Tilman Plehn

LHC physic

Evamples

Examples

. . .

Uncortaint

Testin

Inversion

# Challenges in Theory and AI/ML

Tilman Plehn

Universität Heidelberg

SLAC Summer Institute, August 2023



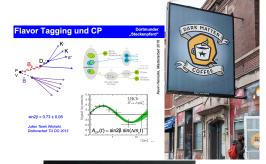
# Tilman Plehn

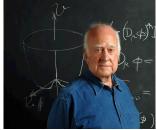
# Modern LHC physics

# LHC physics

# Classic motivation

- · dark matter?
- · baryogenesis?
- · origin of Higgs field?







# LHC physics

Tilman Plehn

# Modern LHC physics

# Classic motivation

- · dark matter?
- · baryogenesis?
- · origin of Higgs field?

# LHC physics

- · fundamental questions
- · huge data set
- · first-principle, precision simulations
- · complete uncertainty control



Tilman Plehn

LHC physics

\_ \_ \_ \_ \_ \_

Contro

Uncertain

Invers

# Modern LHC physics

### Classic motivation

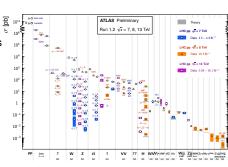
- dark matter?
  - · baryogenesis?
- · origin of Higgs field?

# LHC physics

- $\cdot \ \ \text{fundamental questions}$
- · huge data set
- $\cdot$  first-principle, precision simulations
- complete uncertainty control

# Successful past

- · measurements of event counts
- · analyses inspired by simulation
- · model-driven Higgs discovery





T1.... DI

Tilman Pl

LHC physics

Evampla

Generatio

Contro

Testing

Testing Inversion

# Modern LHC physics

## Classic motivation

- dark matter?
- baryogenesis?
- · origin of Higgs field?

# LHC physics

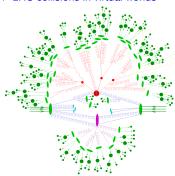
- fundamental questions
- · huge data set
- · first-principle, precision simulations
- · complete uncertainty control

# Successful past

- · measurements of event counts
- · analyses inspired by simulation
- · model-driven Higgs discovery

# First-principle, precision simulations

- start with Lagrangian
- · calculate scattering using QFT
- · simulate collisions
- · simulate detectors
- ightarrow LHC collisions in virtual worlds





# LHC physics

### Classic motivation

- dark matter?
- · baryogenesis?
- origin of Higgs field?

# LHC physics

- fundamental questions
- · huge data set
- first-principle, precision simulations
- complete uncertainty control

# Successful past

- · measurements of event counts
- analyses inspired by simulation
- model-driven Higgs discovery

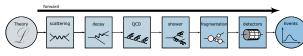
# First-principle, precision simulations

- · start with Lagrangian
- · calculate scattering using QFT
- simulate collisions
- simulate detectors
- → LHC collisions in virtual worlds

# **BSM** searches

- compare simulations and data
- understand LHC dataset systematically
- · infer underlying theory [SM or BSM]
- · publish useable results
- → Lots of data science...





Tilman Plehn

LHC physics

Congretie

Contro

Contro

Testino

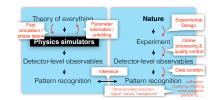
Inversior

# Role of theory

# First-principle simulations

- start with Lagrangian generate Feynman diagrams
- compute hard scattering amplitudes for on-shell, include decays add QCD jet radiation [ISR/FSR]
- add parton shower [still QCD]
   push fragmentation towards QCD
- · all theory, except for detectors
- → Simulations, not modeling!







Role of theory

LHC physics

First-principle simulations

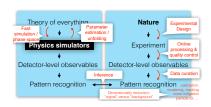
 start with Lagrangian generate Feynman diagrams

 compute hard scattering amplitudes for on-shell, include decays add QCD jet radiation [ISR/FSR]

add parton shower [still QCD] push fragmentation towards QCD

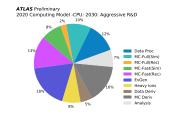
· all theory, except for detectors

→ Simulations, not modeling!



# Pythia/Madgraph/Sherpa... for HL-LHC

- factor 25 more expected (= simulated) data
- more complex final states higher-orders precision
- parameter coverage for signals
- enable analysis reinterpretation?
   enable global LHC analyses?
- → Theory nightmare





# Role of theory

LHC physics

Examples Examples

Contro

Testing

# First-principle simulations

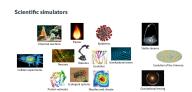
- start with Lagrangian generate Feynman diagrams
- compute hard scattering amplitudes for on-shell, include decays add QCD jet radiation [ISR/FSR]
- add parton shower [still QCD]
   push fragmentation towards QCD
- · all theory, except for detectors
- → Simulations, not modeling!

# LHC-specific explainable AI

- SBI conditional on theory simulations
- understanding LHC data is QFT
- · computing speed means precision
- control critical
- · uncertainties crucial
- · phase space interpretable
- → Well-defined, but non-standard AI/ML







10-35 10-35 10-12 10-9 10-6



Tilman Plehn

LHC physics

Examples

Generatio

Contro

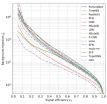
Uncertai

.

ML-applications in experiment

### Top tagging [supervised classification]

- · 'hello world' of LHC-ML
- · end of QCD-taggers
- · different NN-architectures
- ightarrow Non-NN left in the dust...



#### SciPost Physics

The Machine Learning Landscape of Top Taggers

G. Kasicula (ed)<sup>1</sup>, T. Fisha (ed)<sup>2</sup>, A. Butter<sup>2</sup>, K. Cramor<sup>2</sup>, D. Debasth<sup>1</sup>, B. M. Déba<sup>2</sup>

G. Karsenko (ed.)\*, E. Pentri (ed.)\*, A. Britteller\*, B. Chanker\*, D. Delmark\*, B. S. Distor\*, M. Firichard\*, D. A. Farragiller\*, W. Federick\*, C. Gay\*, L. Gonslow\*, J. F. Karsenko\*, P. T. Konsinko\*, S. Leins\*, A. Linter\*, S. Masshoot\*, E. M. Metodisca\*, L. Moorel\*, B. Nachman, <sup>23, 13</sup>, K. Neufstrün\*, J. Pankor\*, B. Qu\*\*, Y. Rath\*, M. Rieger\*, D. Shit\*, J. M. Thompson\*, and S. Verma\*

1 Institut für Experimentalphysik, Universität Bisziburg, Germany 2 Institut für Theoretische Physik, Universität Bissichlerg, Germany 3 Center for Commiley; and Particle Physics and Center for Data Seitzen, NYU, USA 4 NHECT, Dept. of Physics and Jatronomy, Butgers, The State University of NJ, USA

O Jam State Limiter. Libbina Storeia
 Department of Pipoles and Antonomy. The Volevestry of Bellish Chitanhia, Canada
 S Department of Pipoles and Antonomy. The Volevestry of Bellish Chitanhia, Canada
 S Department of Pipoles University of Chitanhia, State Bachara, State Bachara, State Bachara, State Bachara, Canada
 O Jam State Sta

CPI, Universidate and Control of States in Control of States in Bulletin 21 Physics Divided. Leveron Bettlers 21 Physics Divided. Leveron Bettlers States at Laboratory, Bedriday, USA.
 Strone Inst. for the Theory of Computing, University of Collifornia, Bedriday, USA.
 Montan Inst. for the Theory of Computing, University of Collifornia, Bedriday, USA.
 Abrainada Bestleria for Substances Physics (PMIRES). Assertseins, Netherlands
 LIPTHE, CNSE & Subsana Utiversity, Paris, Parase
 III. Physics Institutes A, NAPIT Advances University, Germany



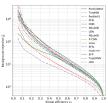
Top tagging

[supervised classification]

'hello world' of LHC-ML

ML-applications in experiment

- end of QCD-taggers
- different NN-architectures
- → Non-NN left in the dust...



The Machine Learning Landscape of Top Taggers G. Karleczka (ed)<sup>1</sup>, T. Piebo (ed)<sup>2</sup>, A. Butter<sup>3</sup>, K. Craumer<sup>3</sup>, D. Debusth<sup>4</sup>, B. M. Dillon<sup>3</sup> M. Birbaim<sup>\*</sup>, D. A. Farengip<sup>\*</sup>, W. Felcelos<sup>\*</sup>, C. Gay<sup>\*</sup>, L. Gossion<sup>\*</sup>, J. F. Kamenis<sup>\*\*</sup>, P. T. Kamisho<sup>\*</sup>, S. Leiss<sup>\*</sup>, A. Lister<sup>\*</sup>, S. Masshao<sup>\*\*</sup>, E. M. Metodios<sup>\*</sup>, L. Moorel<sup>\*</sup>, B. Nathuan, J.-S. K. Neuderion<sup>\*</sup>, L. Donkov, H. Ou<sup>\*</sup>, Y. Rath<sup>\*</sup>, M. Siesse<sup>\*\*</sup>, D. Sin<sup>\*</sup>,

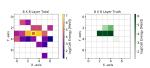
1 Institut für Experimentalphysik, Universität Honburg, German 2 Center for Cosmology and Particle Physics and Center for Data Science, NYU, USJ 4 NHECT, Dept. of Physics and Astronomy, Ratgers, The State University of NJ, USA

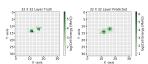
10 Center for Theoretical Physics, MIT, Cambridge, USA

11 CP3. Universitéux Catholique de Lorrain, Louvain-le-Neuve, Belgium 12 Physics Division, Lawrence Berkeley National Laboratory, Berkeley, USA 13 Simons Inst. for the Theory of Computing, University of California, Berkeley, USA. 14 National Institute for Subatomic Physics (NIKHEF), Amsterdam, Netherlands 15 LPTHE, CNRS & Surboune Université, Paris, France 16 III. Physics Institute A, RWTH Anchen University, Germany

# Particle flow [classification, super-resolution]

- · mother of jet tools
- combined detector channels
- similar studies in CMS
- → Beyond just concepts





#### Towards a Computer Vision Particle Flow \*

Francesco Armando Di Bello<sup>k,1</sup>, Sanmay Ganguly<sup>k,1</sup>, Eilam Gross<sup>1</sup>, Marumi Kado<sup>k,4</sup>, Michael Pitt<sup>2</sup>, Lorenzo Santi <sup>3</sup>, Jonathan Shlomi

Weizmann Institute of Science, Rehavot 76100, Israel CERN, CH 1211, Genrya 23, Switzerland \*CHRN, CH 1211, Geneva 23, Switzerland \*Università di Roma Supienza, Piazza Aldo Moss, 2, 60185 Roma, Italy e INFN, Italy \*Università Paris-Saclov, CNES/INSP3, IECLob, 91405, Onsoc. Prance Fig. 7: An event display of total energy shower (within topocluster), as captured by a calorimeter layer of 8 × 8 granularity, along with the location of the track, denoted by a red cross (left) and the same shower is captured by a calorimeter layer of 32 × 32 granularity (middle). The bottom right panel shows the corresponding event predicted by the NN. The figure shows that the shower originating from a  $\pi^0 \to \nu \nu$  is resolved by a 32 × 32 granularity layer.



Tilman Plehn

Anomaly searches [unsupervised training]

Jets and parton densities

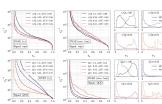
Examples

· train on QCD-jets, SM-events

· look for non-QCD jets, non-SM events

→ Autoencoders







Tilman P

HC phys

Anomaly searches [unsupervised training]

Jets and parton densities

Examples

· train on QCD-jets, SM-events

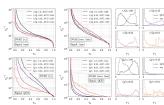
Contro

· look for non-QCD jets, non-SM events

Uncertai

→ Autoencoders





# NNPDF/N3PDF parton densities [full blast]

- · starting point: pdfs without functional ansatz
- · moving on: cutting-edge ML everywhere
- → Leaders in ML-theory



Most from jobs Roseryn Delharables Documents - Horthegable



TIF Lab, Dipartimento di Fisira, Universiti degli Studi di Milano and INTN Sezione di Milano CSRN, Thourstiani Physica Department, CD-1211 Genera 21, Serizardani. Quantum Remaria Centre, Terlandago Immeniani Institute, Min Dhabi, U.S.E.

Received, date / Stevined version; date

Alexans, Six to the fast determination of a structural function may be fooder up, all submixingly on and vederations instructure from the particular fields interesting 1970; by the regular of a strong period of the structure of the parameters from the first period of the structure of the struct





Tilman Plehn

Examples

Symmetries

Symmetric networks [contrastive learning, transformer network]

· rotations, translations, permutations, soft splittings, collinear splittings

· learn symmetries/augmentations

→ Symmetric latent representation





Symmetries, Safety, and Self-Supervision Barry M. Dillon<sup>1</sup>, Gregor Kasioczka<sup>2</sup>, Hans Obschlager<sup>1</sup>, Tilman Pietz<sup>1</sup> I Institut für Theoretische Physik, Universität Beidelberg, Germany

2 metric for Experimentapayon, Convenint Hamberg, Germany 3 Heidelberg Collaboratory for Image Processing, Universität Heidelberg, Germany August 11, 2021

Collidor searches face the challenge of defining a representation of high-dimensional data such that physical symmetries are manifest, the discriminating features are retained, and the choice of representation is new-physics againstic. We introduce JetCLR to solve the mapping from low-level data to optimized observables though self-supervised contensitive learning. As an example, we construct a data representation for top and QCD jets using a permutation-invariant transformer-encoder network and visualize its symmetry reporties. We compare the JetCLR representation with alternative representations using linear classifier tests and find it to work quite well.



Examples

Symmetric networks [contrastive learning, transformer network]

· rotations, translations, permutations, soft splittings, collinear splittings

· learn symmetries/augmentations

→ Symmetric latent representation



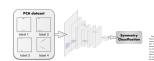




each that physical symmetries are manifest, the discriminating features are retained, and learning. As an example, we construct a data representation for top and QCD jets using a permutation-invariant transformer-encoder network and visualize its symmetry ties. We compare the JetCLR representation with alternative representations using isoar classifier tests and find it to work quite well

# Learning symmetries [representation, visualization]

- · (particle) physics is all symmetries
- · identify symmetries in 2D systems
- → Networks representing structure









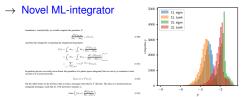


### Tilman Plehn

Integrals and perturbative QFT

Learning integrands and integrals [differentiable activations]

### Examples



· learn integrand through differiable network

· evalute integral as promitive

#### Multi-variable integration with a neural network

D. Maitre<sup>n,1</sup> and R. Santos-Mateos<sup>b</sup>

\*Institute for Particle Physics Phenomenology, Physics Department, Durham University Department of Electronics and Computing, University of Santiago de Compostela Suxtingo de Compostela, Spain

E-mail: daniel.maitre@durham.ac.uk, roi.mantos@usc.es

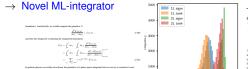
ABSTRACT: In this article we present a method for automatic integration of parametric integrals over the unit hypercube using a neural network. The method fits a neural network to the primitive of the integrand using a loss function designed to minimize the difference between multiple derivatives of the network and the function to be integrated. We apply this method to two example integrals resulting from the sector decomposition of a one-loop and two-loop scalar integrals. Our method can achieve per-mil and percent accuracy for these integrals over a range of invariant values. Once the neural network is fitted, the evaluation of the internal is between 40 and 125 times faster than the usual numerical integration method for our examples, and we expect the speed gain to increase with the complexity of the integrand.



# Integrals and perturbative QFT

## Learning integrands and integrals [differentiable activations]

- · learn integrand through differiable network
- evalute integral as promitive



#### Multi-variable integration with a neural network

D. Maitre<sup>n,1</sup> and R. Santos-Mateos<sup>b</sup>

\*Institute for Particle Physics Phenomenology, Physics Department, Durham University Department of Electronics and Computing, University of Santiago de Compostela Suttingo de Compostela, Spain

E-mail: daniel.maitre@durham.ac.uk, roi.mantos@usc.es

ABSTRACT: In this article we present a method for automatic integration of parametric integrals over the unit hypercube using a neural network. The method fits a neural network to the primitive of the integrand using a loss function designed to minimize the difference between multiple derivatives of the network and the function to be integrated. We apply this method to two example integrals resulting from the sector decomposition of a one-loop and two-loop scalar integrals. Our method can achieve per-mil and percent accuracy for these integrals over a range of invariant values. Once the neural network is fitted, the evaluation of the internal is between 40 and 125 times faster than the usual numerical integration method for our examples, and we expect the speed gain to increase with the complexity of the integrand.

# Learning integration paths [invertible networks]

- · find optimal integration paths
- learn variable transformation
- → Theory-integrator





### Targeting multi-loop integrals with neural networks

SciPost Phys. 12, 129 (2022)

Ramon Winterhalder<sup>1,2,3</sup>, Vitaly Magerya<sup>4</sup>, Emilio Villa<sup>4</sup>, Stephen R Jones<sup>3</sup>, Matthias Kerner<sup>4,6</sup>, Anja Butter<sup>1,2</sup>, Gudrun Heinrich<sup>2,4</sup> and Tilman Plehn<sup>1,2</sup>

1 Institut für Theoretische Physik. Universität Heidelbere, Germany 2 HEEKA - Heidelberg Karlsruhe Stratogic Partnership. Heidelberg University. Karlsruhe Institute of Technology (KIT), Germany 3 Centre for Cosmolory: Particle Physics and Phenomenology (CP3).

Université catholique de Louvain, Beleium 4 Institut für Theoretische Physik, Karlsraher Institut für Technologie, Germany 5 Institute for Particle Physics Phenomenology, Durham University, UK 6 Institut für Astroteilchenphysik, Karlsruher Institut für Technologie, Germany

Numerical evaluations of Feynman integrals often proceed via a deformation of the integration contour into the complex plane. While valid contours are easy to construct, the numerical precision for a multi-loop interral can depend critically on the chosen contour. We present methods to optimize this contour using a combination of optimized global complex shifts and a normalizing flow. They can lead to a significant gain in



Tilman Plehn

**Event generation** 

Examples

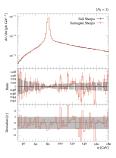
# Speeding up Sherpa and MadNIS [INNs, sampling]

- · precision simulations limiting factor for Runs 3&4
- unweighting critical
- → Phase space sampling

	$gg \rightarrow t\bar{t}ggg$	$ug \to t\bar{t}ggu$	$uu \to t\bar{t}guu$	$w\bar{u} \rightarrow t\bar{t}g\bar{u}$
feat	1.1e-2	7.3e-3	6.8e-3	6.6e-4
Ostava	6.7e-3	5.8e-3	4.7e-3	3.6c-4
(feat)/(fear)	39312	2417	199	64
20.00	52.03	32.52	63.76	326.19
Chickens.	2.40-2	3.8e-2	2.1e-2	5.6e-3
apm.	0.9969	0.9984	0.9994	0.9951
for.	2.21	4.89	1.47	0.19
yord	30.40	19.14	27.78	25.34
e mod	4.3e-2	6.4e-2	5.1e-2	7.1e-2
o <sup>med</sup>	0.9983	0.9966	0.9943	0.5021
CV	3.50	8.26	3.91	2.22



The generation of unit-weight events for complex scattering processes presents a severe challenge to modern Monte Carlo event generators. Even when using sophisticated phase-space sampling techniques adapted to the underlying transition matrix elements, the efficiency for powering unit-weight events from weighted samples can become a limiting factor in practical applications. Here we present a nevel two-singed unweighting procedure that makes use of a neural-natwork surrogate for the full event weight. The algorithm can significantly accelerate the unweighting process, while it still guarantees unbiased sampling from the correct target distribution. We apply, validate and benchmark the new approach in high-multiplicity LHC production processes, including Z/W+4 jets and  $t\bar{t}+3$  jets, where we find speed-up factors up to ten.





Tilmon Di

.....

LHC physic

Examples

Contro

Testing

# Speeding up Sherpa and MadNIS [INNs, sampling]

- · precision simulations limiting factor for Runs 3&4
- · unweighting critical

Event generation

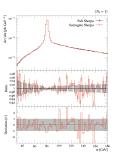
 $\rightarrow$  Phase space sampling

feat	1.1e-2	7.3e-3	6.5e-3	6.6e-4
Chelana	6.7e-3	5.8e-3	4.7e-3	3.6c-4
(feat)/(fear)	39312	2417	199	64
400	52.03	32.52	63.76	326.19
Ontary	2.40-2	3.8e-2	2.1e-2	5.6e-3
opm.	0.9969	0.9984	0.9994	0.9951
form.	2.21	4.89	1.47	0.19
yout	30.40	19.14	27.78	25.34
e mod	4.3e-2	6.4e-2	5.1e-2	7.1e-2
omed	0.9983	0.9966	0.9943	0.5021
COTA .	3.50	8.26	3.91	2.22



# Abstract The generation of util-weight events for complex scattering precume presents aware challenge to motion Moste Curio event generation. Even when using as-philisticated photo-space sampling techniques adopted to the underlying transition matrix electrons, the officiency for proceeding unit-weight resent from weight assumption to become a limiting factor in practical applications. Here we present a new three-shaped careagilage conventue that makes use of a mercal-section.

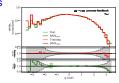
particles in patie-space distinging community and profession by the transletting visibilities maniples can become a limiting factor in proceeding profession and are considered as well devo-staged surveighting procedure that makes use of a near-lootwork arrepart for the full event weight. The algorithms on significantly secrebent the unweighting process, while it will guarantees unlossed sampling from the covered to the constant of the consta



# Speeding up amplitudes [precision regression]

- · loop-amplitudes expensive
- · interpolation standard
- → Precision NN-amplitudes





PREPARED FOR SUBMISSION TO JHEP

Optimising simulations for diphoton production at hadron colliders using amplitude neural networks

IPPP/207116

Joseph Aylott-Bullock\*\* Simon Badger\* Ryan Moodle\*

Institute for Particle Physics Phenomenology, Department of Physics, Durham University, Durham, DN 2525, United Kinedom

\*Institute for Data Science, Durham University, Durham, DNI TEE, United Kingdom

\*Dynathments de Frécie and Armid-Rogie Center, Université de Torine, and DNIN, Scalose de

Torino, Via P. Gurris J. F-19225 Torino, Buly

E-west! j.p.bull-cci#Surham.se. ck, attendaysid-badger@mito.it,

ARTHOUT Modula intring technique has the potential to formationly optimise conperation and sinchnics. We continue to integrite the new of some above to approximate matrix demants for high-multipletty extincting prosons. We focus on the case of keysindered dipletes production through flow fine fine, and develop a resolution sizelation matrix that can be applied to lastice collider elementales. Neural networks are closed using the color outgridgetic inguisment in the Rate  $\alpha$ -Birey, and irreduced to the Barry Model Carlo costs generate, where we perform a detailed rate for  $\alpha$ -birey for very the birey formation of the contraction of the contraction of the color of the very translation of the contraction of the color of



Tilman Plehn

Precision NN-generators [Bayesian generative models]

### Examples

→ Flow, diffusion, transformer

Invertible event generation

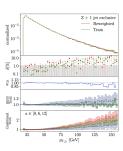
· control through discriminator [GAN-like]

· uncertainties through Bayesian networks

Generative Networks for Precision Enthusiasts Anja Butter<sup>1</sup>, Theo Beimel<sup>1</sup>, Sunder Bummerich<sup>1</sup>, Tobias Keebe<sup>1</sup>,

Tilman Pichn<sup>1</sup>, Armand Rosseclot<sup>2</sup>, and Sophia Vent<sup>3</sup> 1 Institut für Theoretische Physik, Universität Heidelberg, Germann

show how generative flow networks can reach percent-level precision for kinematic distributions, how they can be trained jointly with a discriminator, and how this discriminator improves the generation. Our joint training relies on a movel coupling of the two networks which does not require a Nash equilibrium. We then estimate the generation uncertainties through a Baymian network setup and through conditional data augmentation, while the discriminator ensures that there are no systematic incombination compared to the





Tilmon D

HC physi

LHC physii

Examples

Control

....

Testing

# Invertible event generation

## Precision NN-generators [Bayesian generative models]

- · control through discriminator [GAN-like]
- · uncertainties through Bayesian networks
- $\rightarrow$  Flow, diffusion, transformer



improves the generation. Our joint training relies on a novel coupling of the two networks

which does not require a Nash equilibrium. We then estimate the generation uncertain

ties through a Baymian network setup and through conditional data augmentation, while

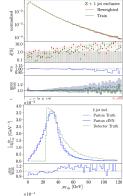
training date

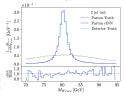
# Unfolding and inversion [conditional normalizing flows]

- · detector/decays/QCD unfolded
- · calibrated inverse sampling
- → Publishing analysis results











Tilman Plehn

Examples

# Proper theory

#### Navigating string landscape [reinforcement learning]

- · searching for viable vacua
- · high dimensions, unknown global structure
- → Model space sampling

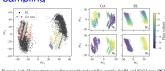


Figure 1: Left: Cluster structure in dimensionally reduced flux samples for RL and 25 GA runs (PCA on all samples of GA and RL). The colors indicate individual GA runs. Right: Dependence on flux (input) values (N3 and N5 respectively) in relation to principal components for a PCA fit of the individual output of GA and RL.

Probing the Structure of String Theory Vacua with Genetic Algorithms and Reinforcement Learning

University of Amsterdam a.e. coledway.nl serfeld Center for Theoretical Physics LMU Munich sven.krippendorf@physik.uni-muenchen.de Andreas Schachner

Centre for Mathematical Sciences University of Cambridge

University of Wisconsin-Madison shin@physics.wisc.edu

### Identifying string theory vacua with desired physical properties at low energies

requires searching through high-dimensional solution spaces – collectively referred to as the string landscape. We highlight that this search problem is amenable to able to reveal nevel features (suggesting previously unidentified symmetries) in the string theory solutions required for properties such as the string counting. In order to identify these features robustly, we combine results from both search methods. which we argue is imperative for reducing sampling bias.



Tiles -- Di

LHC physi

Example

Contro

Uncerta

Inversion

# Proper theory

# Navigating string landscape [reinforcement learning]

- · searching for viable vacua
- · high dimensions, unknown global structure
- → Model space sampling

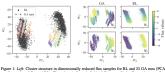


Figure 1: Left: Cluster structure in dimensionally reduced flux samples for RL and 25 GA runs (PCA on all samples of GA and RL). The colors indicate individual GA runs. Right: Dependence on flux (input) values (N<sub>2</sub> and N<sub>5</sub> respectively) in relation to principal components for a PCA fit of the individual output of GA and RL.

#### Probing the Structure of String Theory Vacua with Genetic Algorithms and Reinforcement Learning

Alex Cole
University of Amsterdam
a.e.cole@uva.nl

Arnold Sommerfield Center for Theoretical Physics LMU Monich aven .krippendorf@physik.uni-maenchen.de

Andreas Schachner Centre for Mathematical Sciences University of Cambridge an26730cam.ac.uk

University of Wisconin-Madison shiutphysics.wisc.edu

Abstract

Identifying uring theory succes with desired physical properties at low energies requires searching through high discussional solution square -collectively inform to so the suring landscape. We highlight that this weach problem is amenable to reinferencement instraing and practic lagorithms. In the context of this venue, we are able to reveal nevel futures (suggesting provisously undentified symmetries) in the string theory solutions required for properties such as the trining copyling, in order to identify these features releasely, we combine results from both search methods, which we supple is impenative for reducing sampling bins.

### Learning formulas [genetic algorithm, symbolic regression]

- · approximate numerical function through formula
- · example: score/optimal observables
- $\rightarrow$  PySR



Table 8: Score hall of fame for simplified WBF Higgs production with  $f_{W\widetilde{W}}=0$ , including a optimization fit.

### Back to the Formula — LHC Edition

Back to the Formula — LHC Edition

Anis Butter<sup>1</sup>, Tilman Pichn<sup>1</sup>, Nathalic Soybelman<sup>2</sup>, and Johann Brohmer<sup>2</sup>

Institut für Theoretische Physik, Universität Heidelberg, Germany
 Center for Data Science, New York University, New York, United Stat
 mathalis@sovbelman.de

November 16, 202

#### Abstract

SciPost Physics

While somed setworks ofer an attentive way to americally exceeds functions, actual forms are mean the language of theoretical porticle ployine. We say subside regression trained on matrix-denous information to extent, for instance, optimal IMC observables. This way play standard colors, while the contraction of the contraction of the contraction of the colors of t



Tilman Plehn

Exampl

Generati

Contro

Teetier

Inversion

# Generative-network revolution

## Generative networks

- · generate new images, text blocks, LHC events
- encode density in target space sample from Gaussian into target space
- $\cdot$  reproduce training data, statistically independently
- · include uncertainty on estimated density [Bayesian NN]



\_\_\_\_\_

LHC nhysid

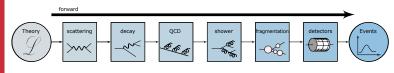
Example

Uncertai

Generative-network revolution

### Generative networks

- · generate new images, text blocks, LHC events
- encode density in target space sample from Gaussian into target space
- · reproduce training data, statistically independently
- include uncertainty on estimated density [Bayesian NN]
- · Variational Autoencoder
  - → low-dimensional physics, high-dimensional representation
- · Generative Adversarial Network
  - → generator trained by discriminator
- · Normalizing Flow/Diffusion Model
  - → stable (bijective) mapping
- Generative Transformer
  - → learning correlations successively
- → Pick model for purpose





Generative-network revolution

Generative networks

· generate new images, text blocks, LHC events

 encode density in target space sample from Gaussian into target space

· reproduce training data, statistically independently

include uncertainty on estimated density [Bayesian NN]

Variational Autoencoder

→ low-dimensional physics, high-dimensional representation

Generative Adversarial Network

→ generator trained by discriminator

Normalizing Flow/Diffusion Model

→ stable (bijective) mapping

Generative Transformer

→ learning correlations successively

→ Pick model for purpose

# Fundamental question: GANplification

first generated instances reproducing structures

too many generated instances reproducing noise?



Tilman Plehn

Li io priysi

Generation

0.....

Uncerta

Inversion

# Precision generator

# Phase-space generators [typical LHC task]

- training from event samples no energy-momentum conservation
- · every correlation counts
- $\cdot~Z_{\mu\mu} + \{ ext{1,2,3}\}~ ext{jets}~~ ext{ [$Z$-peak, variable jet number, jet-jet topology]}$



Tilman Plehn

LHC pnys

. .

0....

COITE

Testin

Inversio

# Precision generator

# Phase-space generators [typical LHC task]

- training from event samples no energy-momentum conservation
- · every correlation counts
- $\cdot~Z_{\mu\mu} + \{ ext{1,2,3}\}~ ext{jets}~~ ext{$_{ ext{Z-peak}, variable jet number, jet-jet topology}}$

# **INN-generator**

stable bijective mapping

$$\text{latent } r \sim p_{\text{latent}} \quad \xleftarrow{G_{\theta}(r) \rightarrow} \quad \text{phase space } x \sim p_{\text{data}}$$

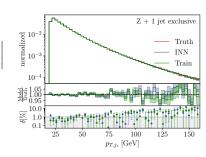
· tractable Jacobian

$$dx \ p_{\text{model}}(x) = dr \ p_{\text{latent}}(r)$$
 
$$p_{\text{model}}(x) = p_{\text{latent}}(\overline{G}_{\theta}(x)) \ \left| \frac{\partial \overline{G}_{\theta}(x)}{\partial x} \right|$$

· likelihood loss

$$\mathcal{L}_{\mathsf{INN}} = -\Big\langle \log p_{\mathsf{model}}(x) \Big\rangle_{p_{\mathsf{data}}}$$

⇒ Per-cent precision possible





Best of GANs: discriminator

 $\cdot D = 0$  (generator) vs D = 1 (training)

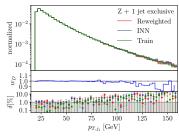
· NP-optimal discriminator

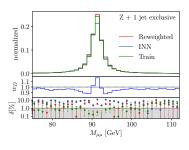
$$D(x) o rac{p_{ ext{data}}(x)}{p_{ ext{data}}(x) + p_{ ext{model}}(x)} o rac{1}{2}$$

· learned event weight

$$w(x) 
ightarrow rac{D(x)}{1-D(x)} = rac{p_{
m data}(x)}{p_{
m model}(x)} 
ightarrow$$

⇒ Dual purpose: control and reweight







T1 .... D

Tilman Plehn

Examples

Generati

Contro

Testing

Inversio

# Controlled precision generator

## Best of GANs: discriminator

- $\cdot D = 0$  (generator) vs D = 1 (training)
- NP-optimal discriminator

$$D(x) o rac{p_{ ext{data}}(x)}{p_{ ext{data}}(x) + p_{ ext{model}}(x)} o rac{1}{2}$$

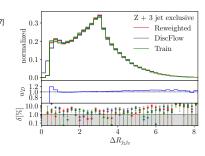
- · learned event weight  $w(x) o rac{D(x)}{1 D(x)} = rac{p_{
  m data}(x)}{p_{
  m model}(x)} o 1$
- ⇒ Dual purpose: control and reweight

# Joint training [GAN inspiration]

- · GAN-like training unstable [Nash equilibrium??]
- · coupling through weights

$$\mathcal{L} = -\int dx \; rac{p_{ ext{data}}^{lpha+1}(x)}{p_{ ext{model}}^{lpha}(x)} \; \log rac{p_{ ext{model}}(x)}{p_{ ext{data}}(x)}$$

⇒ Unweighted, controlled events





Tilman Plehn

LHC physic

Examples

Contro

Uncertainty

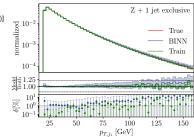
Testin

Inversion

# Precision generator with uncertainties

# Bayesian network generator

- network with weight distributions [Gal (2016)] sample weights [defining error bar] working for regression, classification frequentist: efficient ensembling
- ⇒ Training-related error bars





Tilmon Di

....

Examples

Control Uncertainty

Testing

Inversio

# Precision generator with uncertainties

# Bayesian network generator

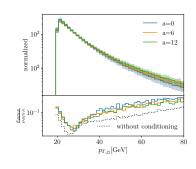
- network with weight distributions [Gal (2016)] sample weights [defining error bar] working for regression, classification frequentist: efficient ensembling
- ⇒ Training-related error bars

# Theory uncertainties

- BNN regression/classification: systematics from data augmentation
- · systematic uncertainties in tails

$$w = 1 + a \left( \frac{p_{T,j_1} - 15 \text{ GeV}}{100 \text{ GeV}} \right)^2$$

- augment training data  $[a = 0 \dots 30]$
- train conditionally on a error bar from sampling a
- ⇒ Systematic/theory error bars





Tilman DI

# LLIC =h...i

Examples
Generation

Uncertainty

Tooting

Inversio

# Precision generator with uncertainties

# Bayesian network generator

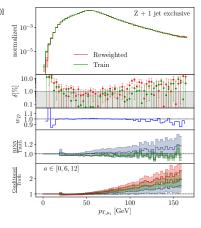
- network with weight distributions [Gal (2016)] sample weights [defining error bar] working for regression, classification frequentist: efficient ensembling
- ⇒ Training-related error bars

# Theory uncertainties

- BNN regression/classification: systematics from data augmentation
- · systematic uncertainties in tails

$$w = 1 + a \left( \frac{p_{T,j_1} - 15 \text{ GeV}}{100 \text{ GeV}} \right)^2$$

- augment training data  $[a = 0 \dots 30]$
- train conditionally on a error bar from sampling a
- ⇒ Systematic/theory error bars





Tilman Plehn

....

LHC physic

Exampl

Contro

001111

Testing

Inversio

# Testing generative networks

# Compare network to training/test data

- · supervised: histogram deviation [or pull]
- $\cdot \ \text{unsupervised density} \rightarrow \text{histogram discriminator}$

$$w(x_i) = \frac{D(x_i)}{1 - D(x_i)} = \frac{p_{\text{data}}(x_i)}{p_{\text{model}}(x_i)}$$

→ Using interpretable phase space



Tilman Plehn

LHC physic

Example

Contro

Uncert

Testing

Inversio

# Testing generative networks

# Compare network to training/test data

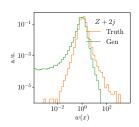
- · supervised: histogram deviation [or pull]
- unsupervised density → histogram discriminator

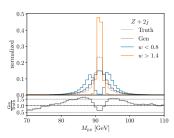
$$w(x_i) = \frac{D(x_i)}{1 - D(x_i)} = \frac{p_{\text{data}}(x_i)}{p_{\text{model}}(x_i)}$$

→ Using interpretable phase space

# Applied to event generators [also jets, calorimeter showers]

- · shape and width of w-histogram
- · pattern in (interpretable) phase space?







Tilman Plehn

Examples

Generatio

Contro

Testina

Inversion

# Testing generative networks

# Compare network to training/test data

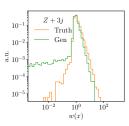
- · supervised: histogram deviation [or pull]
- $\cdot \ \text{unsupervised density} \rightarrow \text{histogram discriminator}$

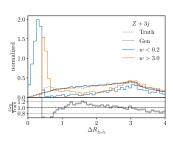
$$w(x_i) = \frac{D(x_i)}{1 - D(x_i)} = \frac{p_{\text{data}}(x_i)}{p_{\text{model}}(x_i)}$$

→ Using interpretable phase space

# Applied to event generators [also jets, calorimeter showers]

- · shape and width of w-histogram
- · pattern in (interpretable) phase space?









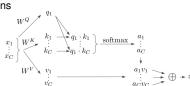
Correlations through self-attention

Testing

· think of data as bins in phase-space directions self-attention: encode relation between bins input x, learn relation  $x_i \leftrightarrow x_i$ 

· latent query representation  $q = W^Q x$ latent key representation  $k = W^K x$ define correlation as  $A_{ij} = q_i \cdot k_i$ 

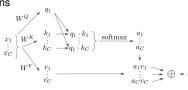
· latent value representation  $v = W^V x$ output z = A v





## Correlations through self-attention

- think of data as bins in phase-space directions self-attention; encode relation between bins input x, learn relation  $x_i \leftrightarrow x_i$ 
  - · latent query representation  $q = W^Q x$ latent key representation  $k = W^K x$ define correlation as  $A_{ij} = q_i \cdot k_i$
- · latent value representation  $v = W^{V}x$ output z = A v

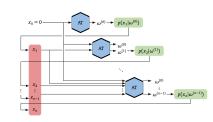


### Autoregressive transformer

factorized density

$$p_{\text{model}}(x|\theta) = \prod_{i} p(x_i|x_1,...,x_{i-1})$$

- bins → Gaussian mixture model
- · autoregressive  $A_{ii} = 0$  for j > i
- → Bayesian version for uncertainties





Testina

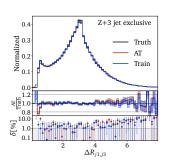
#### Correlations through self-attention

- think of data as bins in phase-space directions self-attention: encode relation between bins input x, learn relation  $x_i \leftrightarrow x_i$
- · latent query representation  $q = W^Q x$ latent key representation  $k = W^K x$ define correlation as  $A_{ii} = q_i \cdot k_i$
- · latent value representation  $v = W^V x$ output z = A v

## $W^Q$ softmax $W^V$ $v_C$

#### Bayesian JetGPT

· sometimes you win...





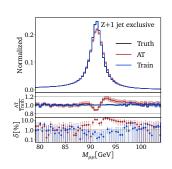
### Correlations through self-attention

- think of data as bins in phase-space directions self-attention: encode relation between bins input x, learn relation  $x_i \leftrightarrow x_i$
- · latent query representation  $q = W^Q x$ latent key representation  $k = W^K x$ define correlation as  $A_{ii} = q_i \cdot k_i$
- · latent value representation  $v = W^V x$ output z = A v

# $W^Q$ softmax $v_C$

### Bayesian JetGPT

- · sometimes you win...
  - ...and sometimes there is work to do...





## Theory-AI

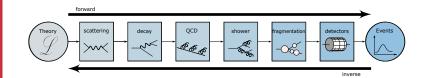
Tilman Plehn

Inversion

## Inverse simulation

### Invertible ML-simulation

- · forward:  $r \rightarrow$  events trained on model
- · inverse:  $r \rightarrow$  anything trained on model, conditioned on event





Tilman P

I HC nhysic

Evample

Control

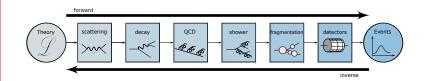
Uncerta

Inversion

## Inverse simulation

#### Invertible ML-simulation

- · forward:  $r \rightarrow$  events trained on model
- · inverse:  $r \rightarrow$  anything trained on model, conditioned on event
- individual steps known problems
   detector unfolding
   unfolding to QCD parton means jet algorithm
   unfolding jet radiation known combinatorics problem
   unfolding to hard process standard in top groups [needed for global analyses].
- matrix element method an old dream · improved through coherent ML-method
- · free choice of data-theory inference point
- → Transformative progress for HL-LHC





## Inverting to QCD

Inversion

cINN for inference [Bieringer, Butter, Heimel, Höche, Köthe, TP, Radev]

· condition jets with QCD parameters

train test

model parameters → Gaussian latent space Gaussian sampling → parameter measurement

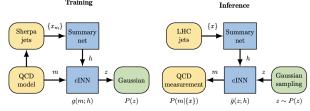
beyond C<sub>A</sub> vs C<sub>F</sub>

$$P_{qq} = C_F \left[ D_{qq} \frac{2z(1-y)}{1-z(1-y)} + F_{qq}(1-z) + C_{qq}yz(1-z) \right]$$

$$P_{gg} = 2C_A \left[ D_{gg} \left( \frac{z(1-y)}{1-z(1-y)} + \frac{(1-z)(1-y)}{1-(1-z)(1-y)} \right) + F_{gg}z(1-z) + C_{gg}yz(1-z) \right]$$

$$P_{gq} = T_B \left[ F_{qq} \left( z^2 + (1-z)^2 \right) + C_{gq}yz(1-z) \right]$$

Training





Tilman Plehn

LHC physics

Examples

Control

Testing

Tillian Fleiin

cINN for inference [Bieringer, Butter, Heimel, Höche, Köthe, TP, Radev]

· condition jets with QCD parameters

train model parameters → Gaussian latent space test Gaussian sampling → parameter measurement

· beyond  $C_A$  vs  $C_F$ 

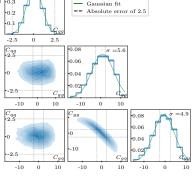
Inverting to QCD

$$P_{qq} = C_F \left[ D_{qq} \frac{2z(1-y)}{1-z(1-y)} + F_{qq}(1-z) + C_{qq}yz(1-z) \right]$$

$$P_{gg} = 2C_A \left[ D_{gg} \left( \frac{z(1-y)}{1-z(1-y)} + \frac{(1-z)(1-y)}{1-(1-z)(1-y)} \right) + F_{gg}z(1-z) + C_{gg}yz(1-z) \right]$$

$$P_{gq} = T_R \left[ F_{qq} \left( z^2 + (1-z)^2 \right) + C_{gq} yz (1-z) \right]_{0.3}^{0.4}$$

- · idealized shower [Sherpa]
- · More ML-opportunities...





Tilmon Di

LHC physic

Contro

Uncertair

IIIVersion

## ML for LHC Theory

## **ML-applications**

- · just another numerical tool for a numerical field
- · driven by money from data science and medical research
- goals are...
  - ...improve established tasks
  - ...develop new tools for established tasks
  - ...transform through new ideas
- · xAl through...
  - ...precision control
  - uncertainties
  - ...symmetries
  - ...formulas
- → Lots of fun with hard LHC problems

#### Modern Machine Learning for LHC Physicists

Tilman Plehna; Anja Buttera, Barry Dillona, Claudius Krausea, and Ramon Winterhalderd

<sup>a</sup> Institut für Theoretische Physik, Universität Heidelberg, Germany
<sup>b</sup> LPNHE, Sorbonne Université, Université Paris Cité, CNRS/IN2P3, Paris, France
<sup>c</sup> NHETC, Dept. of Physics and Astronomy, Rutgers University, Piscataway, USA
<sup>d</sup> CP3, Université Catholioue de Louvain. Louvain-la-Neuve. Beleium

July 21, 2023

#### Abstract

Modern machine learning is transforming particle physics, faster than we can follow, and bullying its way into our municial and look. For young researchers it is recall to sary to stop of all developents, which means polying entities, edge methods and sooks to the full range of LHC physics problems. These lecture more are meant to lead students with popular theoretical and the students of the control of the students with popular the partial and the students of the students with popular they are the students of the studen



Tilman Plehn

Examples

Control

Uncerti

IIIversioi

## Learning optimal observables

Measure model parameter  $\theta$  optimally [Butter, TP, Soybelman, Brehmer]

· single-event likelihood

$$p(x|\theta) = \frac{1}{\sigma_{\text{tot}}(\theta)} \frac{d^m \sigma(x|\theta)}{dx^m}$$

 $\cdot$  expanded in  $\theta$  around  $\theta_0,$  define score

$$\log \frac{p(x|\theta)}{p(x|\theta_0)} \approx (\theta - \theta_0) \left. \nabla_{\theta} \log p(x|\theta) \right|_{\theta_0} \equiv (\theta - \theta_0) t(x|\theta_0) \equiv (\theta - \theta_0) \mathscr{O}^{\text{opt}}(x)$$

· to leading order at parton level

$$p(x|\theta) \approx |\mathcal{M}|_0^2 + \theta |\mathcal{M}|_{\text{int}}^2 \qquad \Rightarrow \qquad t(x|\theta_0) \sim \frac{|\mathcal{M}|_{\text{int}}^2}{|\mathcal{M}|_0^2}$$

⇒ And including everything?



Tilman Plehn

## LHC physi

Examples

Contro

Testin

## Learning optimal observables

Measure model parameter  $\theta$  optimally [Butter, TP, Soybelman, Brehmer]

· single-event likelihood

$$p(x|\theta) = \frac{1}{\sigma_{\text{tot}}(\theta)} \frac{d^m \sigma(x|\theta)}{dx^m}$$

· expanded in  $\theta$  around  $\theta_0$ , define score

$$\log \frac{p(x|\theta)}{p(x|\theta_0)} \approx (\theta - \theta_0) \left. \nabla_{\theta} \log p(x|\theta) \right|_{\theta_0} \equiv (\theta - \theta_0) \ t(x|\theta_0) \equiv (\theta - \theta_0) \ \mathscr{O}^{\text{opt}}(x)$$

to leading order at parton level

$$p(x|\theta) \approx |\mathcal{M}|_0^2 + \theta |\mathcal{M}|_{\text{int}}^2 \quad \Rightarrow \quad t(x|\theta_0) \sim \frac{|\mathcal{M}|_{\text{int}}^2}{|\mathcal{M}|_0^2}$$

⇒ And including everything?

## **CP-violating Higgs production**

· unique CP-observable

$$t \propto \epsilon_{\mu\nu\rho\sigma} \ k_1^{\mu} \ k_2^{\nu} \ q_1^{\rho} \ q_2^{\sigma} \ \text{sign} \left[ (k_1 - k_2) \cdot (q_1 - q_2) \right]^{\text{lab frame}} \sin \Delta \phi_{ij}$$

- · CP-effect in  $\Delta \phi_{jj}$ D6-effect in  $p_{T,j}$
- ⇒ Established LHC task



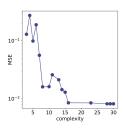
Symbolic regression of score [PySR (M Cranmer) + final fit]

- · function to approximate  $t(x|\theta)$
- · phase space parameters  $x_{p}=p_{T}/m_{H},\Delta\eta,\Delta\phi$  [node]
- $\cdot$  operators  $\sin x, x^2, x^3, x+y, x-y, x*y, x/y$  [node]
- · represent formula as tree [complexity = number of nodes]
- ⇒ Figures of merit

$$\mathsf{MSE} = \frac{1}{n} \sum_{i=1}^n \left[ g_i(x) - t(x, z|\theta) \right]^2 o \mathsf{MSE} + \mathsf{parsimony} \cdot \mathsf{complexity}$$

#### Score around Standard Model

$\operatorname{compl}$	dof	function	MSE
3	1	$a \Delta \phi$	$1.30\cdot 10^{-1}$
4	1	$\sin(a\Delta\phi)$	$2.75\cdot 10^{-1}$
5	1	$a\Delta\phi x_{p,1}$	$9.93\cdot10^{-2}$
6	1	$-x_{p,1}\sin(\Delta\phi+a)$	$1.90 \cdot 10^{-1}$
7	1	$(-x_{p,1}-a)\sin(\sin(\Delta\phi))$	$5.63\cdot10^{-2}$
8	1	$(a-x_{p,1})x_{p,2}\sin(\Delta\phi)$	$1.61\cdot 10^{-2}$
14	2	$x_{p,1}(a\Delta\phi - \sin(\sin(\Delta\phi)))(x_{p,2} + b)$	$1.44 \cdot 10^{-2}$
15	3	$-(x_{p,2}(a\Delta\eta^2 + x_{p,1}) + b)\sin(\Delta\phi + c)$	$1.30\cdot 10^{-2}$
16	4	$-x_{p,1}(a-b\Delta\eta)(x_{p,2}+c)\sin(\Delta\phi+d)$	$8.50\cdot10^{-3}$
28	7	$\begin{vmatrix} (x_{p,2} + a)(bx_{p,1}(c - \Delta\phi) \\ -x_{p,1}(d\Delta\eta + ex_{p,2} + f)\sin(\Delta\phi + g) \end{vmatrix}$	$8.18\cdot 10^{-3}$





#### Symbolic regression of score [PySR (M Cranmer) + final fit]

- · function to approximate  $t(x|\theta)$
- · phase space parameters  $x_p = p_T/m_H, \Delta \eta, \Delta \phi$  [node]
- · operators  $\sin x, x^2, x^3, x + y, x y, x * y, x/y$  [node]
- · represent formula as tree [complexity = number of nodes]
- ⇒ Figures of merit

$$\mathsf{MSE} = \frac{1}{n} \sum_{i=1}^n \left[ g_i(x) - t(x, z|\theta) \right]^2 o \mathsf{MSE} + \mathsf{parsimony} \cdot \mathsf{complexity}$$

#### Score around Standard Model

- · expected limits: very wrong formula wrong formula
- · same within statistical limitation: right formula MadMiner
- ⇒ Formulas to numerics and back

