

Once the LHC...

Tilman Plehn

Higgs to bottoms

Markov chains

Higgs sector

WBF-SUSY

# Once the LHC does Higgs

## An incoherent set of high-lumi Higgs ideas

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Durham, 3/2010

# Outline

Higgs to bottoms

Markov chains

Higgs sector

WBF-SUSY

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Markov chains

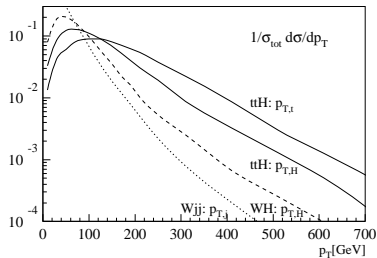
Higgs sector

Weak boson fusion

## Higgs to bottoms

New strategy for  $H \rightarrow bb$  [Butterworth, Davison, Rubin, Salam]

- desperately needed for light Higgs [2/3 of all Higgses; inclusive CMS  $S/B \sim 1/80$ ]
- S: large  $m_{bb}$ , boost-dependent  $R_{bb}$
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- S/B: go for large  $m_{bb}$  and small  $R_{bb}$ , so boost Higgs
- fat Higgs jet  $R_{bb} \sim 2m_H/p_T \sim 0.8$
- $q\bar{q} \rightarrow V_\ell H_b$  sizeable in boosted regime [ $p_T \gtrsim 300$  GeV, few % of total rate]



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⇒ non-trivial challenge to jet algorithms

jet definition	$\sigma_S/\text{fb}$	$\sigma_B/\text{fb}$	$S/\sqrt{B}_{30}$
C/A, $R = 1.2$ , MD-F	0.57	0.51	4.4
$k_{\perp}$ , $R = 1.0$ , $y_{\text{cut}}$	0.19	0.74	1.2
SISCone, $R = 0.8$	0.49	1.33	2.3

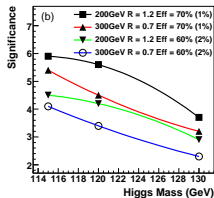
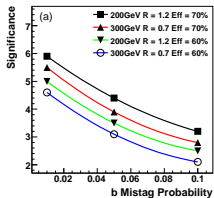
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## Results and checks

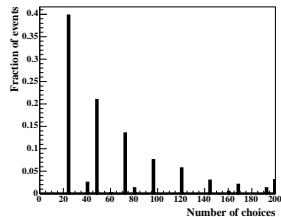
- combined channels  $V \rightarrow \ell\ell, \nu\nu, \ell\nu$
  - NLO rates [bbV notorious, not from data alone]
  - Z peak as sanity check
  - checked by Freiburg [Piquadio]
  - subjet  $b$  tag excellent [70%/1%]
  - charm rejection challenging
  - $m_H \pm 8$  GeV tough
- ⇒ **confirmed at 20% level**



Rescuing  $t\bar{t}H$ 

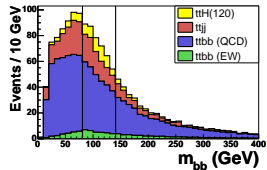
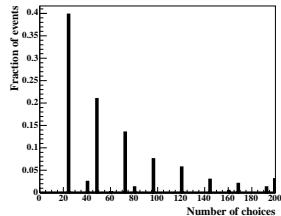
Traditional  $t\bar{t}H, H \rightarrow b\bar{b}$  [Atlas-Bonn study, CMS-TDR even worse]

- trigger:  $t \rightarrow bW^+ \rightarrow b\ell^+\nu$   
reconstruction and rate:  $\bar{t} \rightarrow \bar{b}W^- \rightarrow \bar{b}jj$
- continuum background  $t\bar{t}b\bar{b}, t\bar{t}jj$  [weighted by b-tag]
- no chance:
  - 1- combinatorics:  $m_{bb}$  from  $pp \rightarrow 4b_{tag} 2j \ell\nu$



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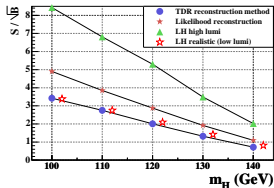
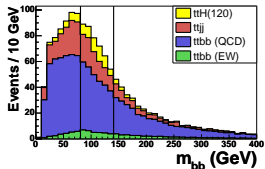
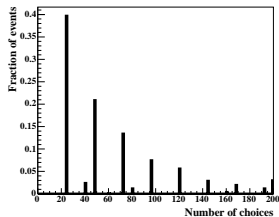
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  - 3- systematics:  $S/B \sim 1/9$





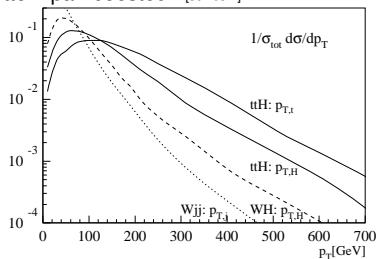
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## Fat jets analysis [TP, Salam, Spannowsky]

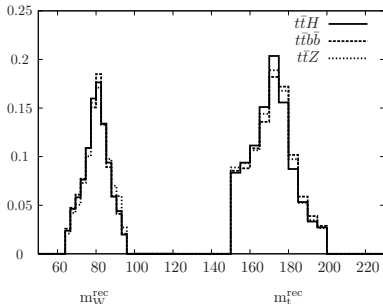
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B: large  $m_{bb}$  only for large  $R_{bb}$   
S/B: large  $m_{bb}$  and small  $R_{bb}$ ; correct bottom pair boosted [solves 1]
- $pp \rightarrow t_\ell t_h H_b$  even better than  $VH$ ?  
also boost different for S and B [solves 2]
- cool: fat Higgs jet + fat top jet  
uncool: QCD [Dittmaier et al:  $K = 2.3$  for  $t\bar{t}b\bar{b}$ ]
- see how far we get... [watch  $S/B$  for 3]



Rescuing  $t\bar{t}H$ 

## Top tag [cf Johns Hopkins, Princeton, Washington]

- start with C/A jet [ $R = 1.5$ ] [Johns Hopkins]
  - uncluster one-by-one:  $j \rightarrow j_1 + j_2$ 
    - 1- unbalanced  $m_{j_1} > 0.8m_j$  means QCD; discard  $j_2$
    - 2- soft  $m_{j_1} < 30$  GeV means QCD; keep  $j_1$
  - search for top decay kinematics in relevant substructures
    - reconstruct  $m_W = 60...95$  GeV
    - reconstruct  $m_t = 150...200$  GeV
    - helicity angle  $\cos \theta_{t,j_1} > 0.7$  [not vital]
    - no  $b$  tag needed
  - underlying event scaling like  $R^4$ 
    - filter reconstruction jets [Butterworth-Salam]
    - decay plus one add'l jet at  $R_{\text{filt}} \sim R_{jj}/2$
    - reconstruct masses w/ QCD jet
  - right now: efficiency 43%; mistag 5%
- ⇒ **only (working) Standard Model top tag**  
 [still working on it, including experimenters...]



# Rescuing $t\bar{t}H$

## Higgs tag

- same as top tag [stricter mass drop criterion, harder jets]  
but: Higgs mass unknown
  - double  $b$  tag [ $\mathcal{O}(10\%)$  from leptonic top]  
combinations ordered by  $J = p_{T,1}p_{T,2}(\Delta R_{12})^4$   
three leading combinations vs  $m_{bb}^{\text{filt}}$
- ⇒ like Butterworth-Salam for busy QCD

## Analysis

- require tagged top and Higgs  
trigger on lepton
- remove ‘Higgs’ as  $t_\ell \rightarrow b$  plus QCD  
3rd  $b$  tag in continuum  
 $B = 3.8S \rightarrow 2.4S$  [costing  $S/\sqrt{B}$ ]  
only continuum  $t\bar{t}b\bar{b}$  left

per 1 fb <sup>-1</sup>	signal	$t\bar{t}Z$	$t\bar{t}b\bar{b}$	$t\bar{t}$ +jets
events after acceptance	24.1	6.9	191	4160
events with one top tag	10.2	2.9	70.4	1457
events with $m_{bb} = 110 - 130$ GeV corresponding to subjet pairings	2.9	0.44	12.6	116
subjet pairings two $b$ tags including a third $b$ tag	3.2	0.47	13.8	121
	1.0	0.08	2.3	1.4
	0.48	0.03	1.09	0.06

# Rescuing $t\bar{t}H$

## Higgs tag

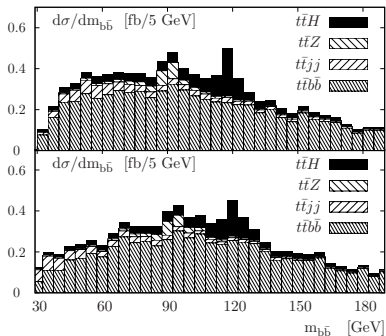
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only continuum  $t\bar{t}b\bar{b}$  left

$m_H$	$S$	$S/B$	$S/\sqrt{B}$
115	57	1/2.1	5.2 (5.7)
120	48	1/2.4	4.5 (5.1)
130	29	1/3.6	2.9 (3.0)

⇒ under experimental scrutiny



# Markov chains

## Probability maps

- honest LHC parameters: weak-scale Lagrangean [Higgs, MSSM, dark matter,...]
  - problem in grid: huge phase space, find local best points?  
problem in fit: domain walls, find global best points?
  - likelihood map: data given a model  $p(d|m) \sim |\mathcal{M}|^2(m)$
  - Bayes' theorem:  $p(m|d) = p(d|m) p(m)/p(d)$  [ $p(d)$  normalization,  $p(m)$  prejudice]
- ⇒ given measurements:
- 1- compute map  $p(d|m)$
  - 2- rank local maxima
  - 3- derive probabilities for parameters

## Markov chains

- classical: representative set of spin states  
compute average energy on this reduced sample
- BSM physics: map  $p(d|m)$  of parameter points  
evaluate same probability or additional function
- Metropolis-Hastings  
starting probability  $p(d|m)$  vs suggested probability  $p(d|m')$ 
  - 1- accept new point if  $p(d|m') > p(d|m)$
  - 2- or accept with  $p(d|m')/p(d|m) < 1$

# Improving Markov chains

## Weighted Markov chains [Lafaye, TP, Rauch, Zerwas; Ferrenberg, Swendsen]

- special situation  
measure of 'representative': probability itself
- example with 2 bins, probability 9:1  
10 entries needed for good Markov chain  
2 entries needed if weight kept
- binning with weight would double count  
bin with inverse averaging

$$P_{\text{bin}}(p \neq 0) = \frac{\text{bincount}}{\sum_{i=1}^{\text{bincount}} p^{-1}}$$

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## Cooling Markov chains [Lafaye, TP, Rauch, Zerwas]

- need to zoom in on peak structures
- modified condition [inspired by simulated annealing]  
Markov chain in 100 partitions, numbered by  $j$

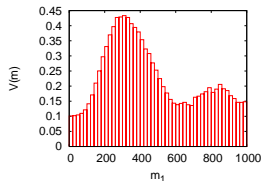
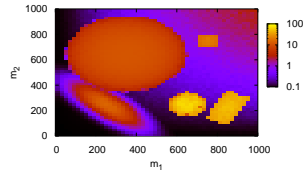
$$\frac{p(m')}{p(m)} > r \frac{100}{j^c} \quad \text{with } c \sim 10, \quad r \in [0, 1] \text{ random number}$$

- check for parameter coverage with many Markov chains

# Frequentist vs Bayesian

## Getting rid of model parameters

- poorly constrained parameters
  - uninteresting parameters
  - unphysical parameters [JES part of  $m_t$  extraction]
  - two ways to marginalize likelihood map
- 1– integrate over probabilities
    - normalization etc mathematically correct
    - integration measure unclear
    - noise accumulation from irrelevant regions
    - classical example: convolution of two Gaussians

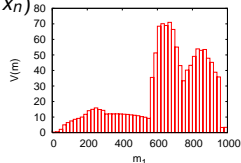
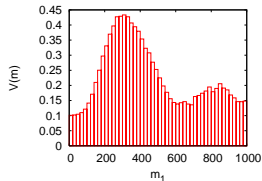
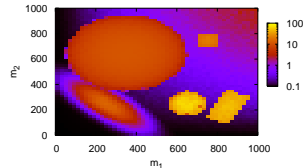




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    - classical example: convolution of two Gaussians
  - 2– profile likelihood  $\mathcal{L}(\dots, x_{j-1}, x_{j+1}, \dots) \equiv \max_{x_j} \mathcal{L}(x_1, \dots, x_n)$ 
    - no integration needed
    - no noise accumulation
    - not normalized, no comparison of structures
    - classical example: best-fit point
- childish civil war if applied to same question
    - frequentist: flavor, Higgs,...
    - Bayesian: dark matter, new physics,...
  - **simply: two questions, two answers**



# Error analysis

## Sources of uncertainty

- statistical error: Poisson
- systematic error: Gaussian, if measured
- theory error: not Gaussian
- simple argument
  - LHC rate 10% off: no problem
  - LHC rate 30% off: no problem
  - LHC rate 300% off: Standard Model wrong
- theory likelihood flat centrally and zero far away
- profile likelihood construction: RFit [CKMFitter]

$$-2 \log \mathcal{L} = \chi^2 = \vec{\chi}_d^T \mathbf{C}^{-1} \vec{\chi}_d$$

$$\chi_{d,i} = \begin{cases} 0 & |d_i - \bar{d}_i| < \sigma_i^{(\text{theo})} \\ \frac{|d_i - \bar{d}_i| - \sigma_i^{(\text{theo})}}{\sigma_i^{(\text{exp})}} & |d_i - \bar{d}_i| > \sigma_i^{(\text{theo})} \end{cases}$$

$$\begin{aligned} |d_i - \bar{d}_i| &< \sigma_i^{(\text{theo})} \\ |d_i - \bar{d}_i| &> \sigma_i^{(\text{theo})} \end{aligned} ,$$

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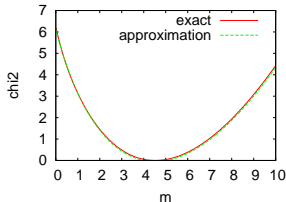
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## (Inconsistent) combination of errors

- Gaussian  $\otimes$  Gaussian: half width added in quadrature  
Gaussian  $\otimes$  flat: RFit scheme  
Gaussian  $\otimes$  Poisson: ??
- approximate formula

$$\frac{1}{\log \mathcal{L}_{\text{comb}}} = \frac{1}{\log \mathcal{L}_{\text{Gauss}}} + \frac{1}{\log \mathcal{L}_{\text{Poisson}}}$$

- good to 5% for 5 events with 10% Gaussian



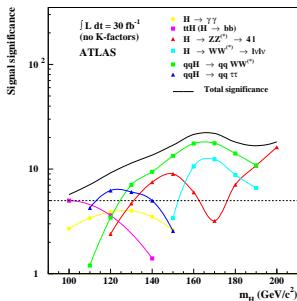
# Higgs sector

## Higgs-sector analysis at the LHC [Zeppenfeld, Kinnunen, Nikitenko, Richter-Was; Dührssen et al.]

- optimistic LHC scenario: everything working and good data
- Higgs vs. scalars? SM vs MSSM? doublet vs. general Higgs?
- light Higgs around 120 GeV: 10 main channels ( $\sigma \times BR$ ) [*bb* channel new]
- measurements:
  - $GF : H \rightarrow ZZ, WW, \gamma\gamma$
  - $WBF : H \rightarrow ZZ, WW, \gamma\gamma, \tau\tau$
  - $VH : H \rightarrow b\bar{b}$  [Butterworth, Davison, Rubin, Salam]
  - $t\bar{t}H : H \rightarrow \gamma\gamma, WW, (b\bar{b})\dots$
- parameters: couplings  $W, Z, t, b, \tau, g, \gamma$  [plus Higgs mass]
- hope: cancel uncertainties

$$(WBF : H \rightarrow WW)/(WBF : H \rightarrow \tau\tau)$$

$$(WBF : H \rightarrow WW)/(GF : H \rightarrow WW)\dots$$



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  - $(WBF : H \rightarrow WW)/(GF : H \rightarrow WW)...$

## Total width

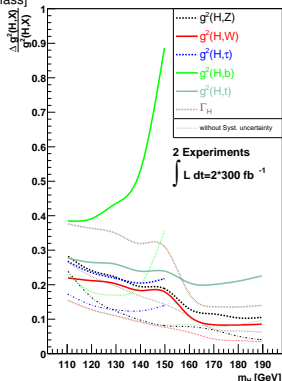
- degeneracy  $\sigma BR \propto (g_p^2/\sqrt{\Gamma_H})(g_a^2/\sqrt{\Gamma_H}) \equiv C > 0$

- bad scaling

$$C = \lim_{g^2 \rightarrow 0} \frac{g^4}{\Gamma_H} = \lim_{g^2 \rightarrow 0} \frac{g^4}{g^2(\Gamma_{\text{vis}}/g^2) + \Gamma_x} = 0$$

means constraint:  $\sum \Gamma_i(g^2) < \Gamma_H \rightarrow \Gamma_H|_{\text{min}}$

- $WW \rightarrow WW$  unitarity:  $g_{WWH} \lesssim g_{WWH}^{\text{SM}} \rightarrow \Gamma_H|_{\text{max}}$



# Higgs couplings

## SFitter analysis [Dührssen, Lafaye, TP, Rauch, Zerwas]

- all couplings varied around SM values  $g_{HXX} = g_{HXX}^{\text{SM}} (1 + \delta_{HXX})$   
 $\delta_{HXX} \sim -2$  means sign flip [ $g_{HWW} > 0$  fixed]
- need assumption about loop-induced couplings  $g_{ggH}, g_{\gamma\gamma H}$
- likelihood map and local errors from SFitter
- experimental/theory errors on signal and backgrounds [do not ask theorists!]

luminosity measurement	5 %
detector efficiency	2 %
lepton reconstruction efficiency	2 %
photon reconstruction efficiency	2 %
WBF tag-jets / jet-veto efficiency	5 %
$b$ -tagging efficiency	3 %
$\tau$ -tagging efficiency (hadronic decay)	3 %
lepton isolation efficiency ( $H \rightarrow 4\ell$ )	3 %

$\sigma$ (gluon fusion)	13 %
$\sigma$ (weak boson fusion)	7 %
$\sigma$ ( $VH$ -associated)	7 %
$\sigma$ ( $t\bar{t}$ -associated)	13 %

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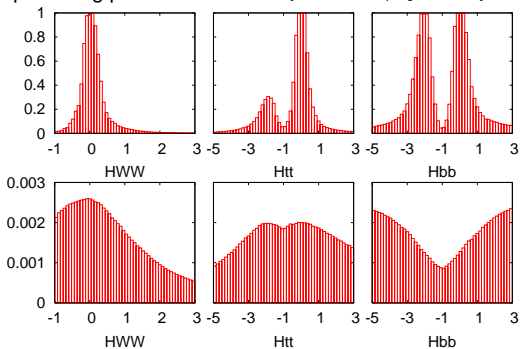
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- error bars for Standard Model hypothesis [smeared data point,  $30\text{fb}^{-1}$ ]

coupling	without eff. couplings			including eff. couplings		
	$\sigma_{\text{symm}}$	$\sigma_{\text{neg}}$	$\sigma_{\text{pos}}$	$\sigma_{\text{symm}}$	$\sigma_{\text{neg}}$	$\sigma_{\text{pos}}$
$\delta_{WWH}$	$\pm 0.23$	$-0.21$	$+0.26$	$\pm 0.24$	$-0.21$	$+0.27$
$\delta_{ZZH}$	$\pm 0.50$	$-0.74$	$+0.30$	$\pm 0.44$	$-0.65$	$+0.24$
$\delta_{\bar{t}tH}$	$\pm 0.41$	$-0.37$	$+0.45$	$\pm 0.53$	$-0.65$	$+0.43$
$\delta_{b\bar{b}H}$	$\pm 0.45$	$-0.33$	$+0.56$	$\pm 0.44$	$-0.30$	$+0.59$
$\delta_{\tau\bar{\tau}H}$	$\pm 0.33$	$-0.21$	$+0.46$	$\pm 0.31$	$-0.19$	$+0.46$
$\delta_{\gamma\gamma H}$	—	—	—	$\pm 0.31$	$-0.30$	$+0.33$
$\delta_{ggH}$	—	—	—	$\pm 0.61$	$-0.59$	$+0.62$
$m_H$	$\pm 0.26$	$-0.26$	$+0.26$	$\pm 0.25$	$-0.26$	$+0.25$
$m_b$	$\pm 0.071$	$-0.071$	$+0.071$	$\pm 0.071$	$-0.071$	$+0.072$
$m_t$	$\pm 1.00$	$-1.03$	$+0.98$	$\pm 0.99$	$-1.00$	$+0.98$

# Higgs couplings

## One-dimensional distributions to check...

1– noisy environment preferring profile likelihoods [no effective couplings,  $30 \text{ fb}^{-1}$ ]



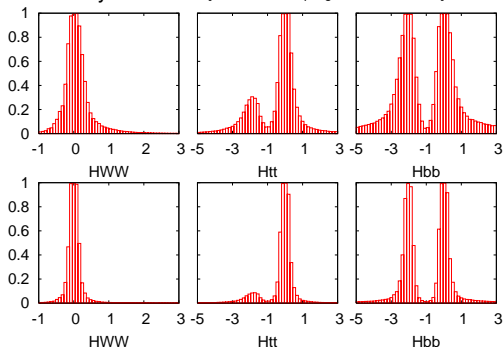


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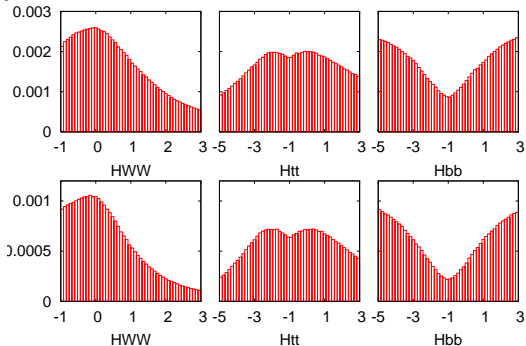
2– higher luminosity quantitatively different [no effective couplings,  $30 \text{ vs } 300 \text{ fb}^{-1}$ ]



# Higgs couplings

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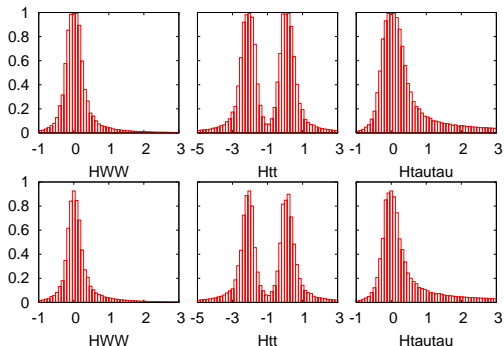
- 1– noisy environment preferring profile likelihoods [no effective couplings,  $30 \text{ fb}^{-1}$ ]
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- 3– but not saving Bayesian statistics [no effective couplings,  $300 \text{ fb}^{-1}$ ]
- 4– theory errors not dominant for  $30 \text{ fb}^{-1}$  [with effective couplings,  $30 \text{ fb}^{-1}$ ]

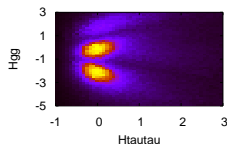
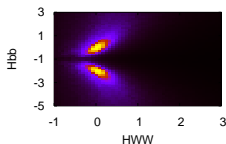
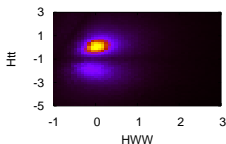


⇒ profile likelihood analysis for  $30 \text{ fb}^{-1}$  good for local structures

# Pretty colorful pictures

## Two-dimensional correlations and effective couplings

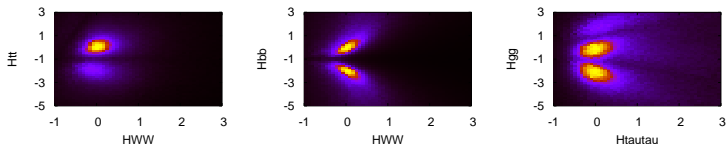
- 1— including effective  $g_{Hgg}$   
 sign of  $g_{Htt}$  fixed by  $g_{HWW} > 0$   
 correlation of  $g_{Hbb}$  and  $g_{HWW}$  [loops and width]  
 $g_{Hgg}$  accessible



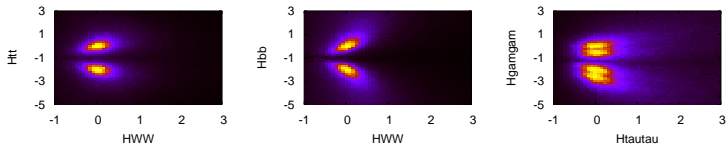
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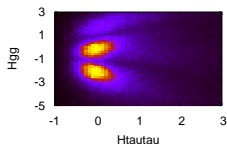
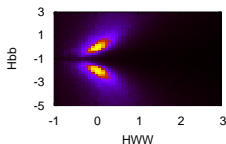
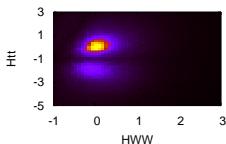
- 2– only effective  $g_{H\gamma\gamma}$   
 correlated  $g_{Htt}$  and  $g_{HWW}$  on both branches  
 $g_{H\gamma\gamma}$  structure more complex



# Pretty colorful pictures

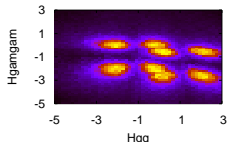
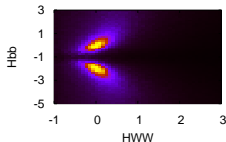
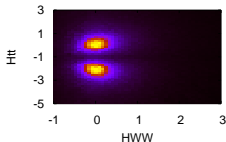
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- 3– both effective couplings  
 discrete structures getting out of hand



# Unobserved vs invisible

## Invisible Higgs

- two channels at LHC

$pp \rightarrow qqH$ : tagging jets plus nothing [Eboli & Zeppenfeld]

$pp \rightarrow ZH$ : recoil against nothing [Atlas CSC notes]

- $g_{\text{inv}}$  another parameter [wait until our student is done]

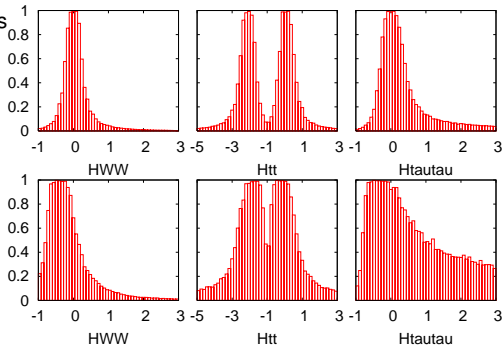
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 $H \rightarrow$  jets promising, increase  $g_{Hcc}$  to simulate naturally occurring in all models [charming buried Higgses]
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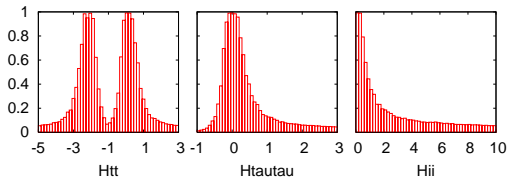
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2– include  $\Delta\Gamma$  and fix  $g_{HWW}$

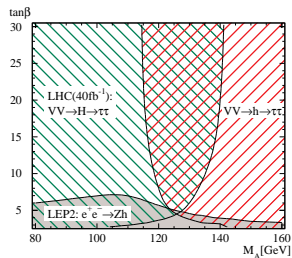


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# Weak boson fusion and supersymmetry

## Higgs analysis beyond the Standard Model

- extension of Higgs analysis to BSM scenarios  
comparison SM-MSSM [no-lose: TP, Rainwater, Zeppenfeld]
- define hypothesis  
known particles: known corrections  
new particles: theory error
- general: heavy additional states at one loop  
example: MSSM sectors Higgs–weak–strong



## Technical questions [Hollik, TP, Rauch, Rzehak]

- vertex corrections dominant? [Djouadi & Spira]
  - which one larger: QCD vs EW? [similar for Standard Model: Ciccolini, Denner, Dittmaier]
  - corrections from Higgs sector? [renormalization scheme/higher orders]
  - general phase space generator?
  - Germans: we can do 52504 diagrams [Hadcalc: automatized IR-finite one-loop 2 → 3]
- ⇒ **input for MSSM-Higgs analysis**

# Weak boson fusion and supersymmetry

## Higgs sector corrections

- close to decoupling
- finite momentum, different masses  $\rightarrow$  Feynman diagrams [FeynHiggs]  
consistent self couplings  $\rightarrow$  effective potential [SubH]
- check identical limit: effective angle  $\alpha_{\text{eff}}$

	$\Delta\sigma/\sigma(ud \rightarrow udh)$	$(\sigma_{\alpha_{\text{eff}}} - \sigma_{\text{full}})/\sigma$
effective theory		
$\alpha_{\text{eff}}$	-0.389 %	-0.122 %
full	-0.266 %	
Feynman diagrams		
$\alpha_{\text{eff}}$	-0.393 %	-0.076 %
full	-0.317 %	
Feynman diagrams, loop-improved $Z_{\text{FH}}$		
$\alpha_{\text{eff}}$	-0.343 %	-0.115 %
full	-0.228 %	

$\Rightarrow$  small corrections, even smaller uncertainty

# Higgs boson fusion and supersymmetry

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## SUSY corrections

- QCD corrections suppressed:  
color flow and forward jets [no interference, like SM]  
mass suppression of one-loop  $q_L q_L W$  vertex [ $1/m_{\tilde{g}}^2$ ]  
up-down cancellation in one-loop  $duWh$  vertex [ $T_3 - \alpha_s^2 W = -1/3, +5/16$ ]
- electroweak corrections as expected

diagram	$\Delta\sigma/\sigma$ [%]	diagram	$\Delta\sigma/\sigma$ [%]
$\Delta\sigma \sim \mathcal{O}(\alpha)$		$\Delta\sigma \sim \mathcal{O}(\alpha_s)$	
self energies	0.199		
$qqW + qqZ$	-0.392	$qqW + qqZ$	-0.0148
$qqh$	-0.0260	$qqh$	0.00545
$WWH + ZZh$	-0.329		
box	0.0785	box	-0.00518
pentagon	0.000522	pentagon	-0.000308

$\Rightarrow$  **electroweak corrections dominant**

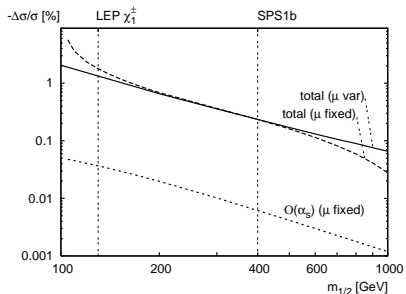
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## SUSY corrections

- SPS1b with variable mass scale  $m_{1/2}$
  - squark/gluino masses from LHC not helpful
  - perfect decoupling at one loop
  - typical corrections around 1%
- $\Rightarrow$  **maximum corrections below 4%**



# Outlook

## Trying to understand Higgs@LHC

- decay to bottoms observable
  - parameter analysis the final goal
  - hiding the Higgs hard
  - one-loop corrections sometimes almost irrelevant...
- ⇒ Higgs phenomenology at LHC still making progress!

Great to be back to the UK!

Once the LHC...

Tilman Plehn

Higgs to bottoms

Markov chains

Higgs sector

**WBF-SUSY**