
cross section has a minimum around
 $\lambda = 2$ due to destructive interference
 between diagrams containing λ
 and box-type diagrams
 degeneracy due to quadratic λ dependence



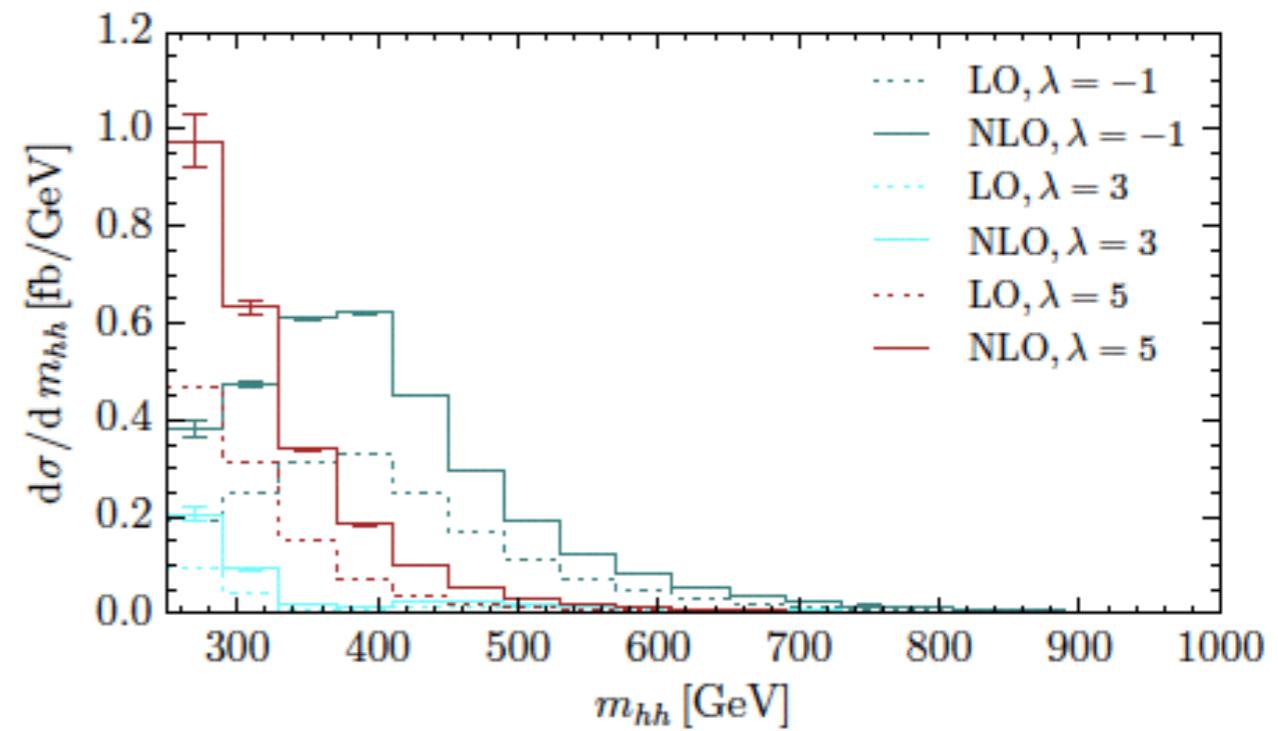
distributions can discriminate between degenerate λ values



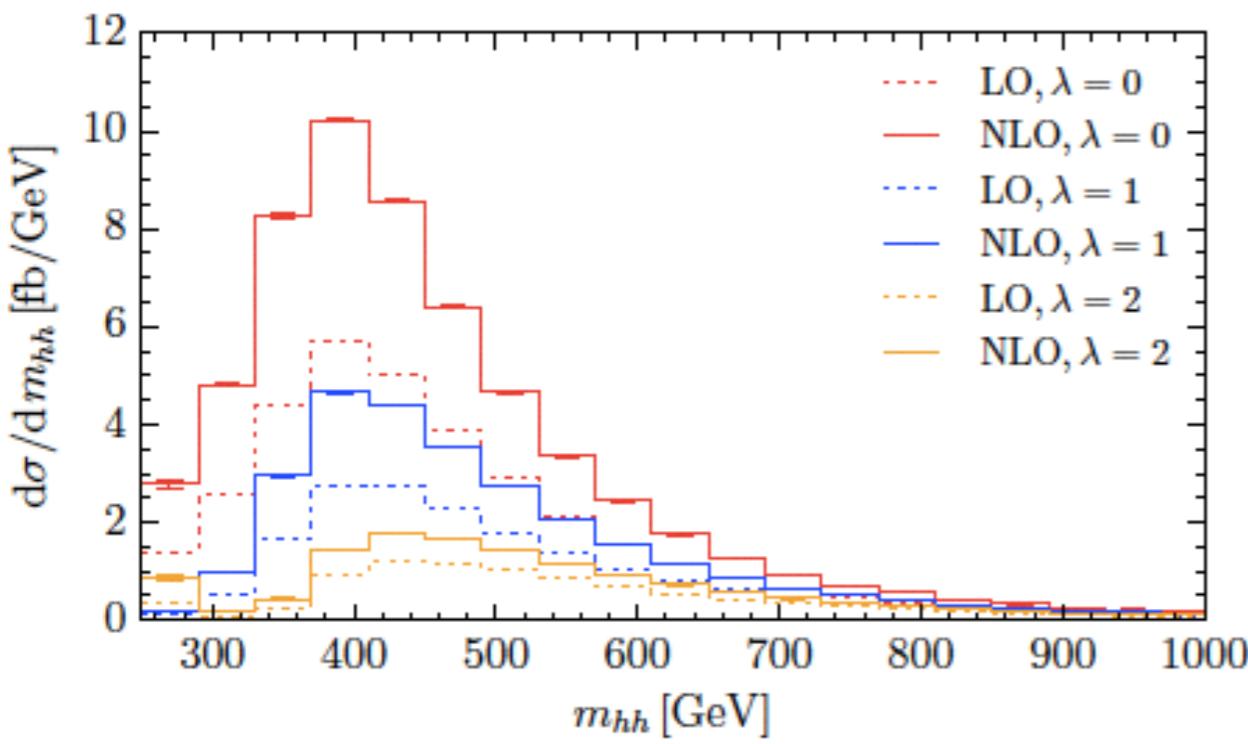
variation of triple Higgs coupling



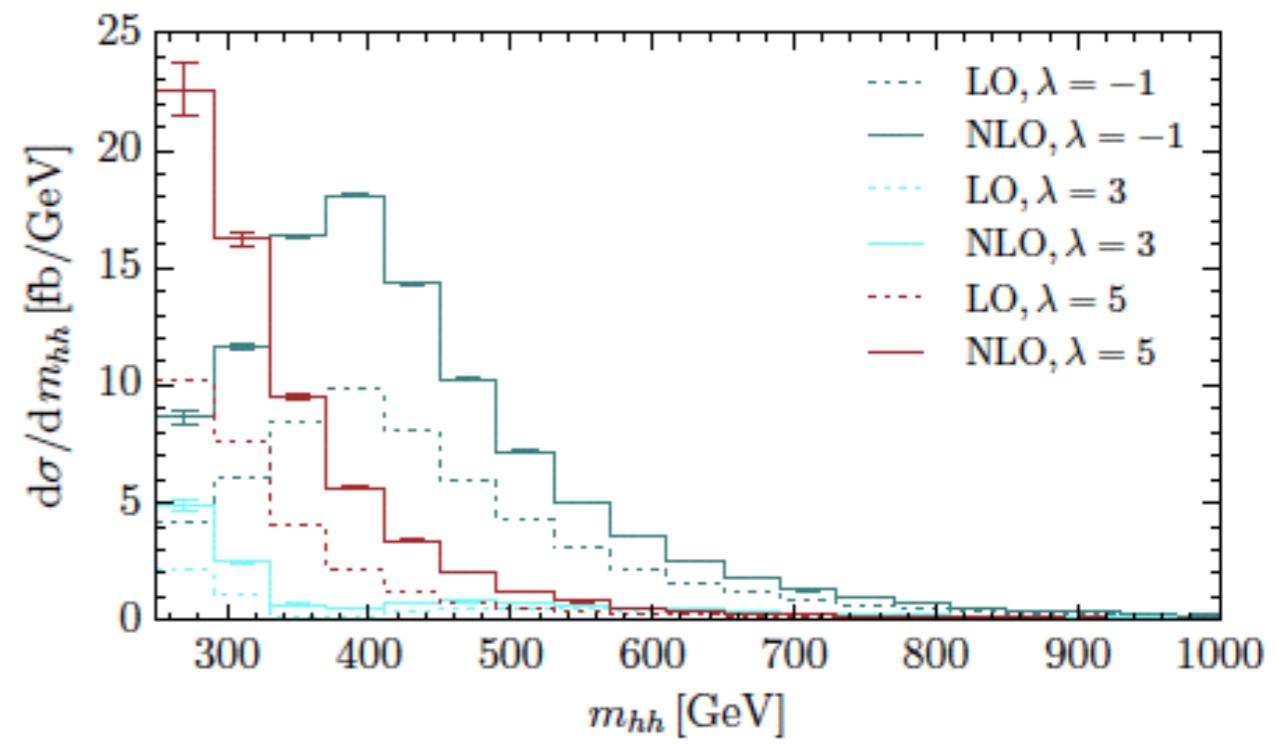
(a) 14 TeV.



(b) 14 TeV.



(c) 100 TeV.



(d) 100 TeV.

combination with parton showers

GH, S.Jones, M.Kerner, G.Luisoni, E.Vryonidou '17

- avoid evaluation of two-loop amplitude for each phase space point
- two-loop amplitude depends only on \hat{s}, \hat{t} (m_t, m_H fixed)
 - construct 2-dim grid
- variable transformation to achieve more uniform distribution

$$x = f(\beta(\hat{s})), \quad c_\theta = |\cos \theta| = \left| \frac{\hat{s} + 2\hat{t} - 2m_H^2}{\hat{s}\beta(\hat{s})} \right| \quad \beta(\hat{s}) = \sqrt{1 - 4m_H^2/\hat{s}}$$

combination with POWHEG and MadGraph5_aMC@NLO

POWHEG-BOX-V2: User-Process-V2/ggHH

and Sherpa

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POWHEG-BOX-V2: User-Process-V2/ggHH

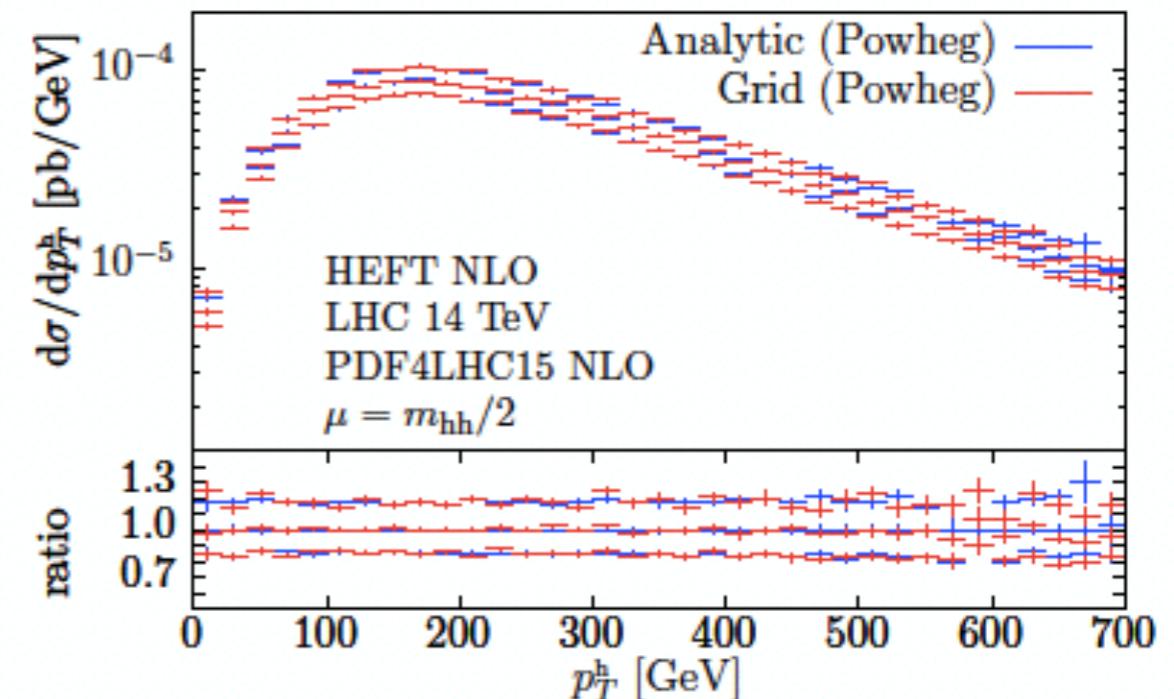
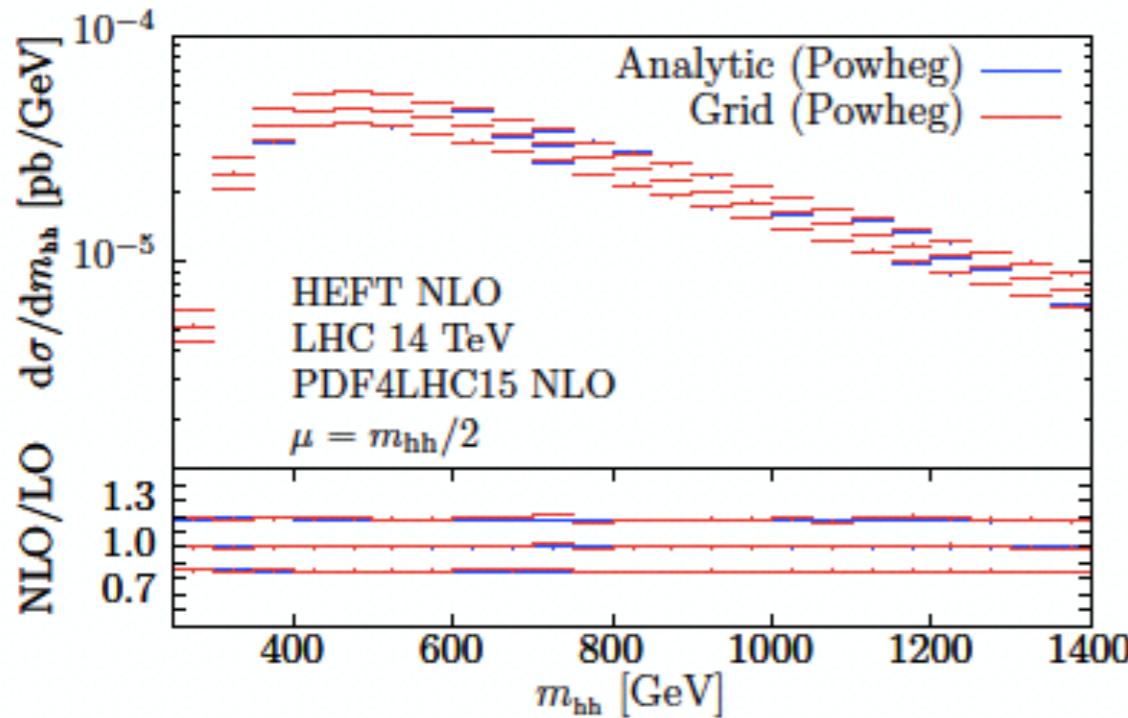
and Sherpa



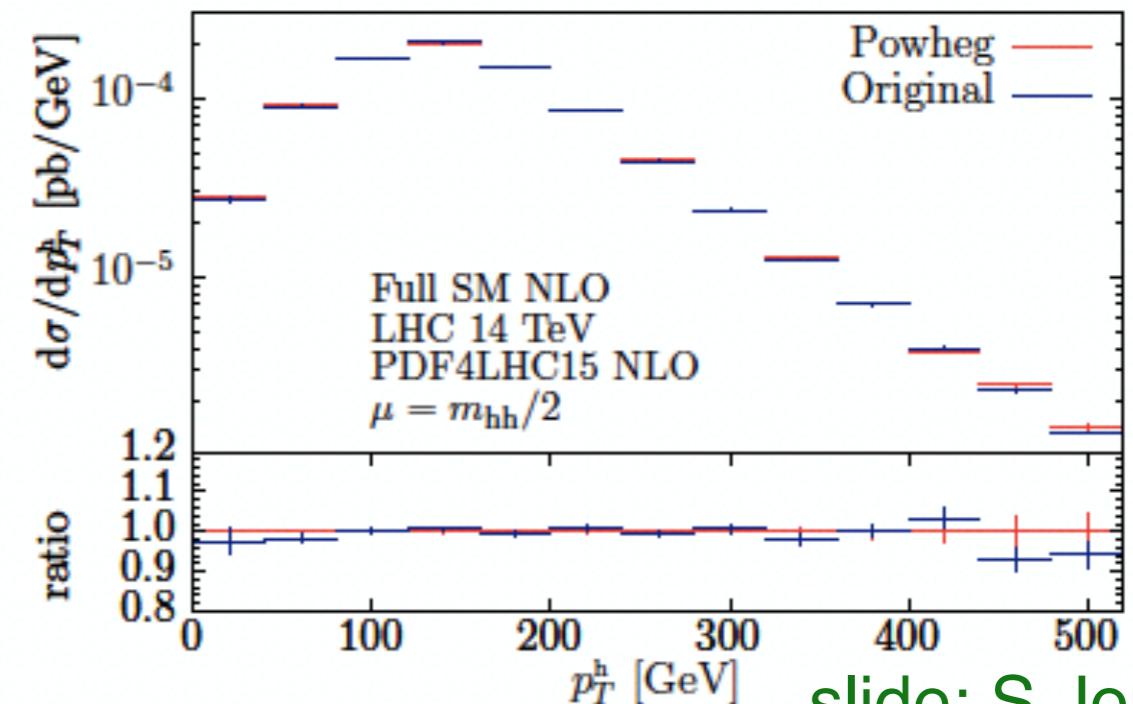
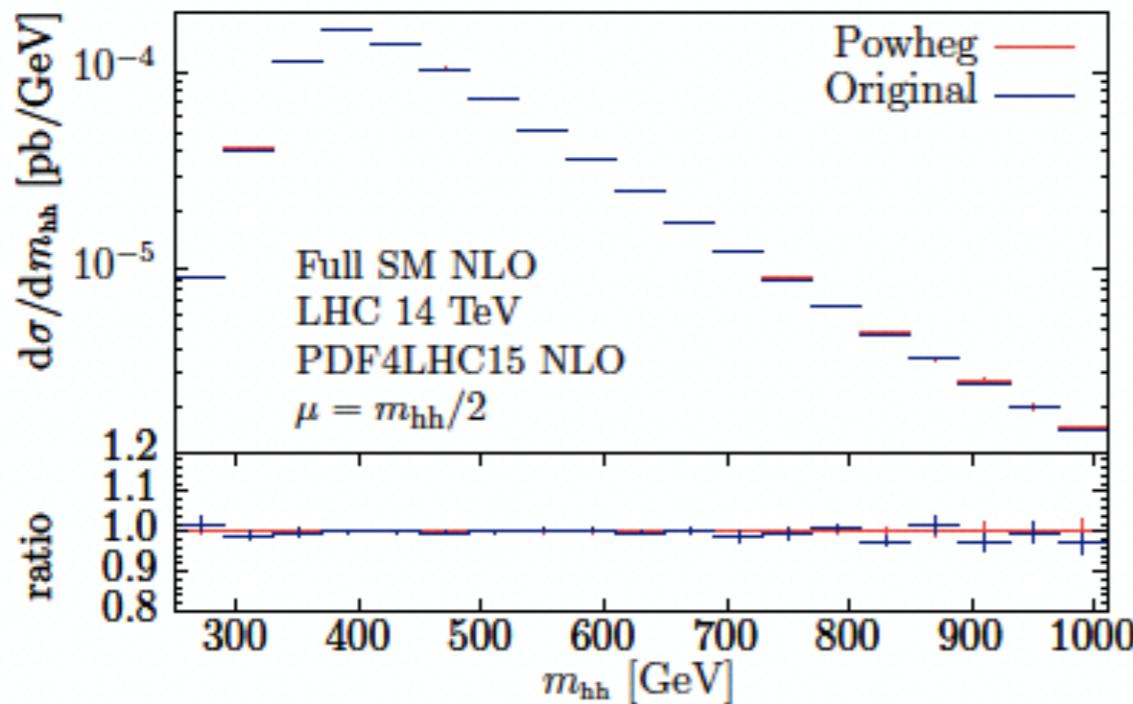
see Silvan Kuttimalai's talk

grid validation

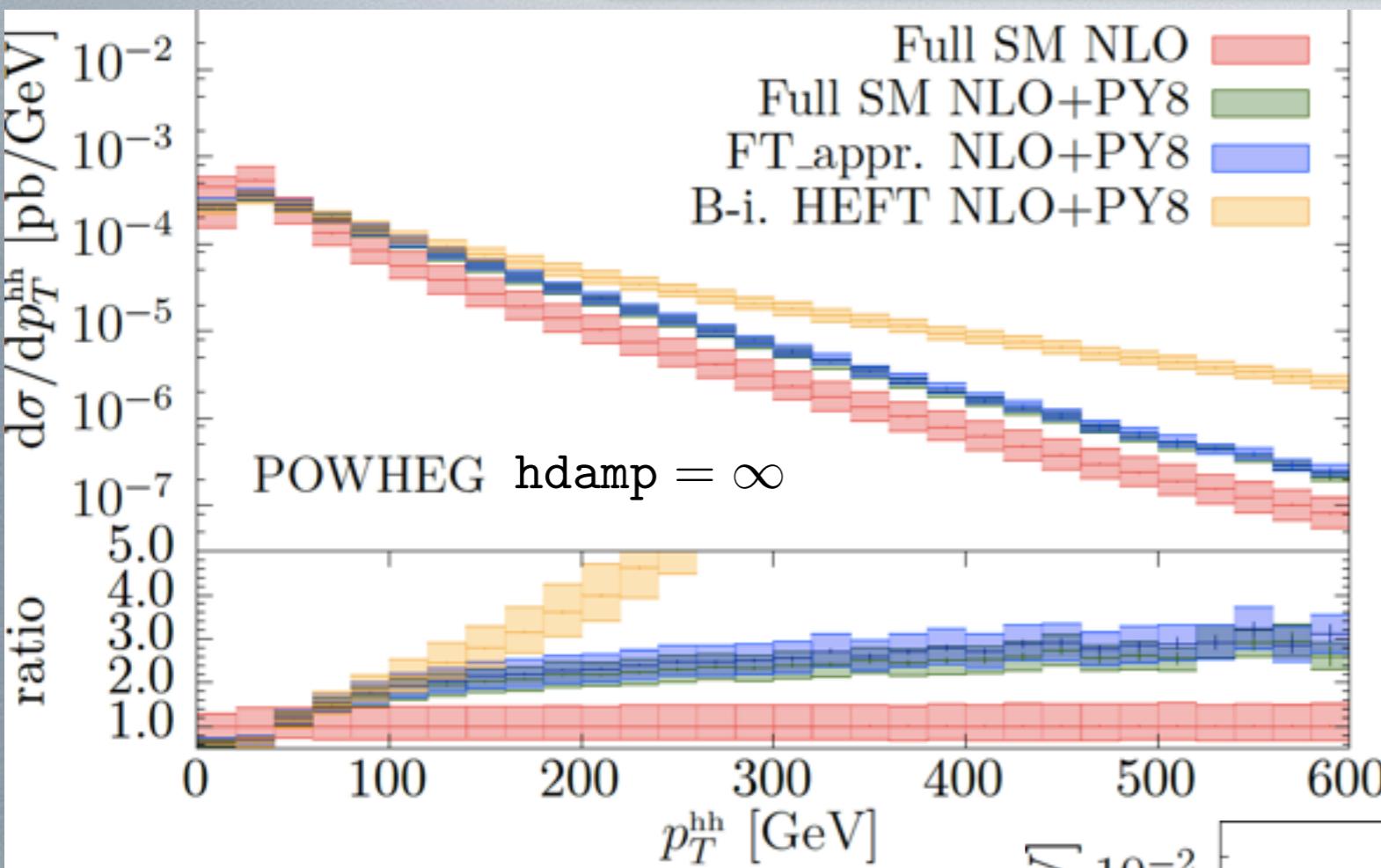
Use HEFT to study validity of grid



Full SM compare POWHEG (grid) with our original results



dependence on shower parameters

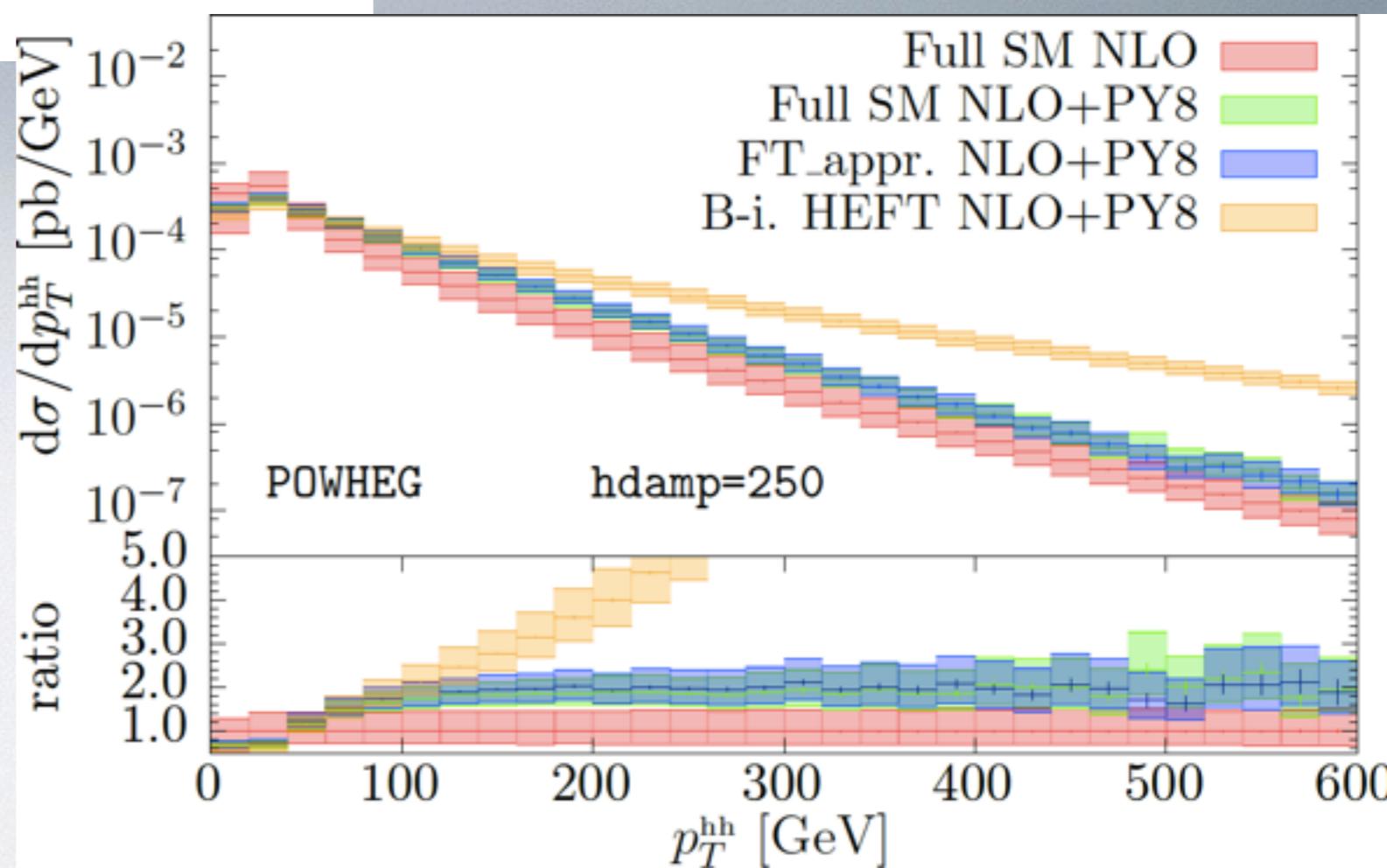


$hdamp=h$ limits amount of exponentiated hard radiation

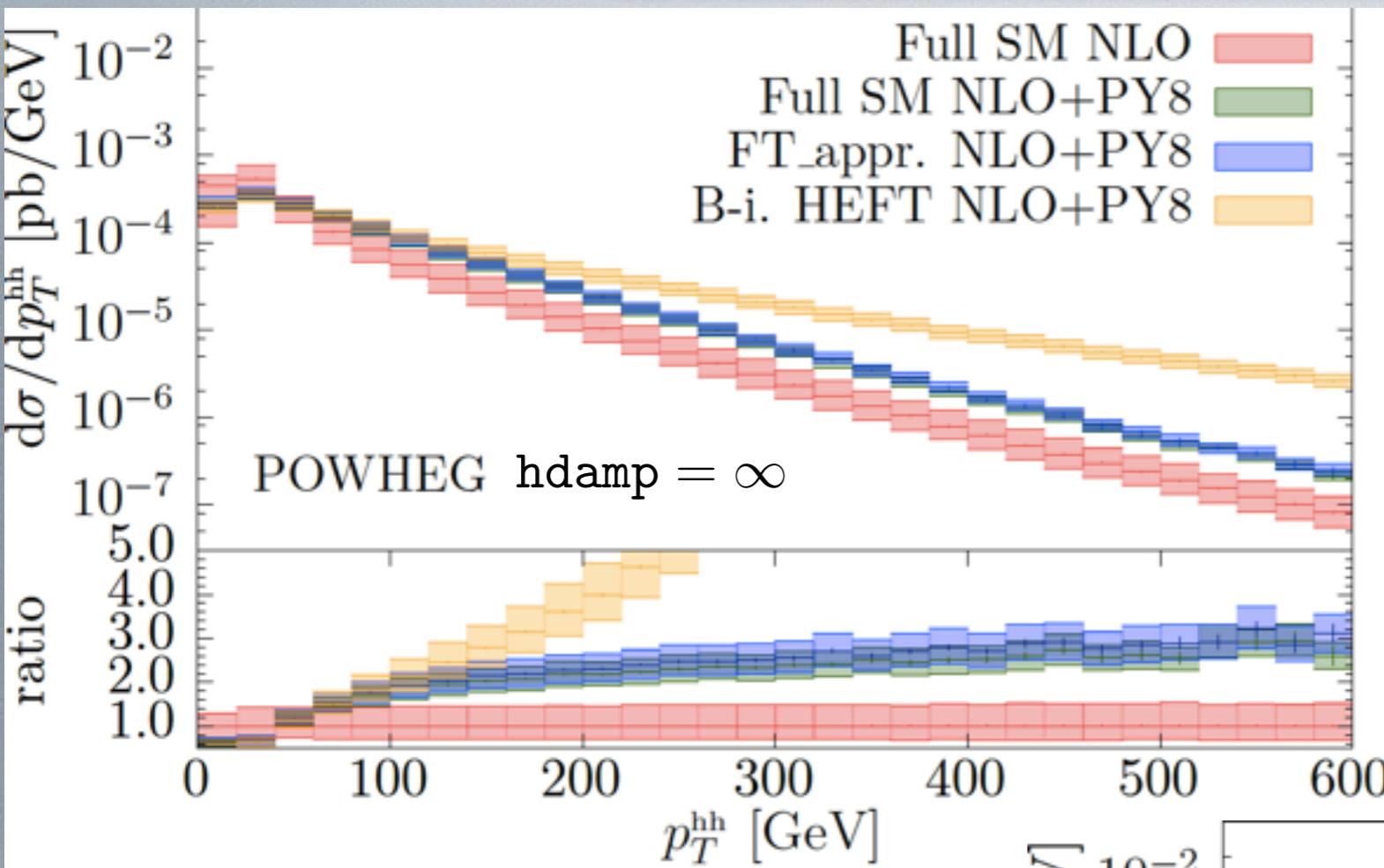
$$R_{\text{sing}} = R \times F ,$$

$$R_{\text{reg}} = R \times (1 - F)$$

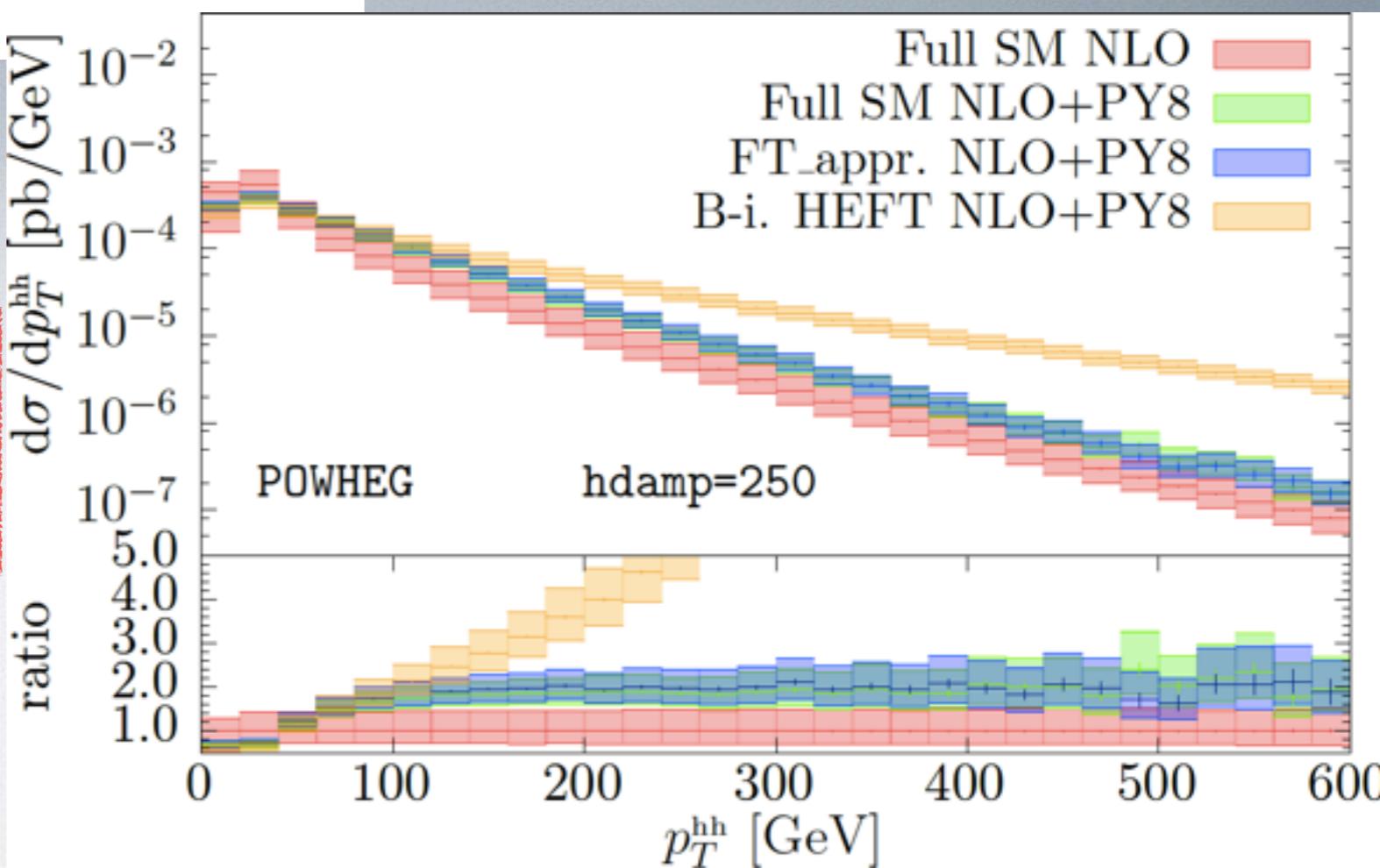
$$F = \frac{h^2}{(p_T^{hh})^2 + h^2}$$



dependence on shower parameters



shower effects large but
order(s) of magnitude smaller than
difference to Born-improved HEFT



$hdamp=h$ limits amount of
exponentiated hard radiation

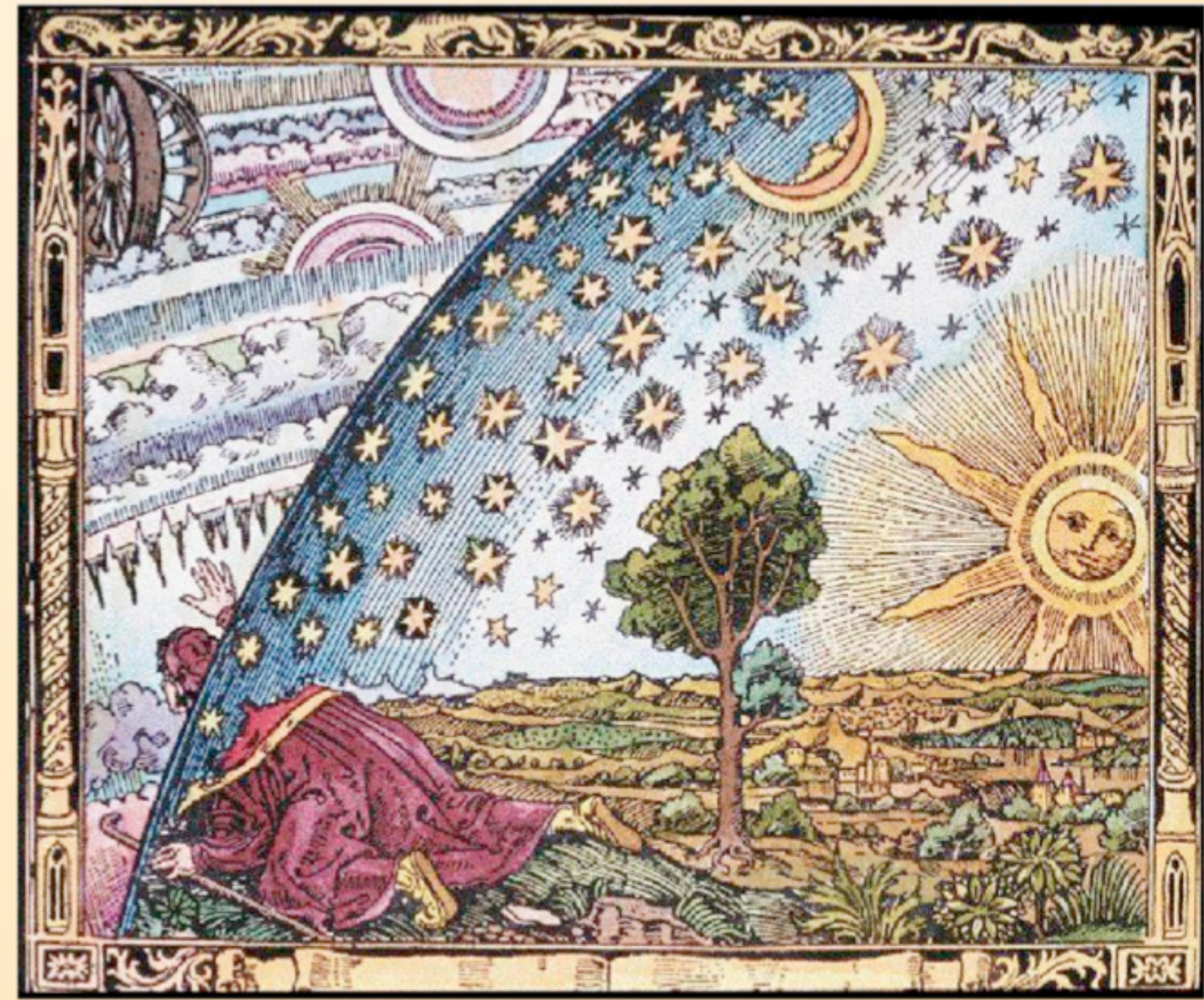
$$R_{\text{sing}} = R \times F ,$$

$$R_{\text{reg}} = R \times (1 - F)$$

$$F = \frac{h^2}{(p_T^{hh})^2 + h^2}$$

summary & outlook

- NLO is not “a solved problem”
- finite mass effects are important
 - in particular in tails of distributions, where they need to be distinguished from BSM effects
- NLO with full top mass dependence for
 $pp \rightarrow HH, pp \rightarrow H + jet, gg \rightarrow HZ$
means 2-loop integrals with many kinematic scales
(too many for an analytic solution currently?)
- HH@NLO done numerically (SecDec)
- combination of QCD corrections with NLO EW and EFT
 - talk of Alexander Mück
 - many talks
- increase precision by improvements on parton shower side
(matching uncertainties, merging, log. acc.) and resummation
 - talk of Pier-Francesco Monni



BACKUP SLIDES

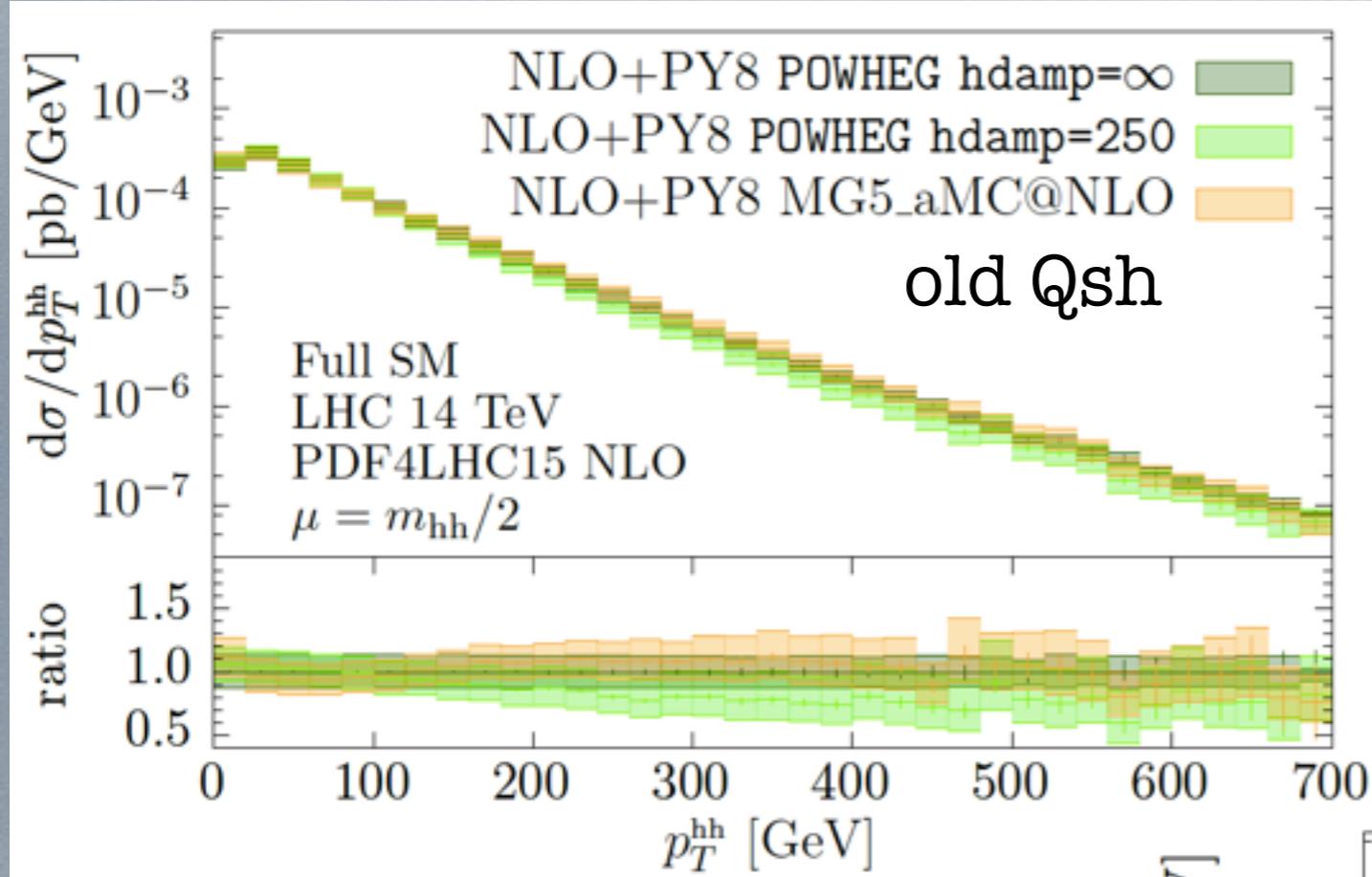


MAX-PLANCK-GESELLSCHAFT



Max-Planck-Institut für Physik
(Werner-Heisenberg-Institut)

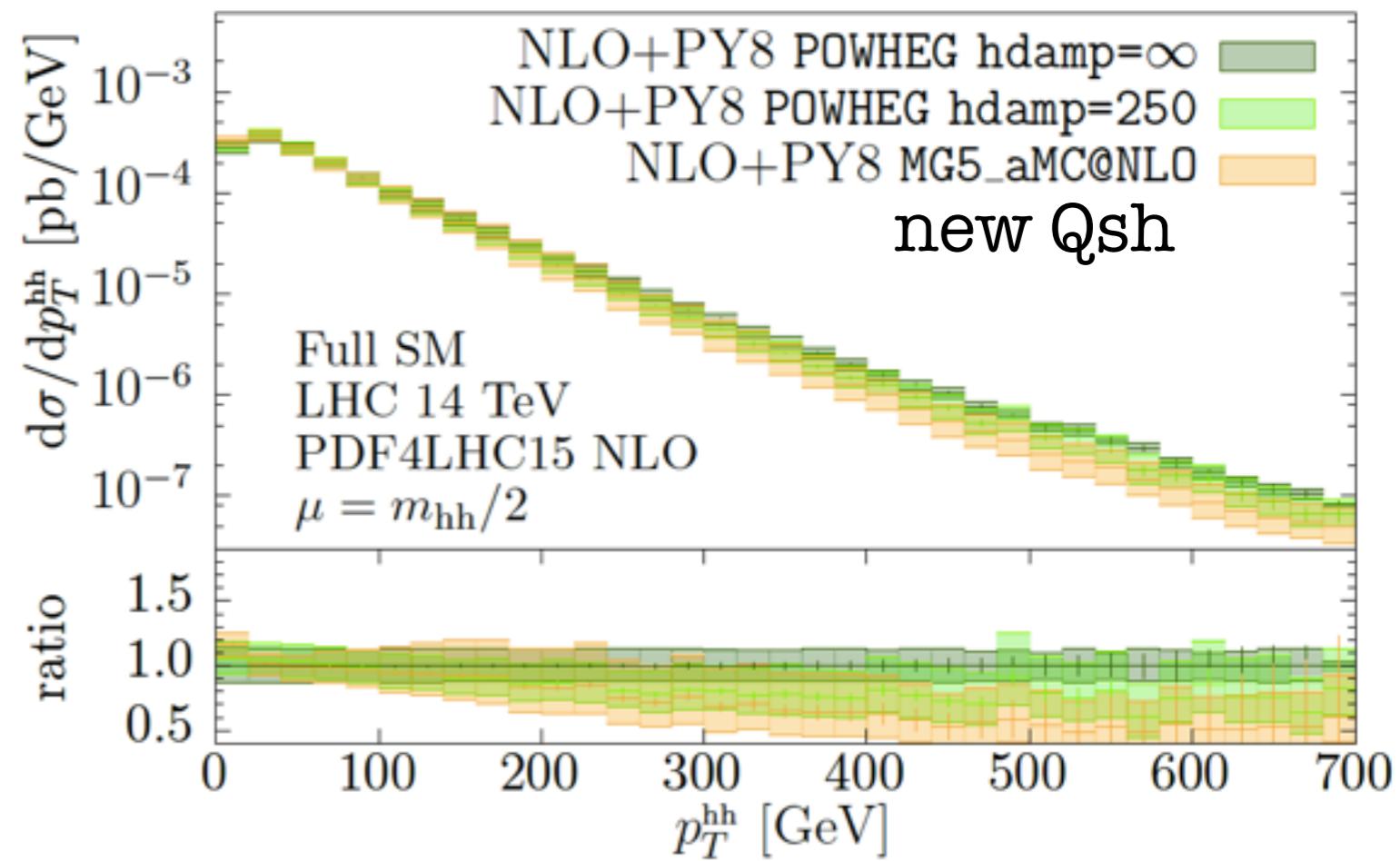
compare POWHEG and MG5_aMC@NLO



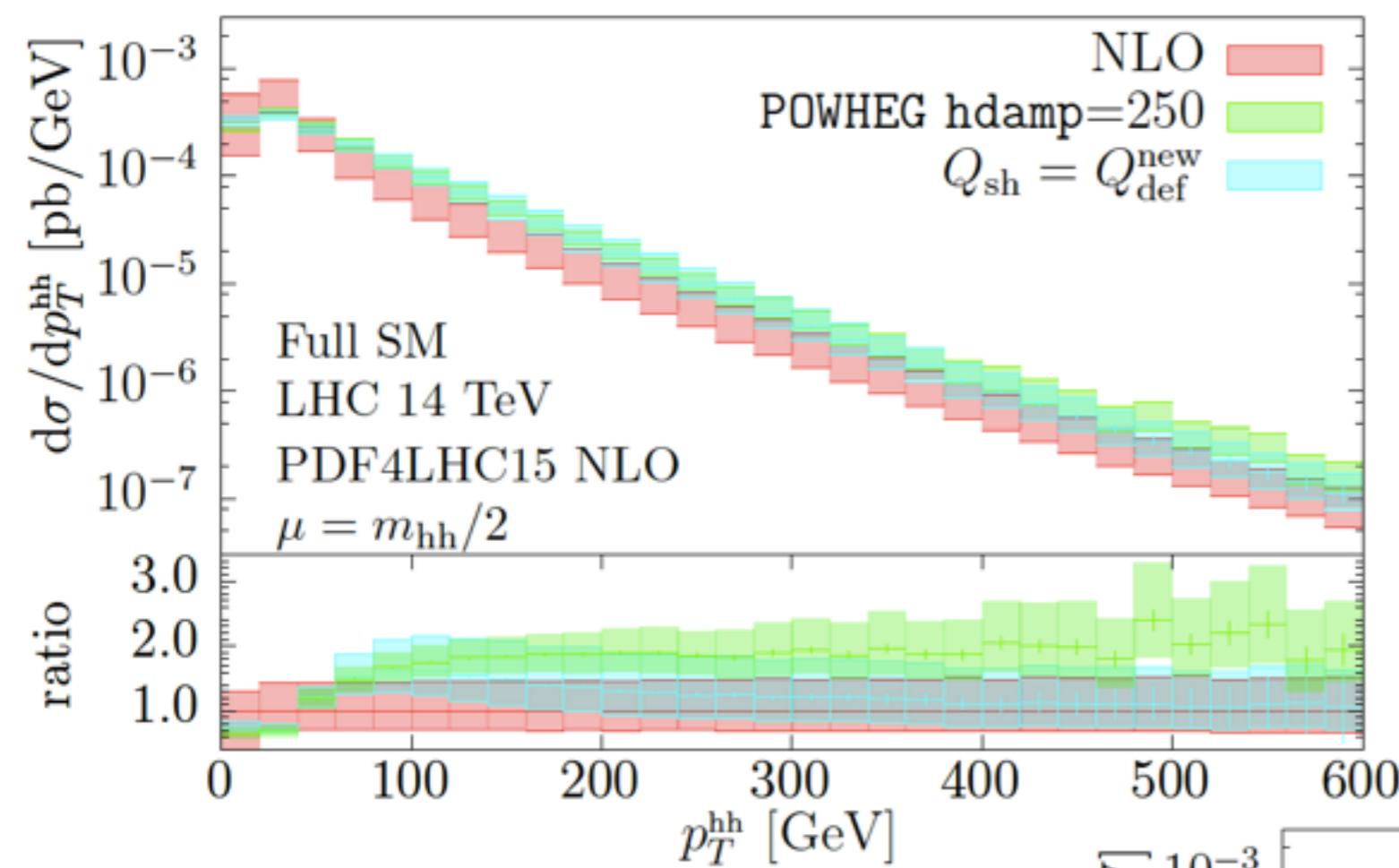
MG5_aMC@NLO
old shower starting scale Qsh:
picked with some probability distribution in

`shower_scale_factor` $\times [0.1\sqrt{\hat{s}}, \sqrt{\hat{s}}]$

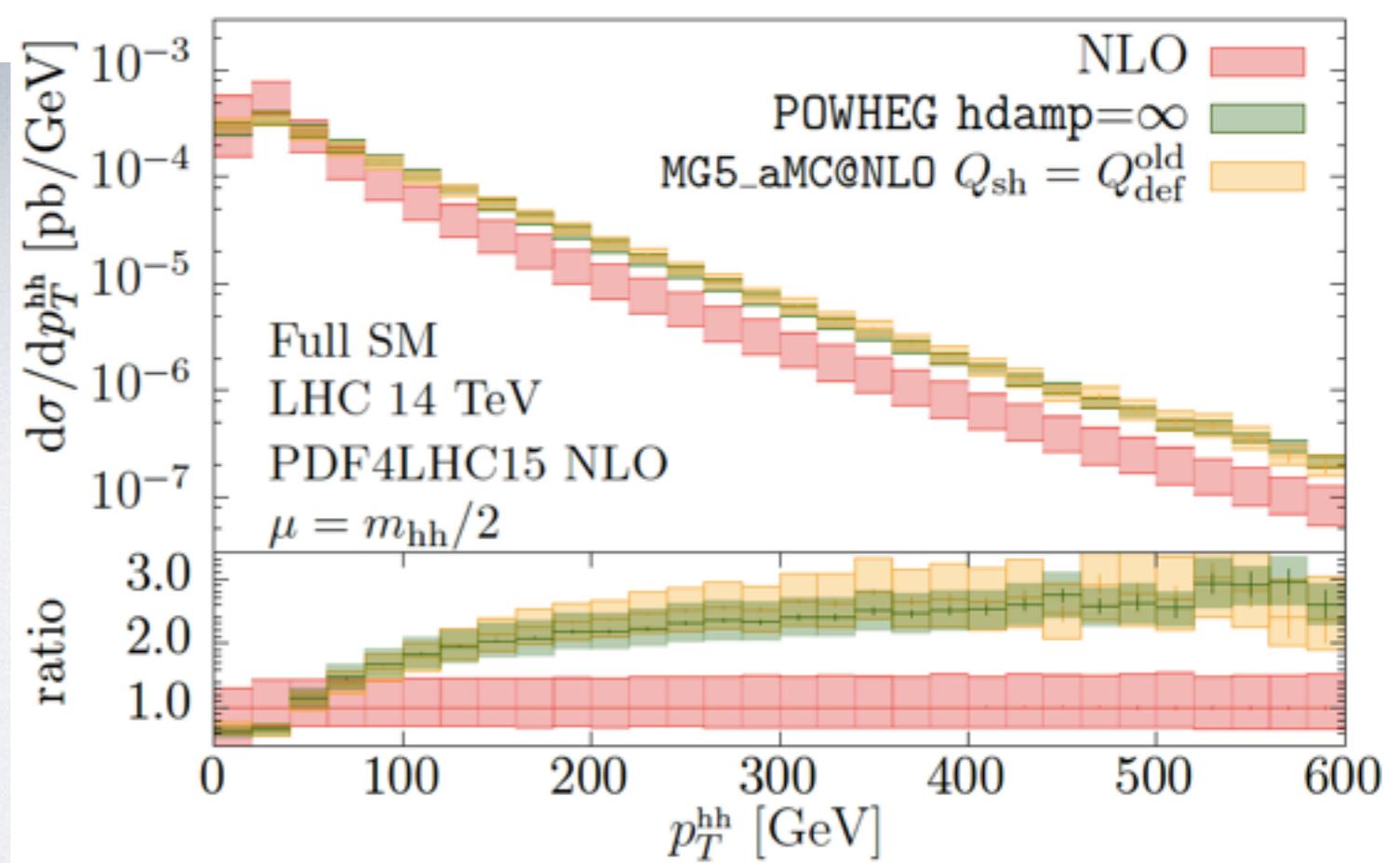
MG5_aMC@NLO version 2.5.3:
new Qsh
picked with some probability distribution in
`shower_scale_factor` $\times [0.1 H_T/2, H_T/2]$



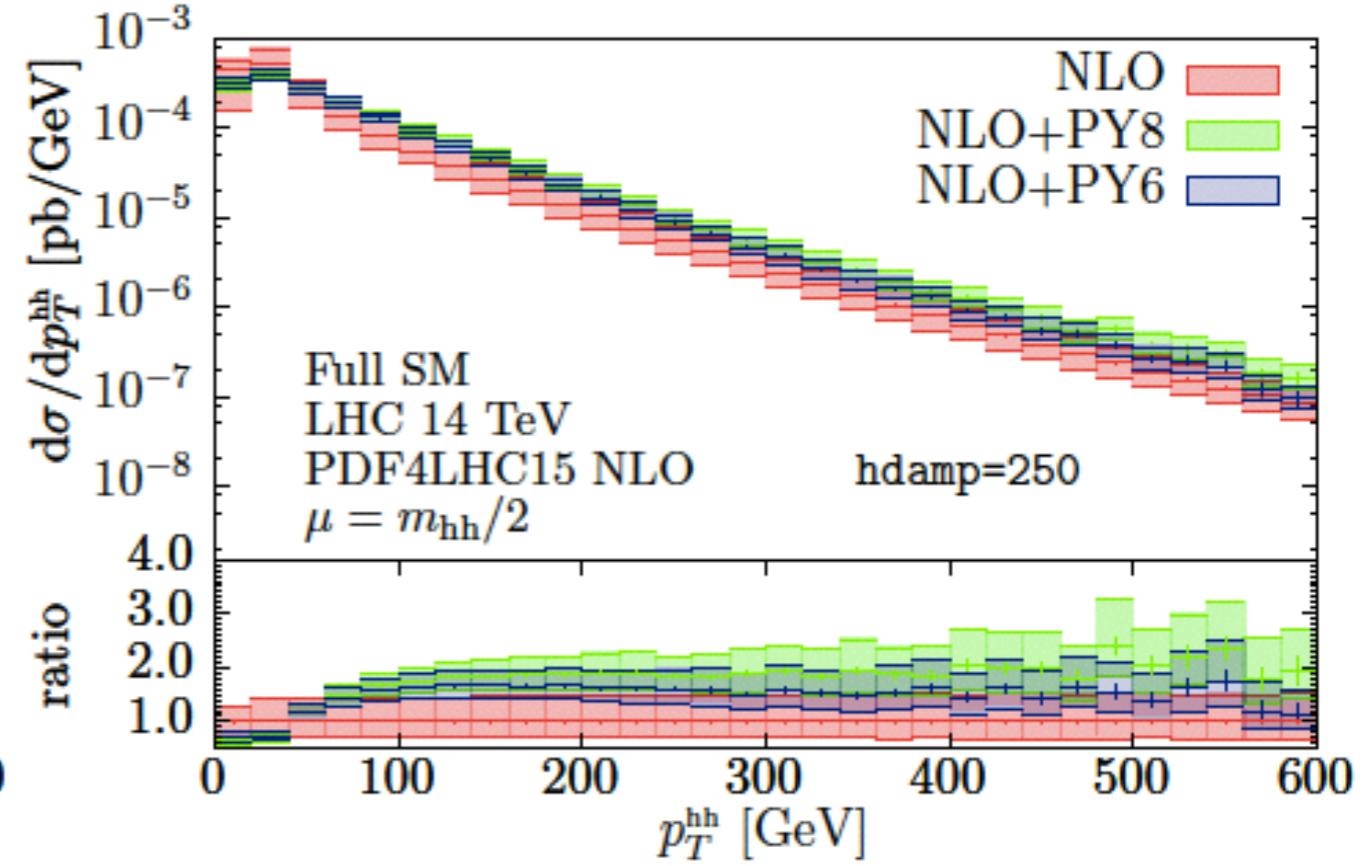
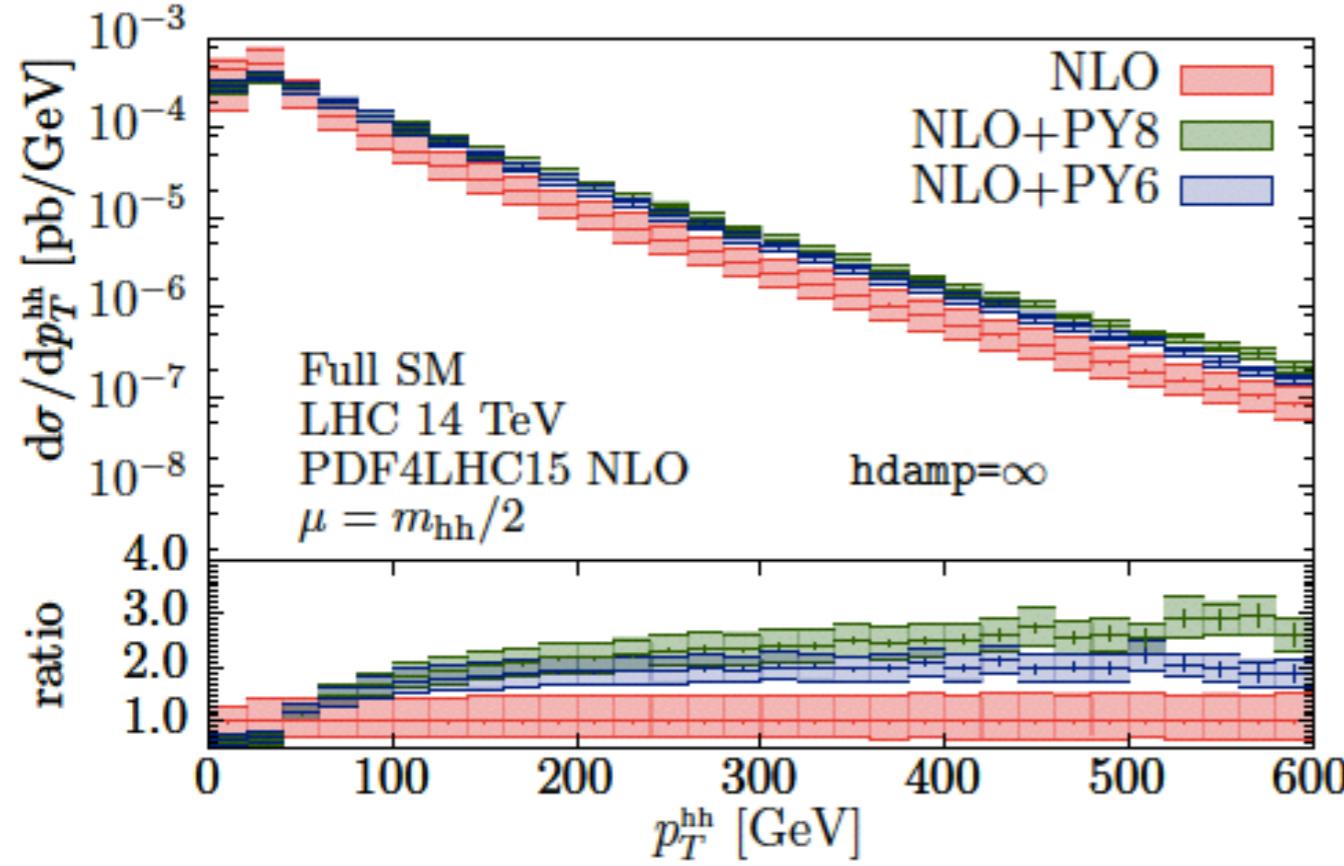
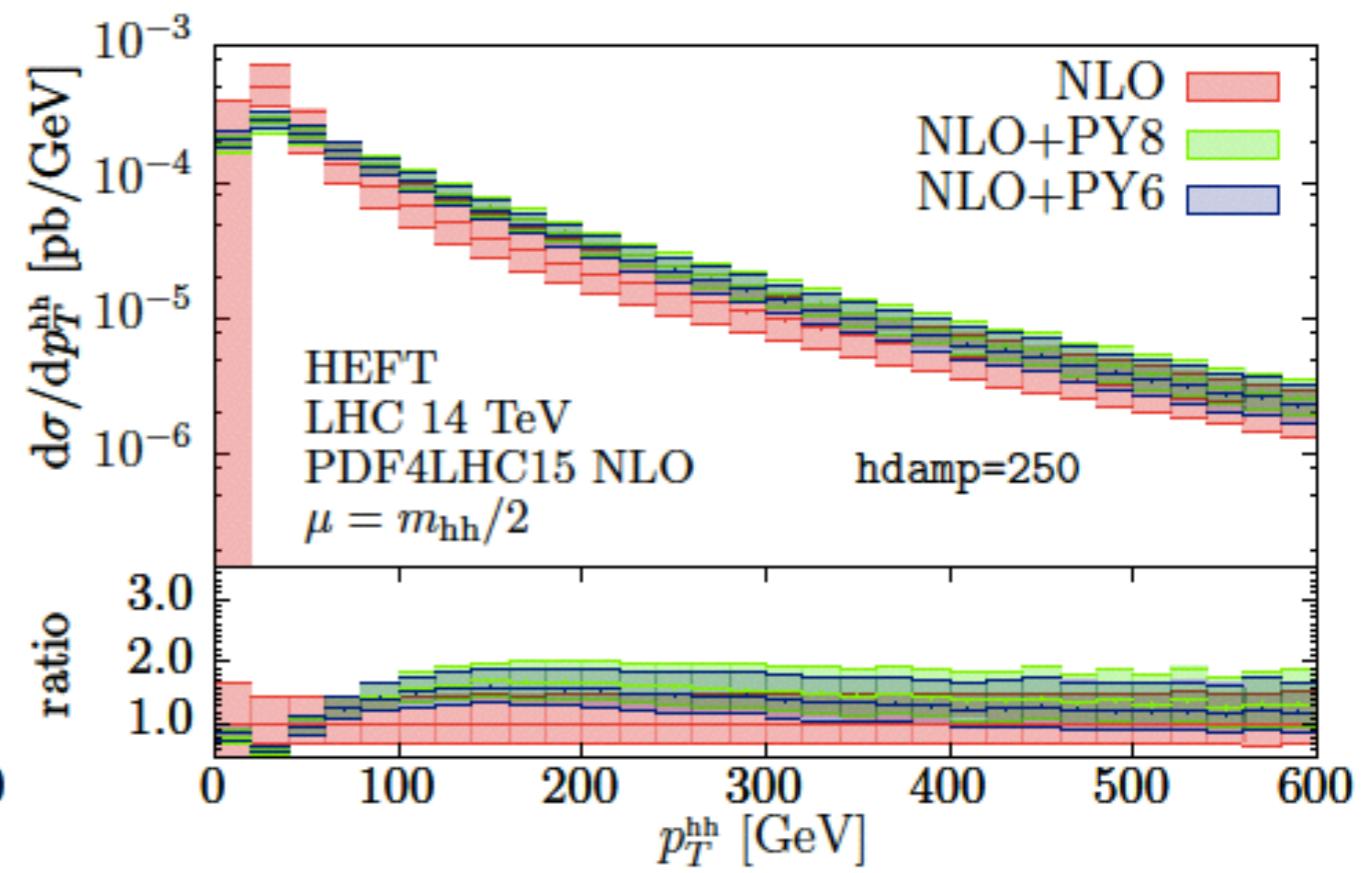
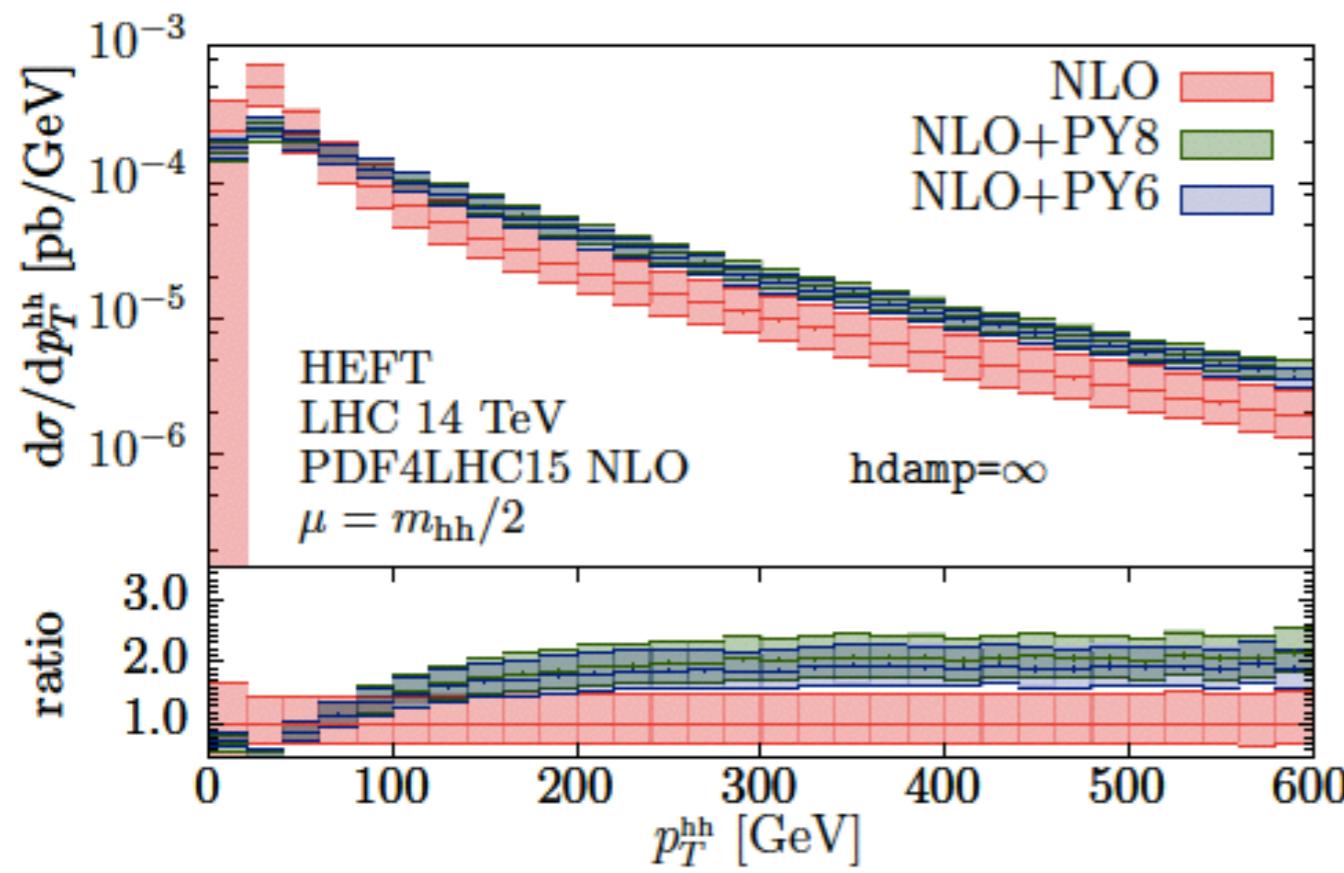
compare POWHEG and MG5_aMC@NLO



new default Q_{sh} matches onto NLO fixed order at large pT



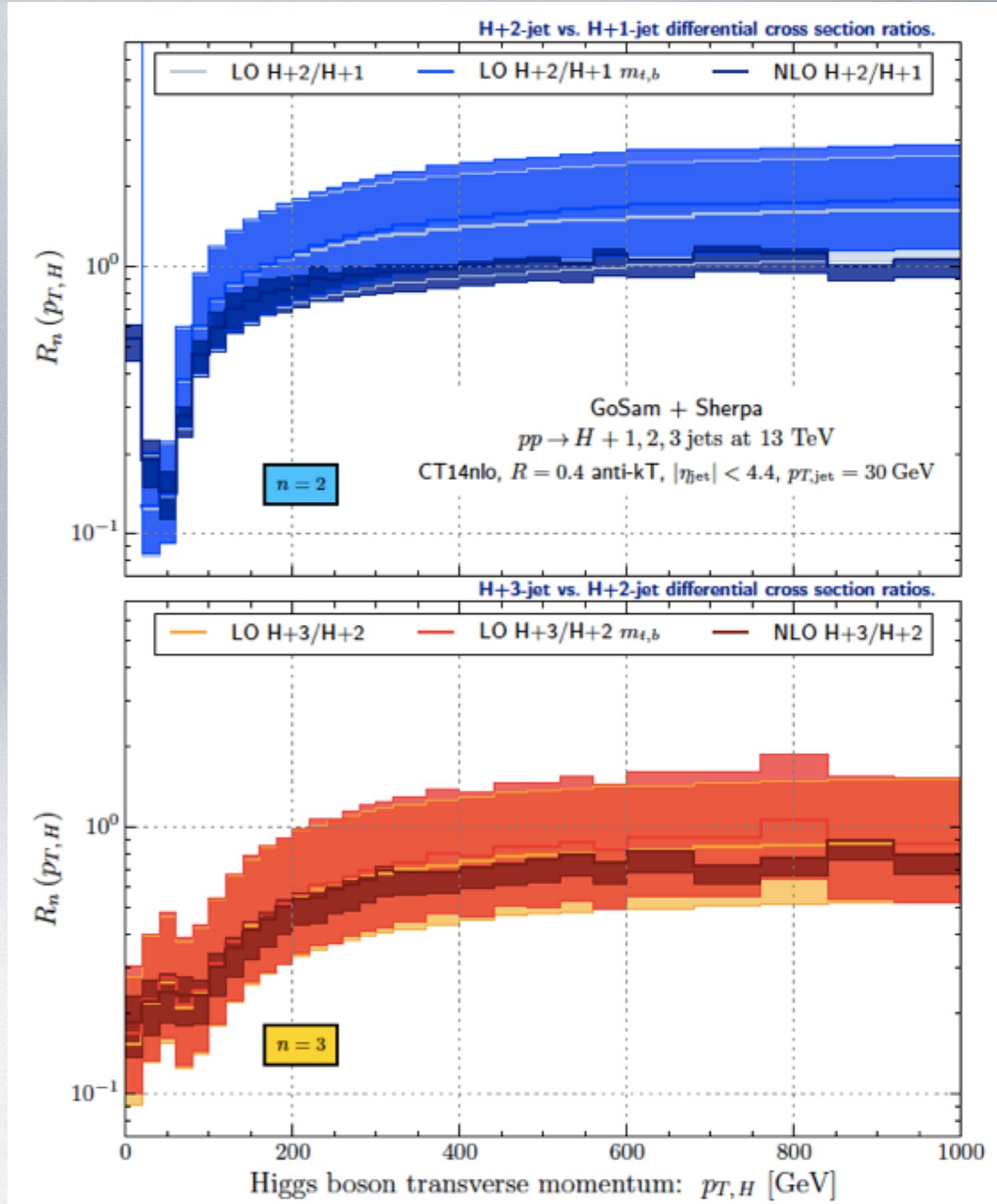
compare Pythia6 and Pythia8



quark mass effects in Higgs + jets

$$R_n(O) = \frac{\frac{d\sigma}{dO}(H+n \text{ jets})}{\frac{d\sigma}{dO}(H+(n-1) \text{ jets})}$$

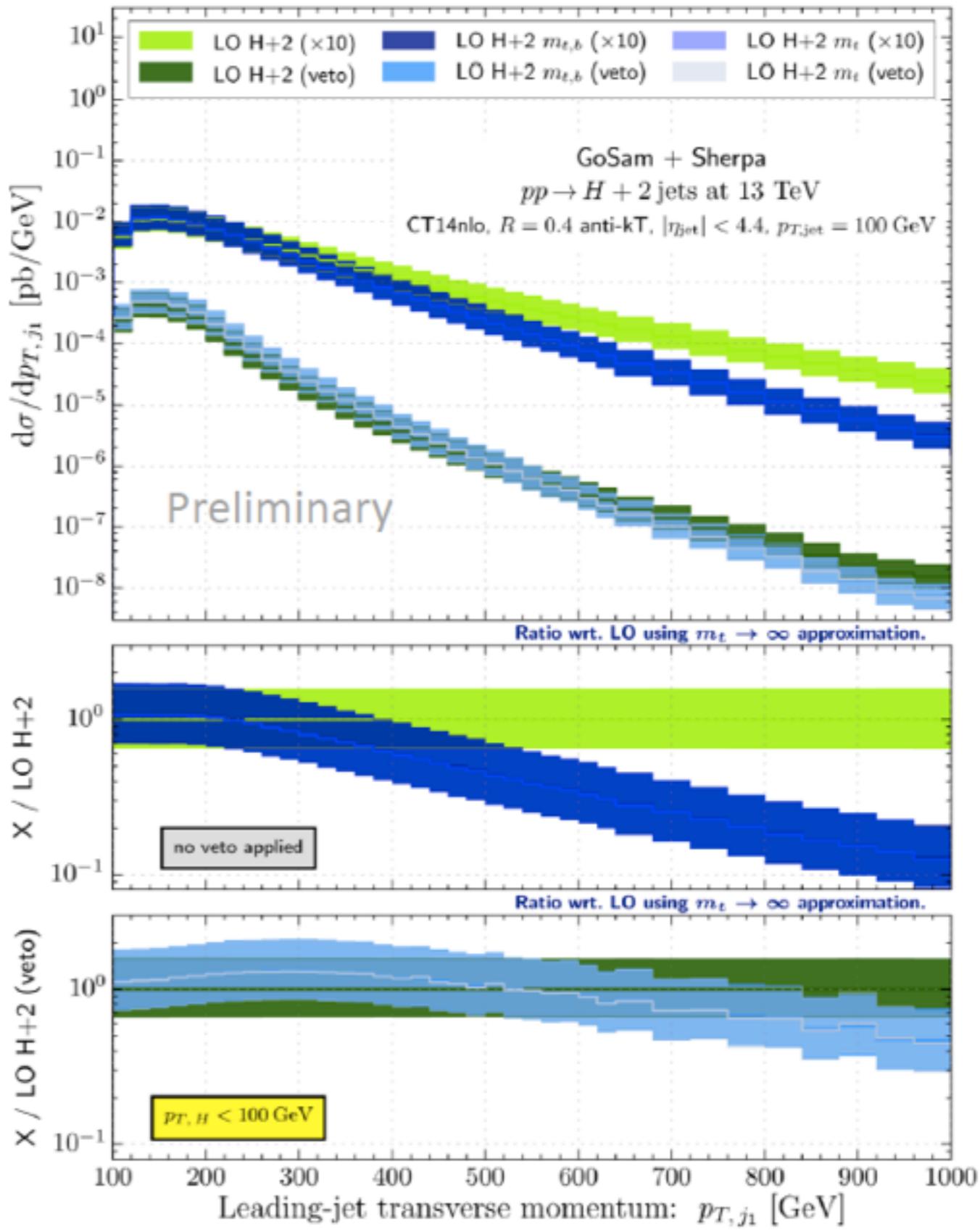
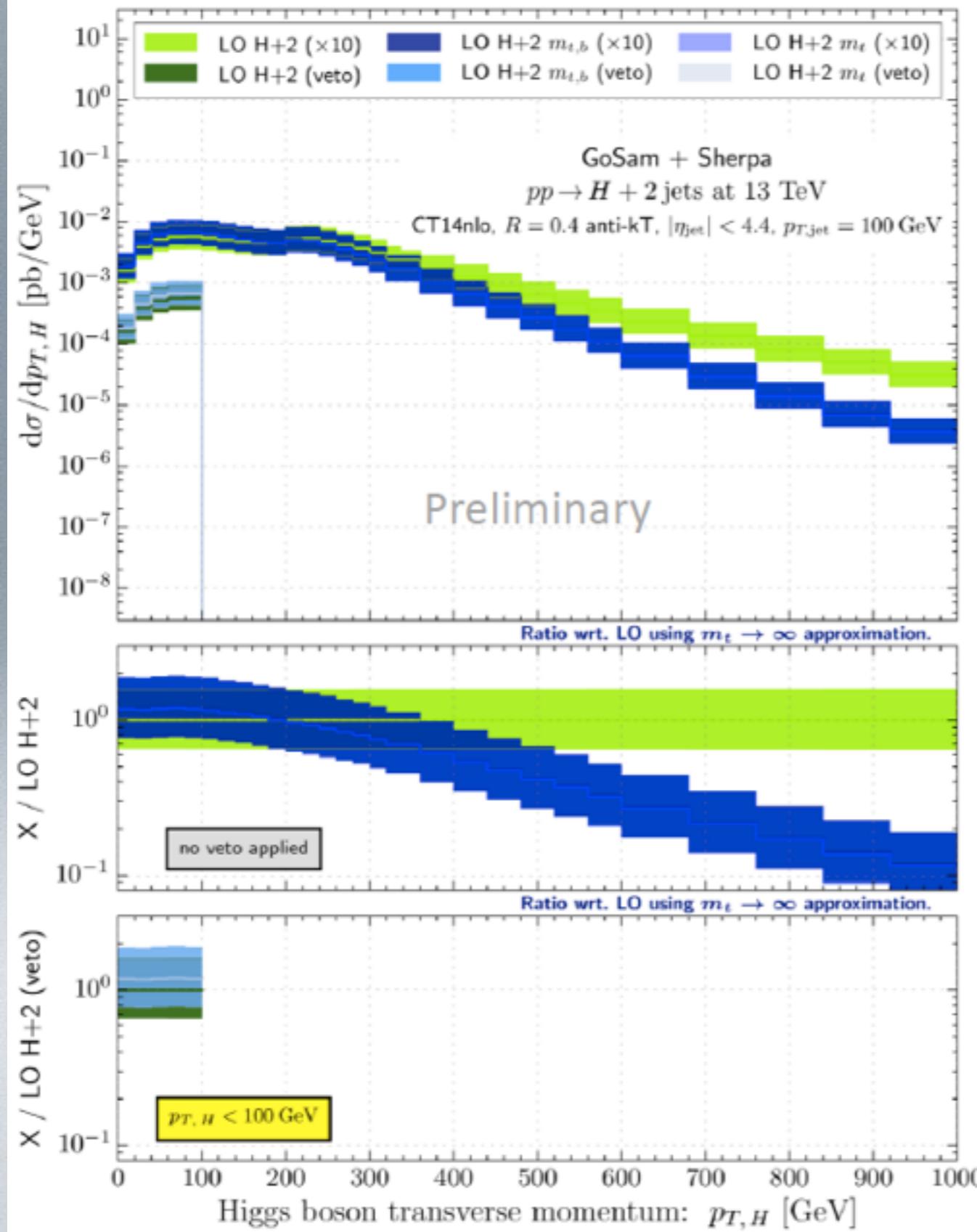
ratio to lower jet multiplicity
shows similar behaviour



quark mass effects in Higgs + jets

Applying a veto on the Higgs for H+2j: $p_{T,H} < 100 \text{ GeV}$:

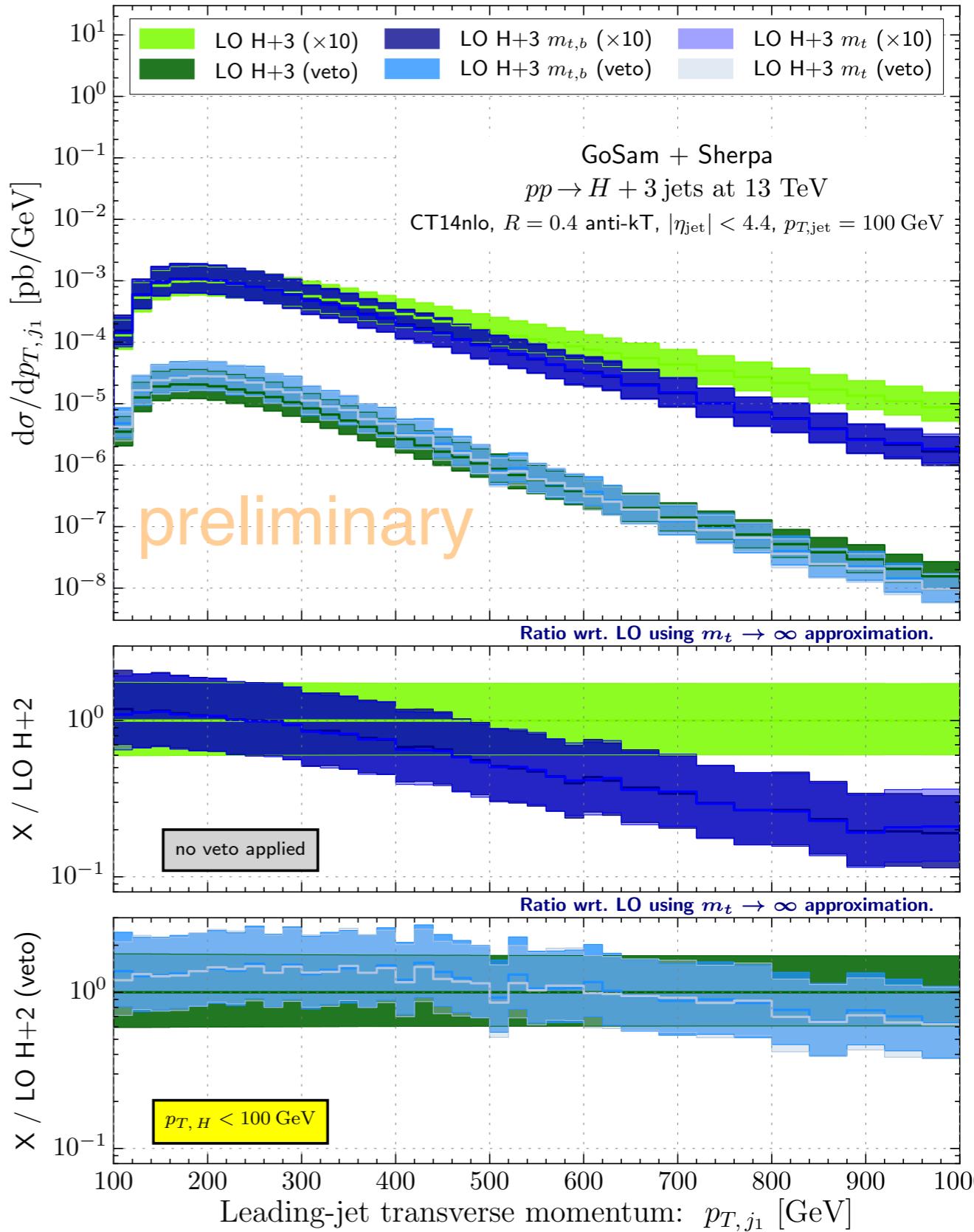
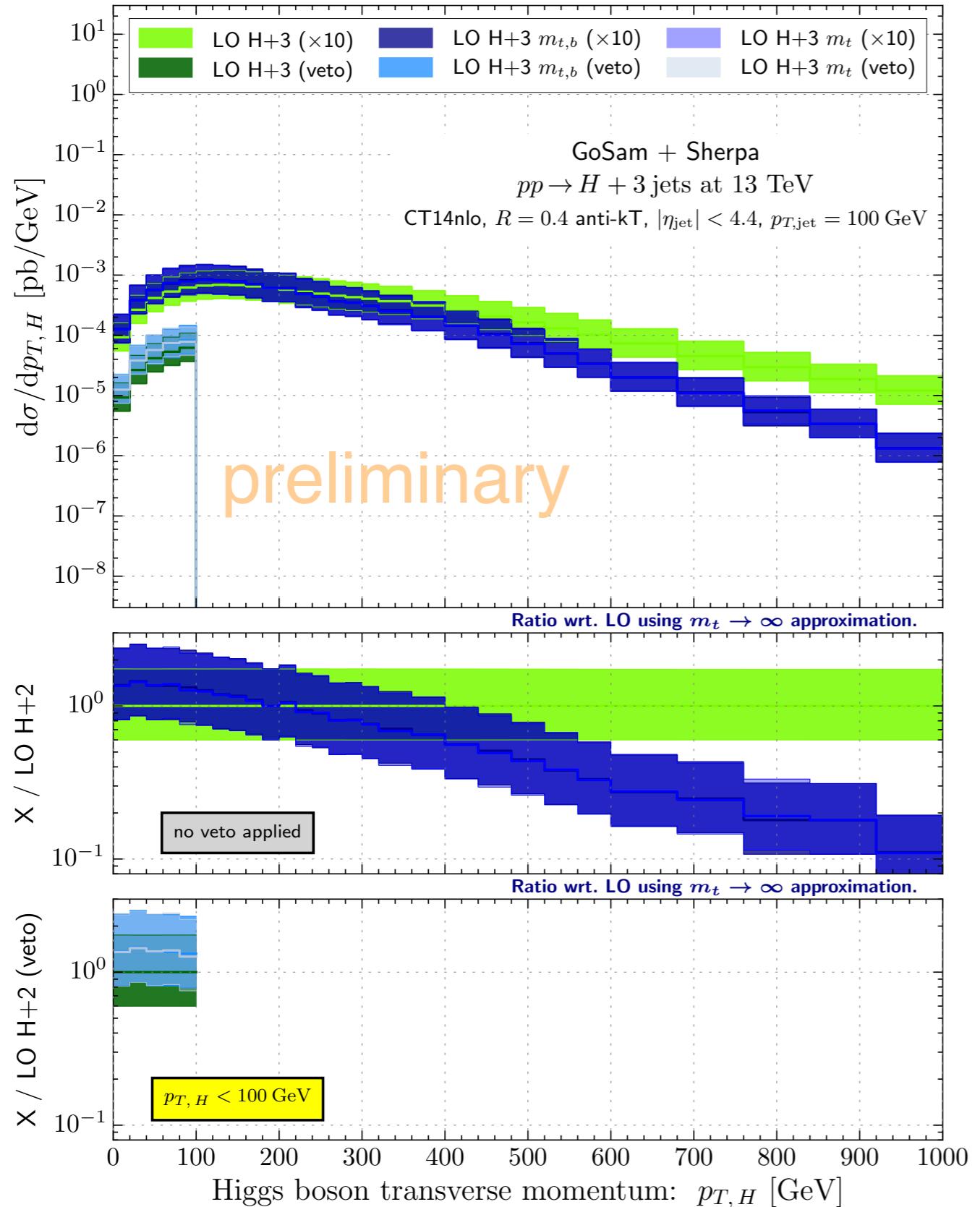
Gionata Luisoni, DIS 2017



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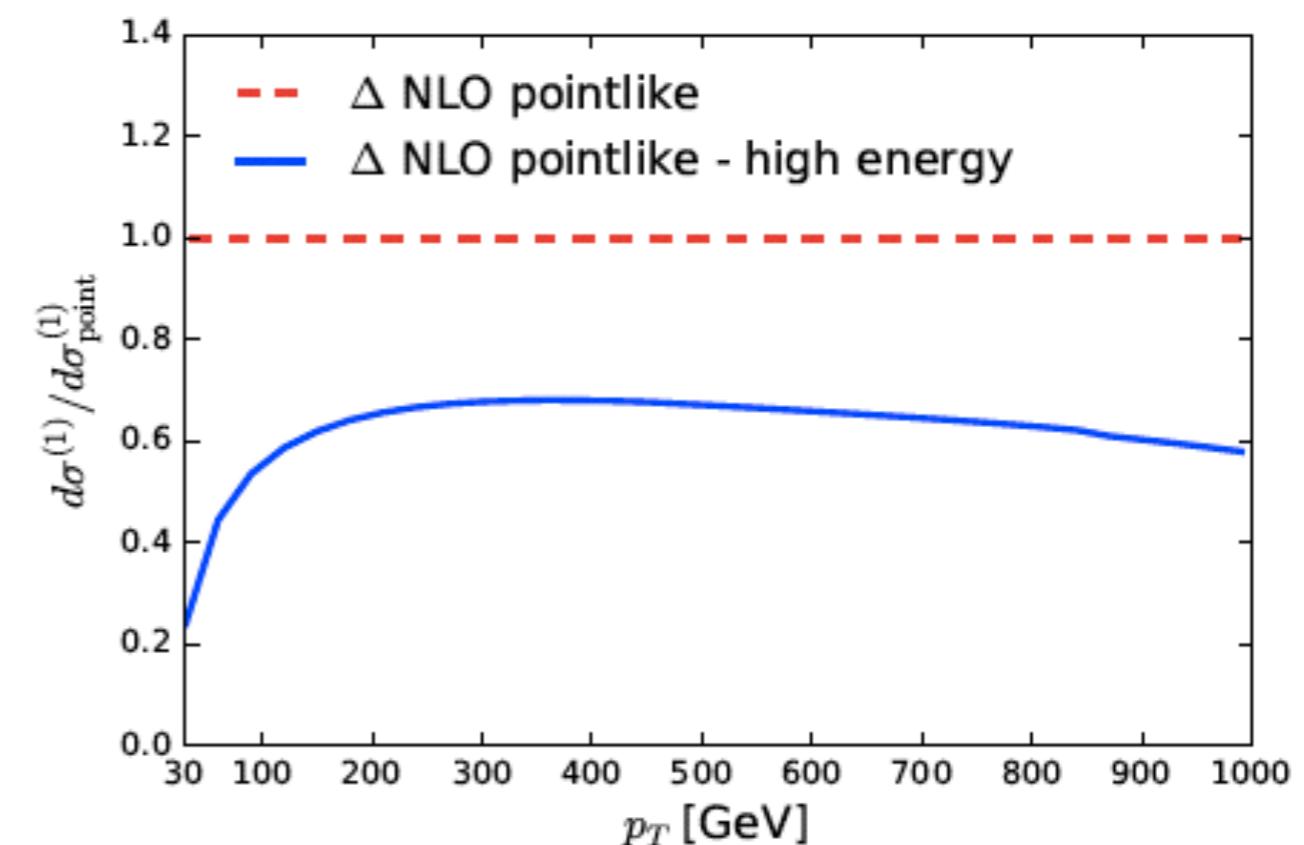
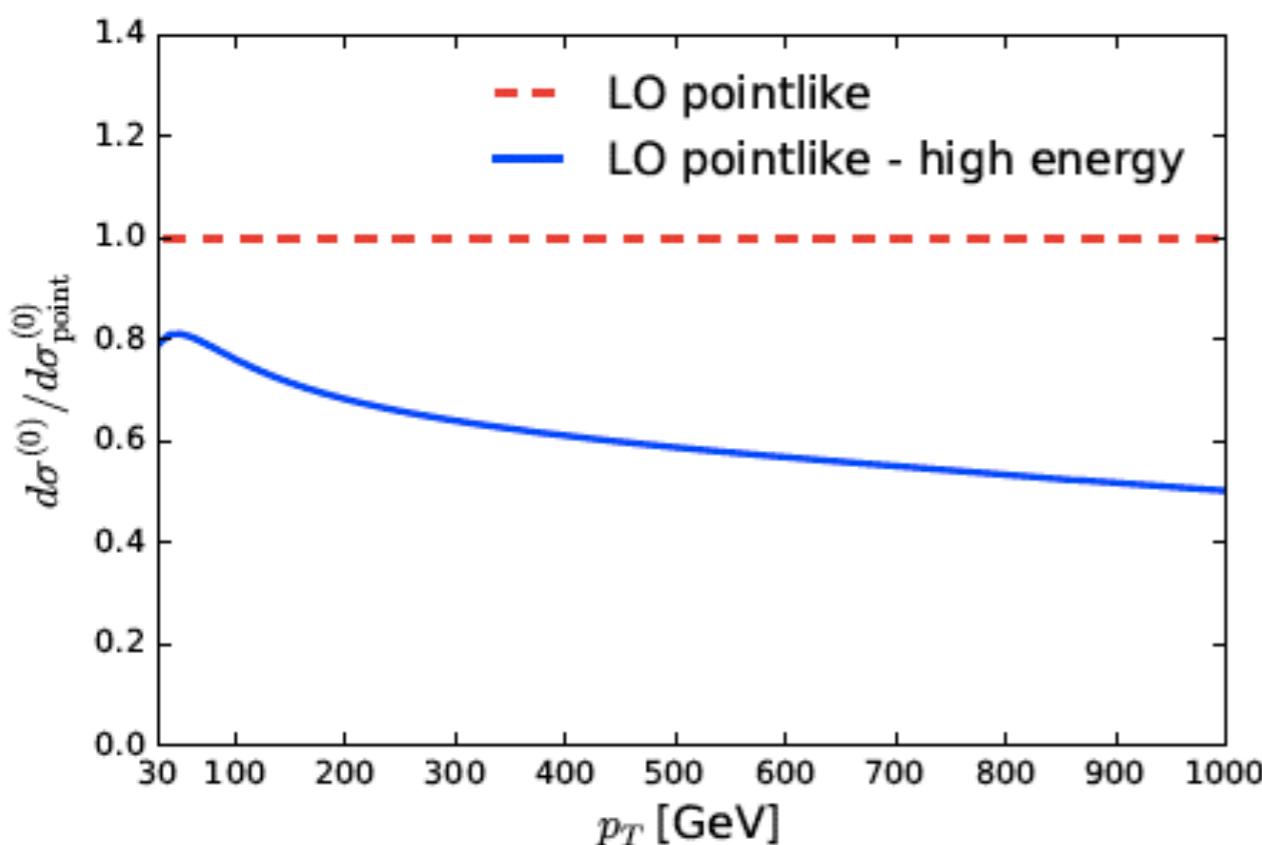
Gionata Luisoni, DIS 2017



Higgs pT

high-energy resummation of Higgs pT in $gg \rightarrow H$ with off-shell gluons

Caola, Forte, Marzani, Muselli, Vita '16



Higgs + jet

